



Bluebild: A Next-Generation Radio Interferometric Imager

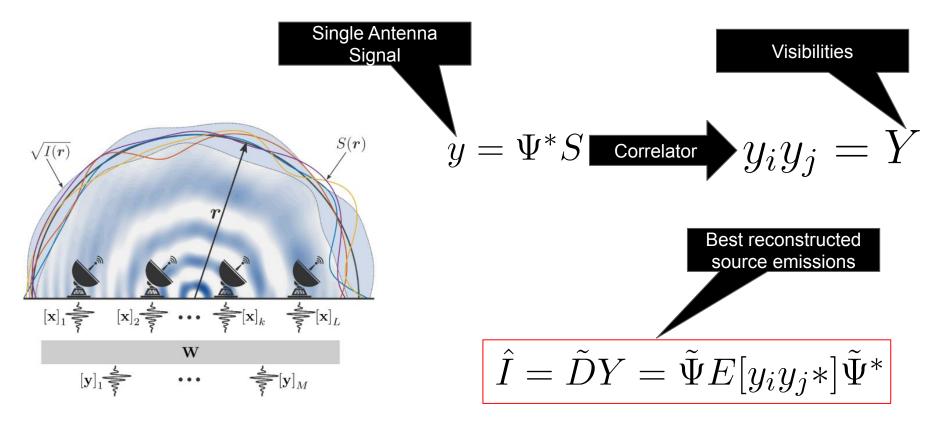
Sepand Kashani, Matthieu Simeoni, Paul Hurley, Jean-Paul Kneib, Emma Tolley, Simon Frasch, Etienne Orliac, Michele Bianco, Arpan Das, Shreyam Parth Krishna

Swiss SKA Days 2023, Zurich, Switzerland - 07/09/2023

Next-Generation Radio Interferometry

- Leading PASC proposal to optimize, validate, and integrate Bluebild in precursor pipelines
- Team:
 - Emma Tolley: Team leader
 - Etienne Orliac: HPC expert @ EPFL working on benchmarking, optimization, C & CUDA kernels
 - **Simon Frasch** @ CSCS: GPU nuFFT library
 - **Michele Bianco**: scientific validation & deconvolution
 - Shreyam Krishna: scientific use cases (diffuse emission, etc)
 - **Arpan Das**: measurement set interface
 - **Mattheiu Simeoni, Paul Hurley, Sepand Kashani:** Algorithm development/expertise

Radio Interferometric Imaging Process



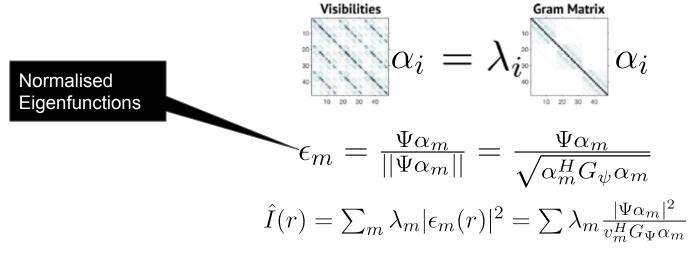
Find a least squares fit for the sky image.

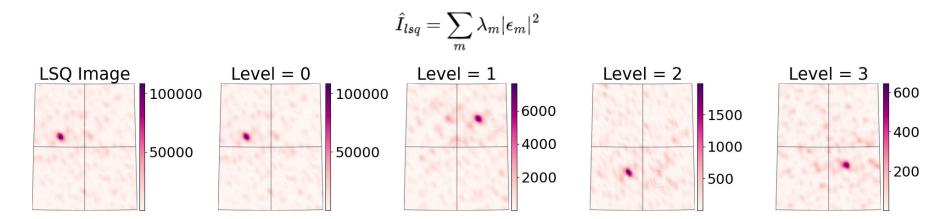
Bluebild Algorithm

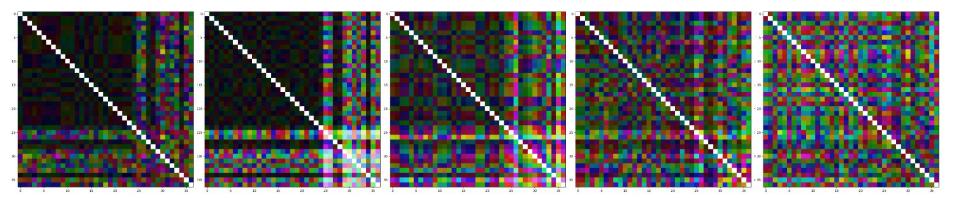
- Flexible continuous spherical imager for interferometric applications
- Solves for I(r) in $\int_{\mathbb{S}^{\neq}} I(r) e^{-j < r, p_i p_j >} dr = V_{ij}$ by framing a generalised eigenvalue problem and

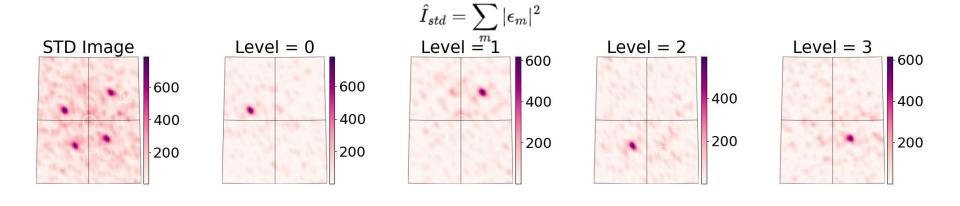
decomposing visibilities into different eigenvectors, via fPCA \blacksquare $\mathbf{E}[yy^*]\alpha = \sum_{a=0}^{N_{Station}} \lambda_a G_{\Psi} \alpha_a$

- Eigenvector + sampling operator gives eigenfunctions. These give eigenimages independent and sorted by energy. Can be truncated (automatic denoising) or filtered.
- 3D NuFFT Type-3
- Low computational complexity and affinity for parallel execution





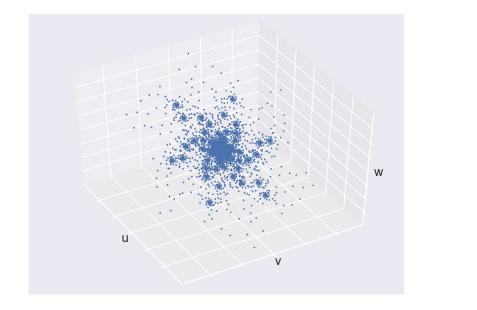


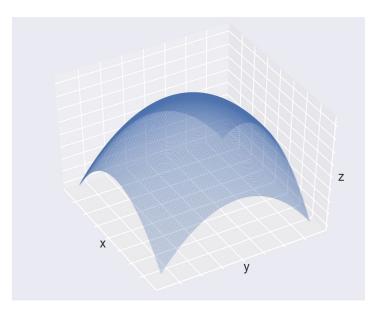


Bluebild Imaging Plus Plus (BIPP)

- C++ ported version with python wrapper for wider community release
- HPC implementation with support for CUDA (NVIDIA) and HIP (AMD)
- Support for MWA, LOFAR, Oskar SKA-Low measurement sets
- Domain partitioning inbuilt
- No deconvolution only dirty images
- Github: <u>https://github.com/epfl-radio-astro/bipp</u>
- Validation & benchmarking against WSClean and CASA tclean(ongoing)

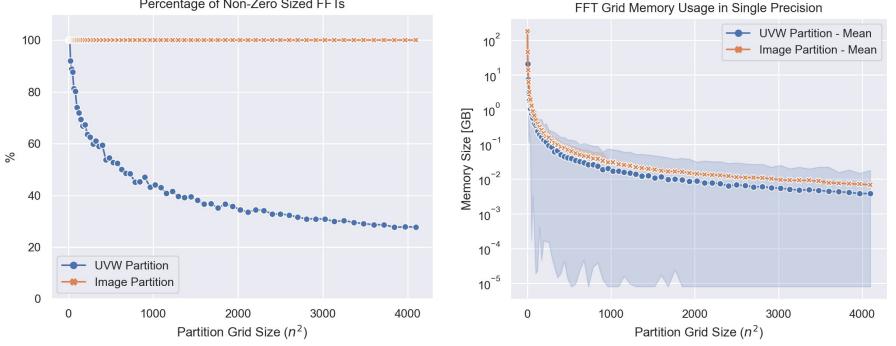
NuFFT Domain Partitioning - Inspired by HVOX¹ Plots courtesy Simon Frasch



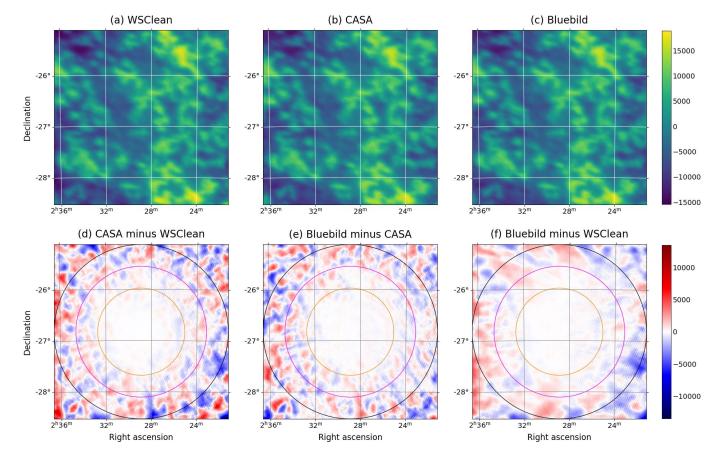


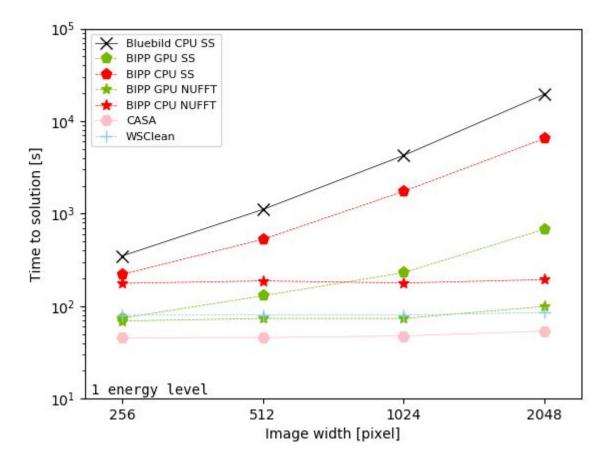
$$\tilde{B}_{pix} = \sum_{n=1}^{N_1} V'_n e^{ix'_{pix}\dot{b}'_n} + \dots + \sum_{n=N_{I-1}+1}^{N_I} V'_n e^{ix'_{pix}\dot{b}'_n}$$

Percentage of Non-Zero Sized FFTs



Validation - Plots courtesy of Etienne Orliac

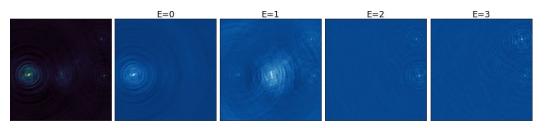


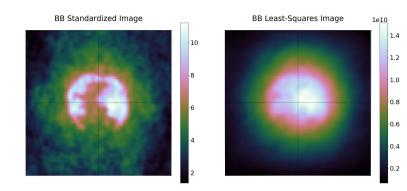


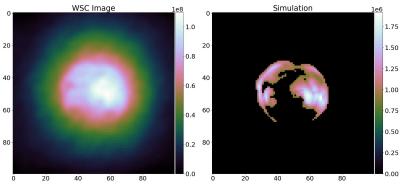
Some science-use cases:

Plots courtesy Michele Bianco

- Solar limb brightening
- Bright Source PSF separation
- EoR Point Source removal?
- Galaxy Cluster Emission?
- Transient Detection?

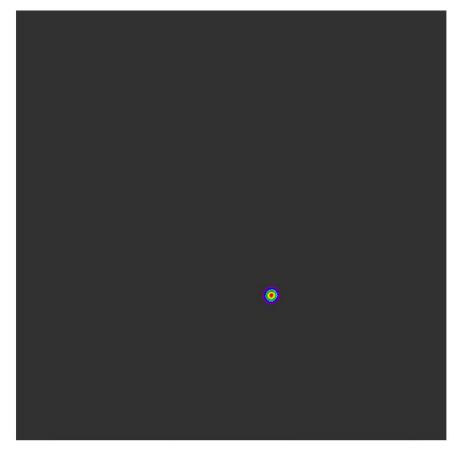


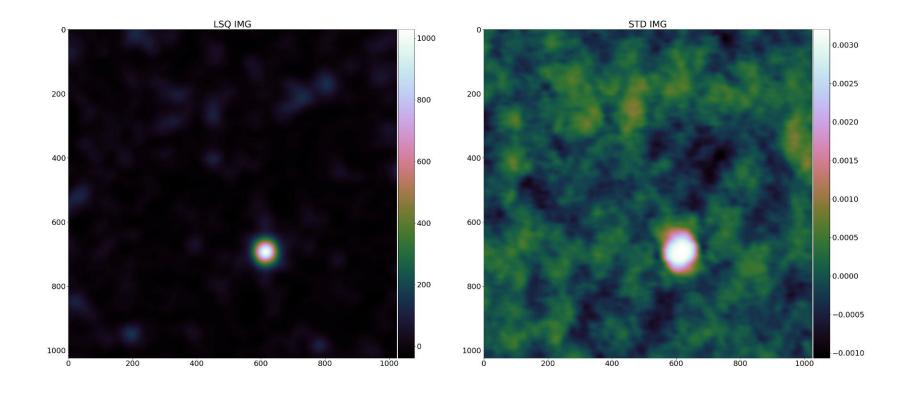


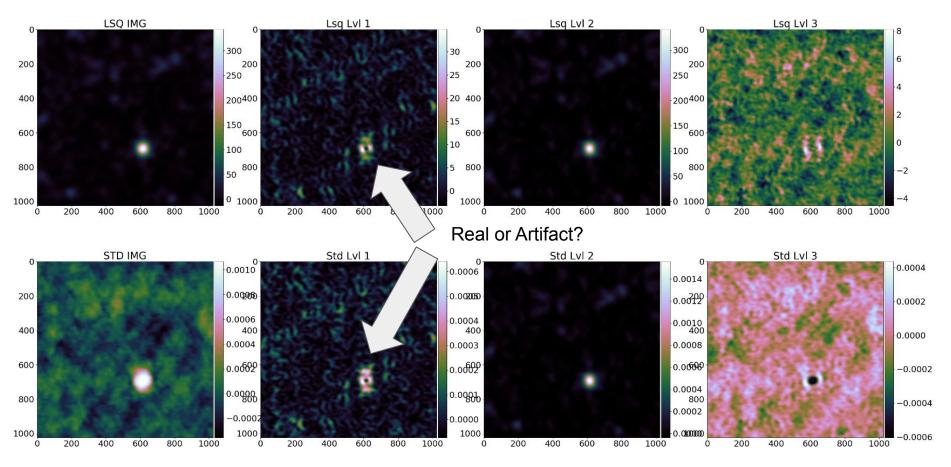


Solar Observations Using Bluebild

- Image of free-free emission from the solar corona, affected by anisotropic scattering and refraction due to coronal medium
- ~14.3° FOV
- 10s integration time, 0.5 second time steps
- MWA Phase I observation (128 phased arrays)
- 3' in resolution, so diffuse features > PSF
- v ~ 239-241 MHz, 64 Channels, Bandwidth 40 kHz
- Power scaled



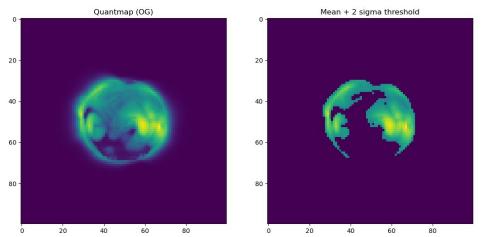




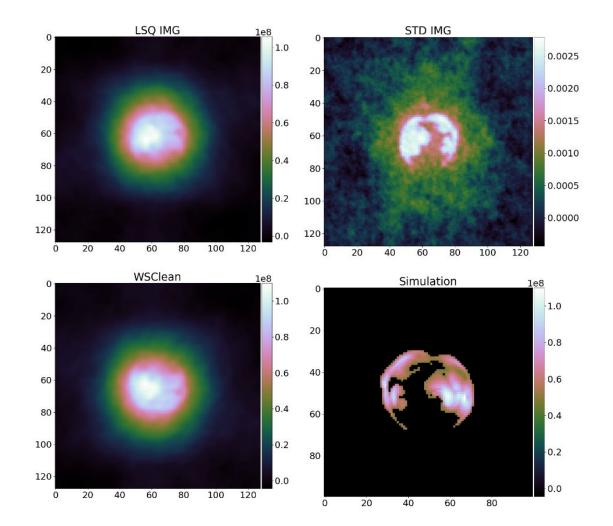
Solar MWA Simulation

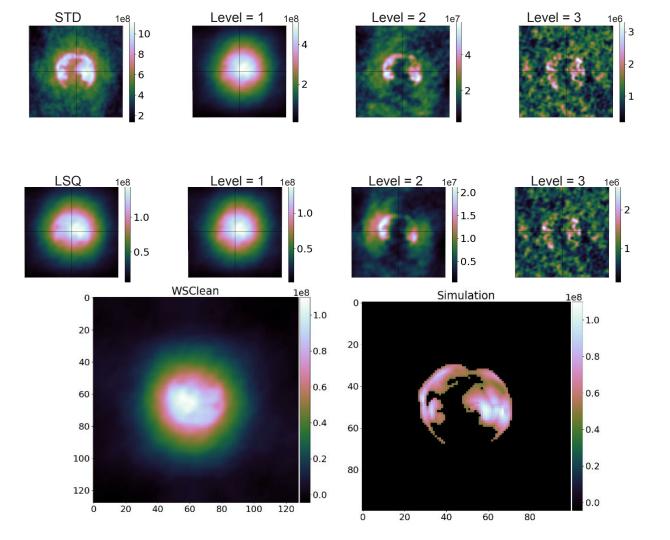
No objective truth with celestial observations

Mock observations of Solar simulation using OSKAR²:



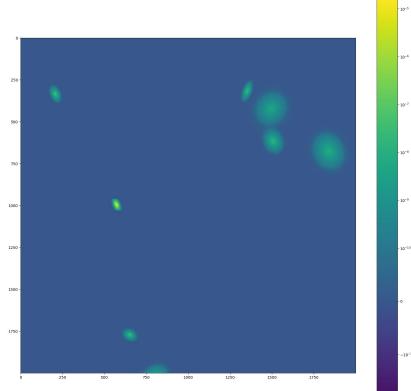
- Simulated 1.4° FOV free-free maps using FORWARD¹ software.
- Forward uses a self-consistent Magnetohydrodynamic Algorithm outside a Sphere (MAS) coronal model.
- N_e, T_e and B evolved from input HMI magnetogram and normalised against photospheric values. Also calculated brightness temperature, T_B, in various Stokes parameters
- Propagation effects (scattering, refraction) not included.
- Stokes I parameter imaged using MWA Phase I configuration on OSKAR.
- Simulation thresholded $(\mu + 2^*\sigma)$, then imaged.



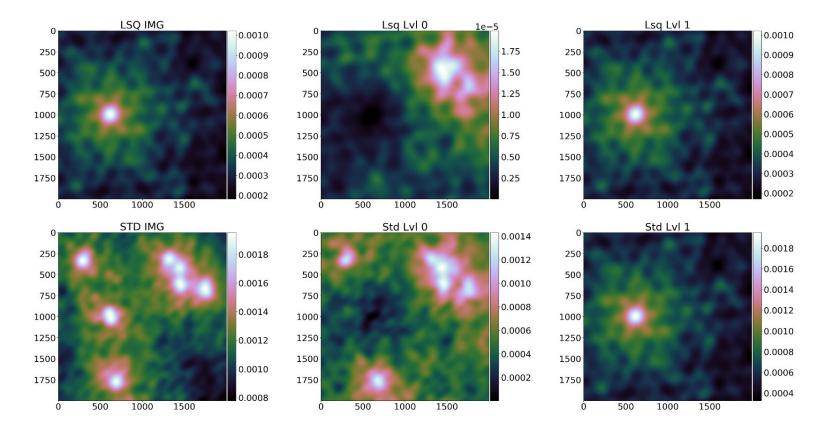


Bright Source PSF separation - model courtesy Ian Harrison!

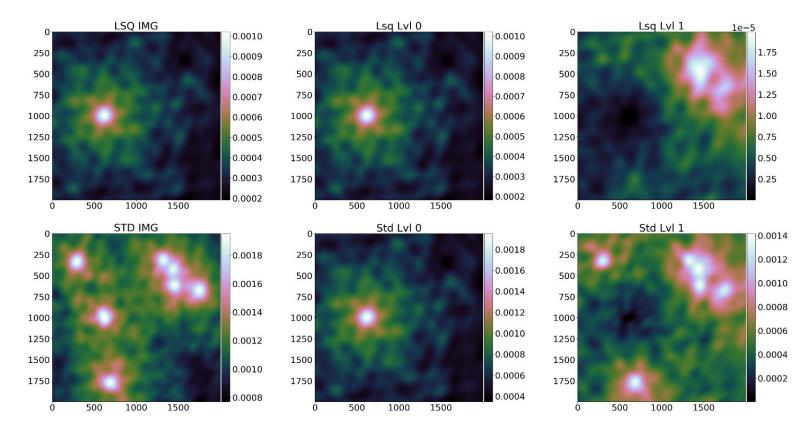
- Model: 1000x range in SNR for gaussian sources in small FOV (0.025 deg) image; 1 frequency channel
- Imaged using SKA Low Config on OSKAR using Karabo
 - 200 MHz
 - 1.5 GHz (SKA Mid Frequencies)
- Different integration times
 - 1 hour
 - 10 minutes
- Since BB works on visibilities separation of interferometric artifacts?



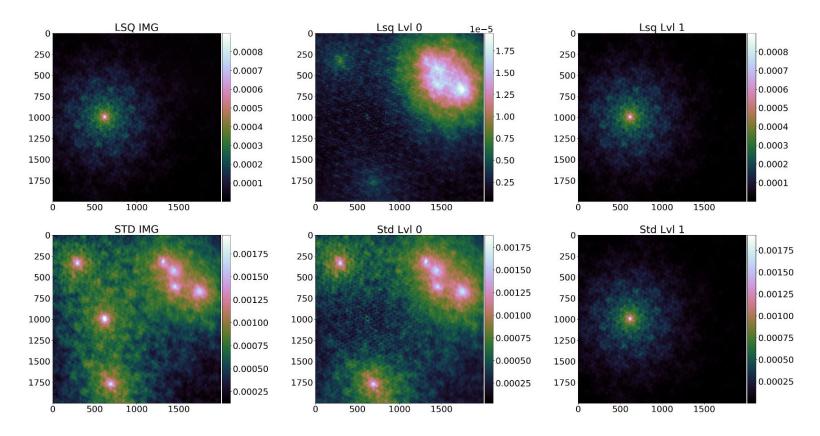
200 MHz 10 min



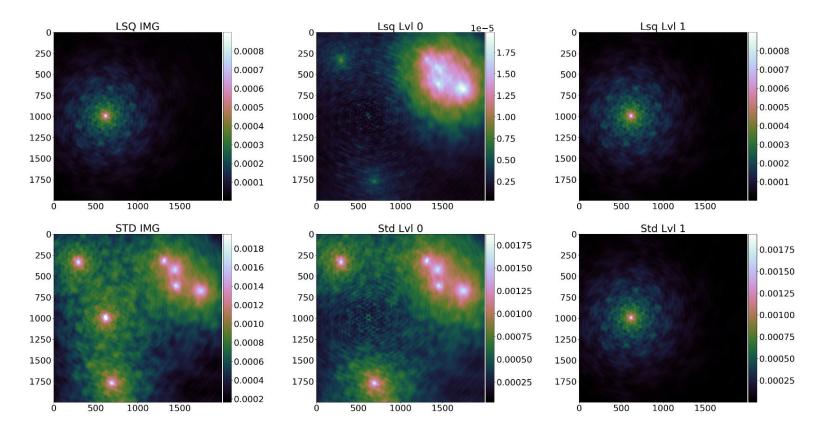
200 MHz 1 hr



1500 MHz 10 min



1500 MHz 1 hr



Bright Source PSF Separation

- Effective when bright source is seen as a point source (resolution!!!)
- Deconvolution (probably) important when it isn't!



Ongoing and Future Work:

- Dish Array Support!
- Eigen-image recombination
- Radler (Radio Astronomical Deconvolution Library) incorporation
- BIPP data release paper (Tolley et al) for MNRAS RASTI inaugural issue
- Bluebild algorithm paper (Simeoni et al)

Contact me at <a href="mailto:shreftadem:shr

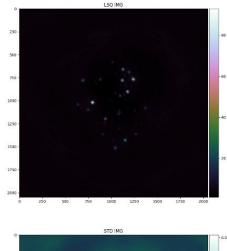
BIPP Github:

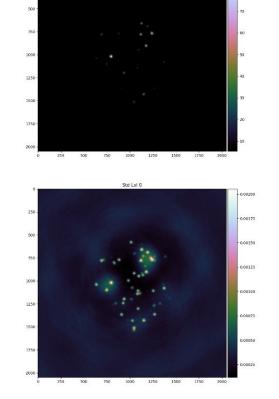
Contact me at <u>shreyam.krishna@epfl.ch</u> for any questions!

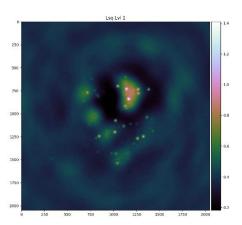


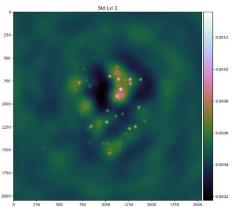
EoR Point Source Removal - PRELIMINARY RESULTS!

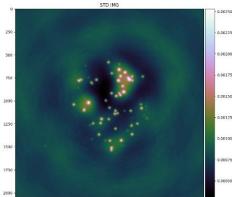
Lsq Lvl 0











Diffuse Cluster Emission

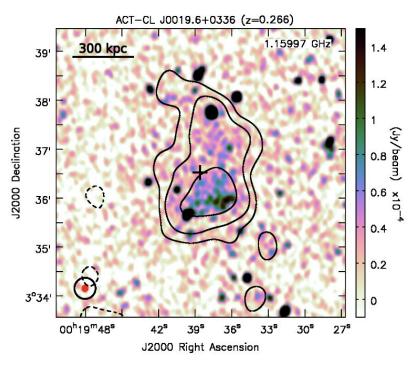
In collaboration with Kenda Knowles (RadioClusters proposal)

Want to look for **Faint, diffuse, cluster-scale radio emission** in the form of radio halos, radio relics, and smaller mini-halos

- Created by synchrotron emission, thus a good probe of cluster magnetic fields
- Cluster dynamics: Form of diffuse emission connected to merger shocks and turbulence

Interesting image synthesis problem: want to remove the dense, compact sources and keep the diffuse emission (Bluebild, deblending)

Need to detect these objects in surveys: anomaly detection

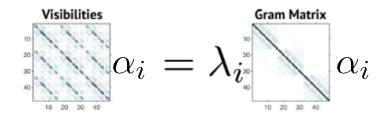


arXiv:2012.15088

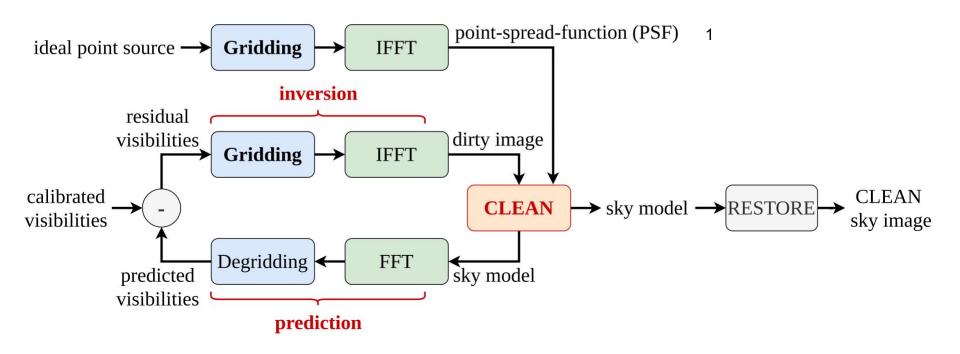
Transient Detection (Without Imaging)

BB/BIPP 2 after initial has steps setup: 1) Parameter Estimator: Eigenvalues calculated and clustered (custom or K-Means) 2) Eigen Imaging: Eigen visibilities images created +

Use eigenvalues after step 1 for detection of transients?

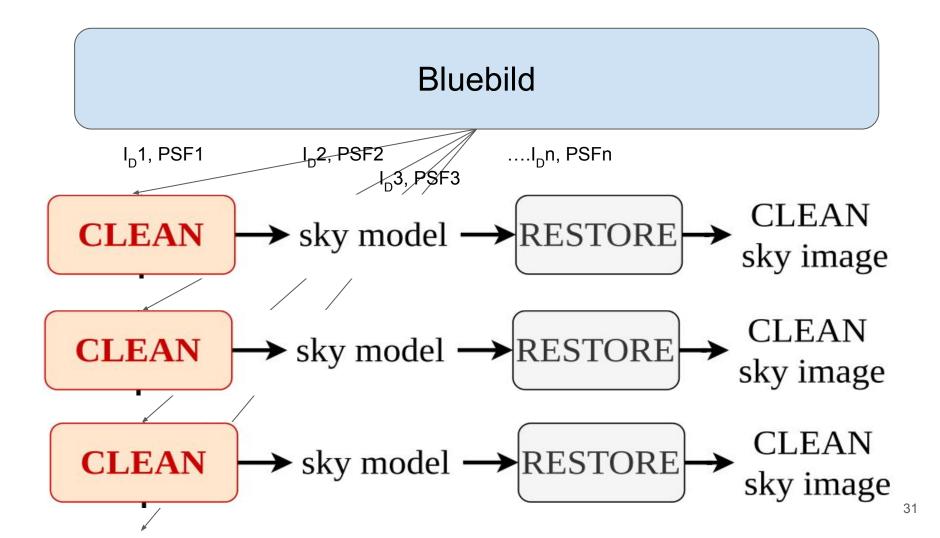


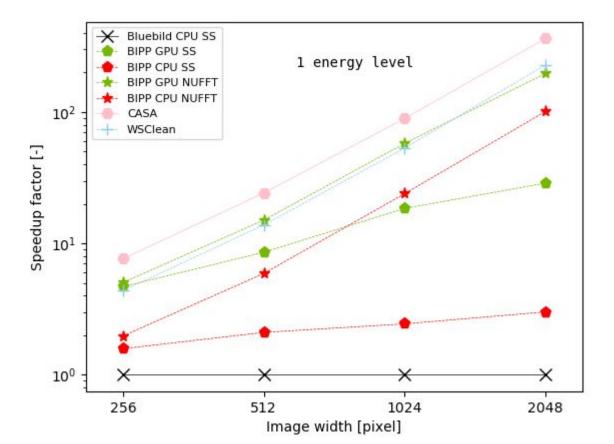
Backup Slides Start Here CLEAN family of algorithms

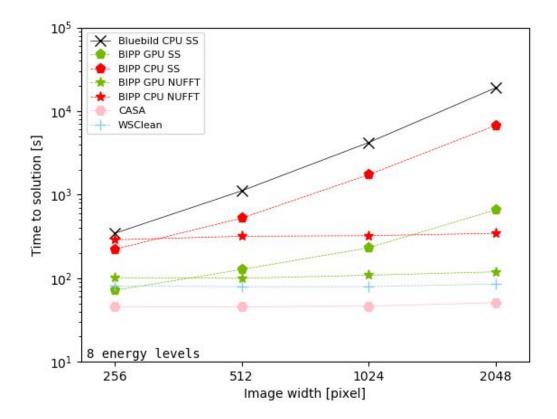


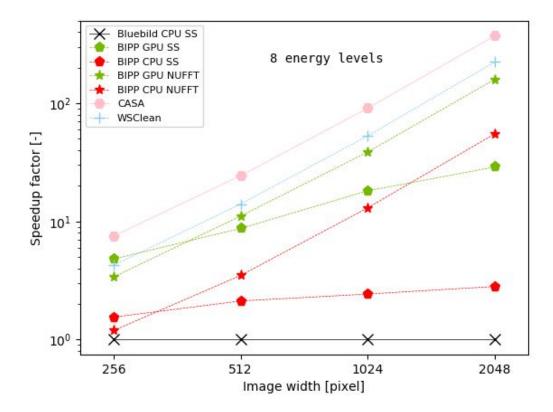
1: [Corda 2022]

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CLEAN¹ family of algorithms

$$\begin{split} \tilde{D} &= (D\Sigma D^*)^{-1} D\Sigma \\ Y &= \mathbf{E}[\Psi^* S(\Psi^* S)^*] \quad \text{Generalized Least-Squares} \quad \hat{I} = \tilde{D}Y = (D\Sigma D^*)^{-1} D\Sigma Y \\ &= \Psi^* \mathbf{E}[SS^*] \Psi = D^* I \quad \hat{I} = argmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \hat{I} = argmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad \hat{I} = urgmin||\Sigma^{-1/2}(\hat{Y} - Y)|| \\ x \quad \text{Solution} \quad$$

Bluebild Algorithm¹
Psuedo-Inverse Least Squares Solution

$$\tilde{\Psi} = \Psi G_{\Psi}^{-1} = \Psi (\Psi^* \Psi)^{-1}$$

 $\hat{I}(r) = \tilde{\Psi} \mathbf{E}[yy^*] \tilde{\Psi}^* = \Psi G_{\Psi}^{-1} \mathbf{E}[yy^*] G_{\Psi}^{-1} \Psi^*$
 $\hat{I}(r) = \sum_m \lambda_m |\epsilon_m(r)|^2$
 $\epsilon_m = \Psi \alpha_m$ $\hat{I}(r) \Psi \alpha_m = \lambda_m \Psi \alpha_m$
 $\mathbf{E}[yy^*] \alpha_m = \lambda_m G_{\Psi} \alpha_m$

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