

EMU simulations for a cosmic magnification test of GR



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The Evolutionary Map of the Universe (EMU) Survey

- The EMU survey (Norris et al. 2011) is a wide-field radio continuum galaxy survey currently being conducted by the Australian Square Kilometre Array Pathfinder (ASKAP) radio telescope.
- ASKAP consists of 36 x 12m antennas, with baselines up to 6km, and has an instantaneous field of view (31 deg²).
- The EMU survey covers the entire Southern Sky, extending North to +30 degrees in declination, in the 800 - 1100 MHz frequency range.
- The survey began in late 2022 and will detect ~40 million radio galaxies by 2027.



Image credit: CSIRO (Norris et al. 2011)

ASKAP-EMU goal: Testing Einstein's gravity on cosmological scales

- Testing GR on cosmological scales is a key science goal of the ASKAP-EMU cosmology project.
- Theoretical community recommends a large-scale radio continuum galaxy survey for this type of test.
- Cross-correlate radio galaxies ($z > 1$) with optical galaxies ($z < 1$) and measure weak gravitational lensing effects (i.e. cosmic magnification).
- Distortion of light is small, hence tens of millions of galaxies are required to generate a statistically-significant cross-correlation signal.



Image credit: CSIRO

Cosmic magnification

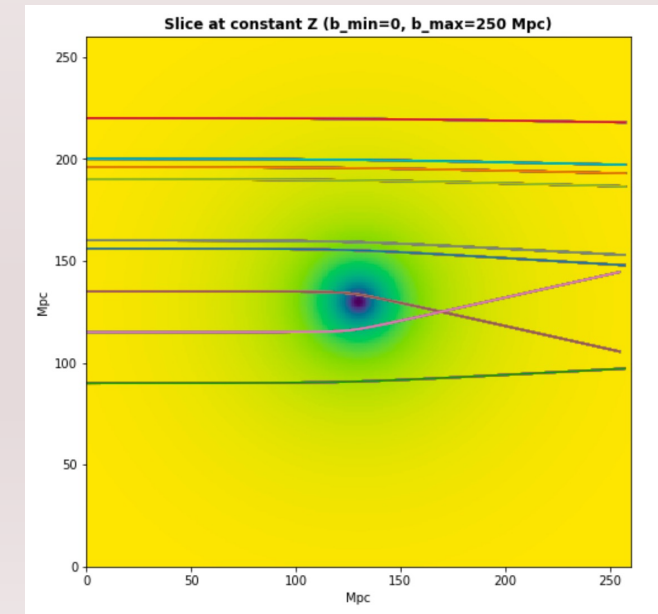
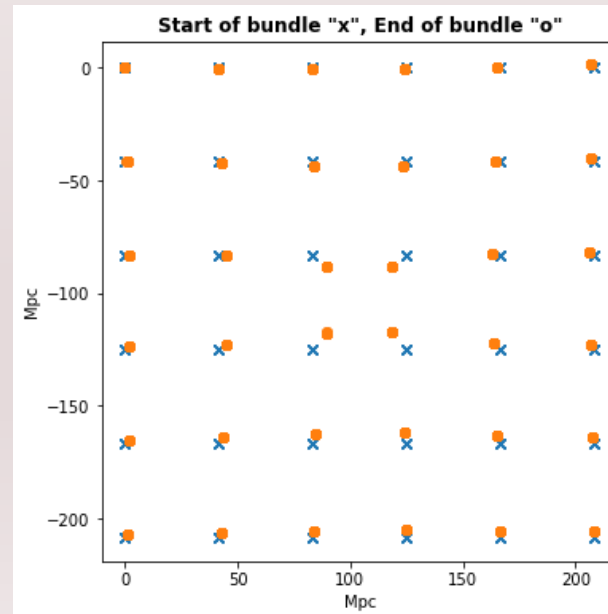
- Occurs due to distortions induced by large-scale structures along the line of sight to high- z galaxies.
- Background galaxy light will:
 - Magnify when subjected to weak gravitational lensing by an over-dense region (such as galaxy clusters):
 - Demagnify when lensed by under-dense regions (such as voids).



- Cosmic magnification is represented by the formula: $\mu = \frac{\text{image area}}{\text{source area}}$
- When testing GR, our concern will be changes in the brightness distribution.
- Galaxies will be treated as point sources.

EMU simulations: overall objective

- **Part 1:** Create a simulation and analysis pipeline.
 - Make predictions of weak lensing effects.
 - Run auto/cross-correlations and measure angular correlation function $w(\theta)$.
 - Conduct cosmological analyses.
- **Part 2:** Measure $w(\theta)$ with and without a predicted lensing effect using the ray-tracing algorithm Developed during my MRes degree.



Galaxy clustering statistics: $w(\theta)$ and C_ℓ

- A weak lensing study entails the measurement of two important galaxy clustering statistics: the **angular correlation function (ACF)**, represented by **$w(\theta)$** .
- The ACF tells us the excess probability of finding a galaxy (or number of galaxies) at some angular separation from another galaxy. The formalism is (Landy-Szalay version):

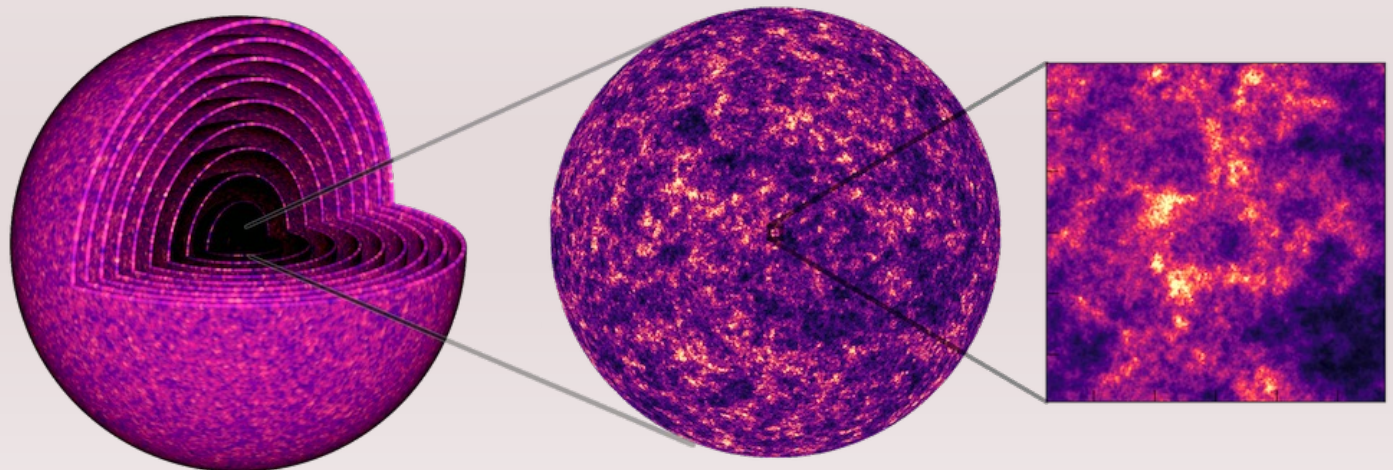
$$\omega(\theta) = \frac{\overline{DD}(\theta) - 2\overline{DR}(\theta) + \overline{RR}(\theta)}{\overline{RR}(\theta)}$$

- The second is the **angular power spectrum (APS)**, which measures the contribution to the statistical distribution of galaxies on the sky from different angular scales.
- I calculate the quantity known as **C_ℓ** , which measures fluctuations in the galaxy density on angular scales $\theta \sim 180 \text{ degrees} / \ell$. We can calculate the APS from the 3D power spectrum $P(k)$ using the following equation:

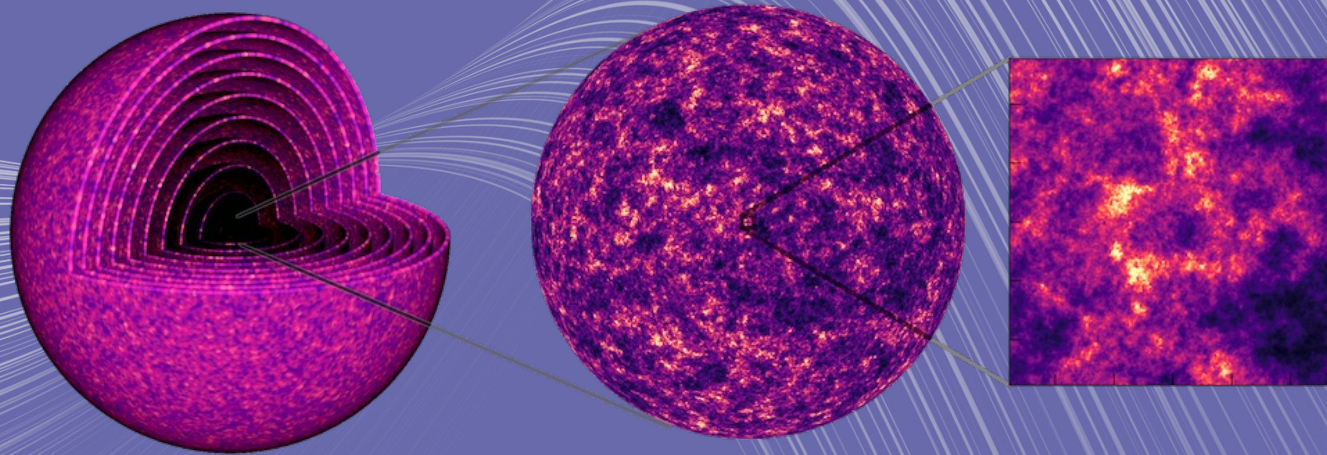
$$C_\ell = \frac{2}{\pi} \int dk k^2 P(k) [W_\ell(k)]^2$$

EMU SIMULATION & ANALYSIS PIPELINE

- **Step 1:** **Generate mock galaxy catalogues**
- **Step 2:** **Make theoretical predictions of correlation statistics**
- **Step 3:** **Compute auto/cross-correlations**
- **Step 4:** Bootstrap resampling
- **Step 5:** **Generate covariance / correlation matrices**
- **Step 6:** Chi-squared estimator
- **Step 7:** **Log-likelihood grid**
- **Step 8:** MCMC analysis
- **Step 9:** **Lensed / unlensed cross-correlations**



EMU SIMULATIONS PIPELINE

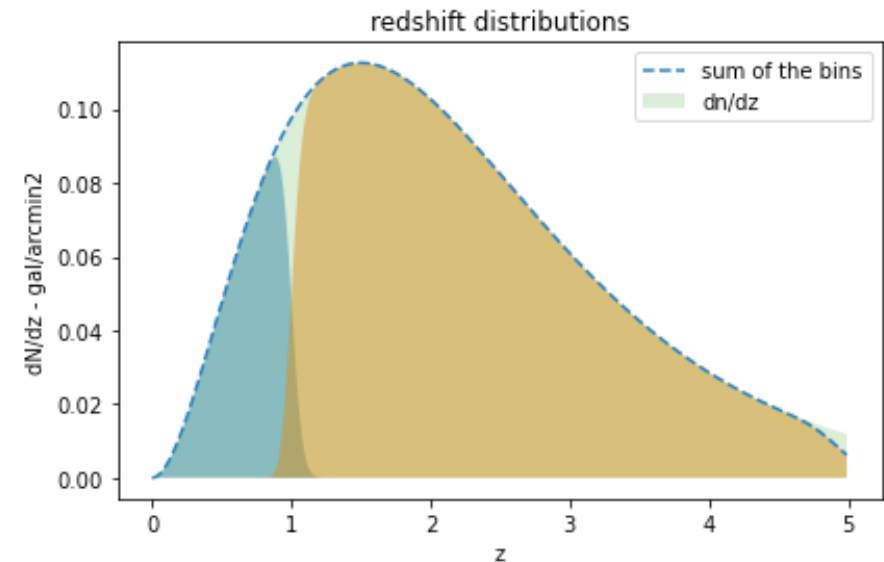
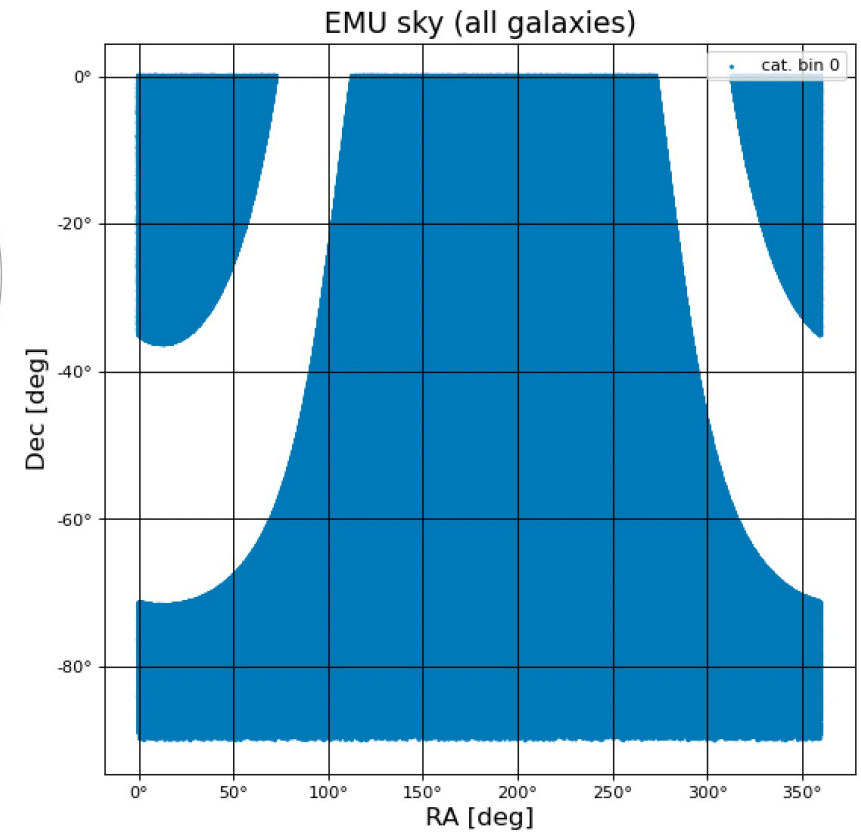
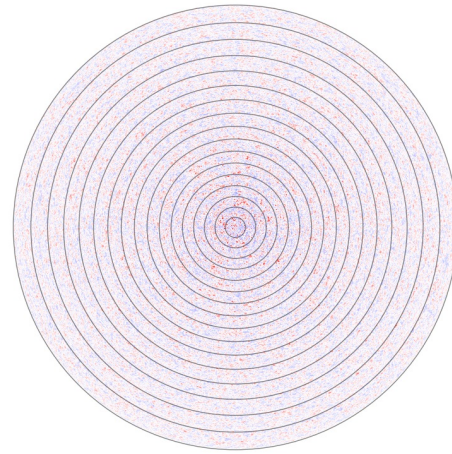


STEP 1: GLASS - GENERATOR FOR LARGE SCALE STRUCTURE

Tessore et al. (2023)

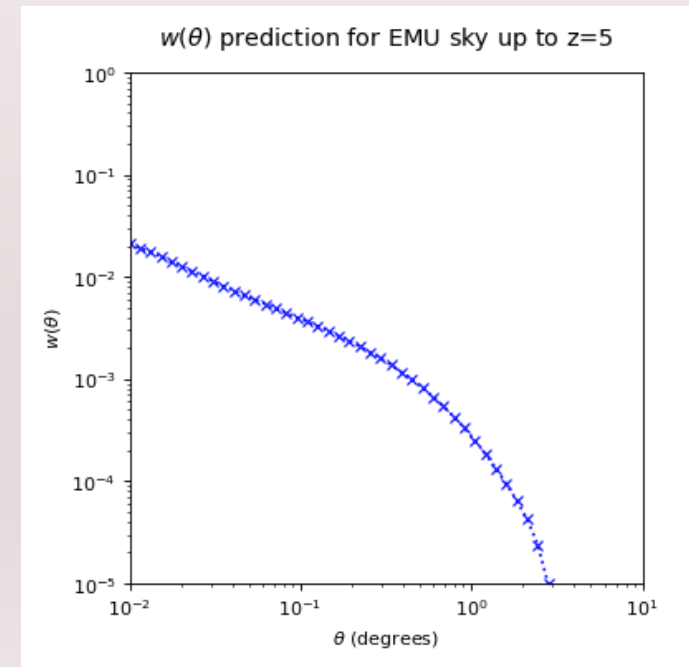
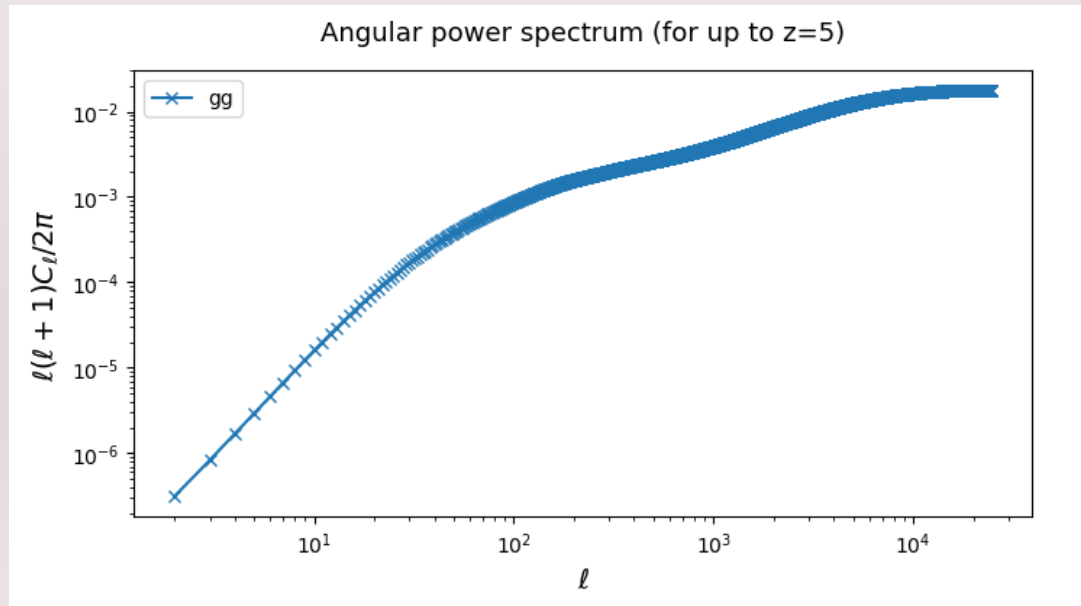
GLASS code

- Simulates galaxy surveys to conduct tests with percent level accurate two-point statistics of galaxy clustering and weak lensing.
- GLASS builds lightcone through a sequence of nested shells.
- Simulates the evolution of the comoving Universe in concentric spherical layers to $z=5$.
- Outputs a mock galaxy catalogue of RAs, DECs, Z_s etc. for the section of sky being studied.



pyccl code – APS and ACF outputs

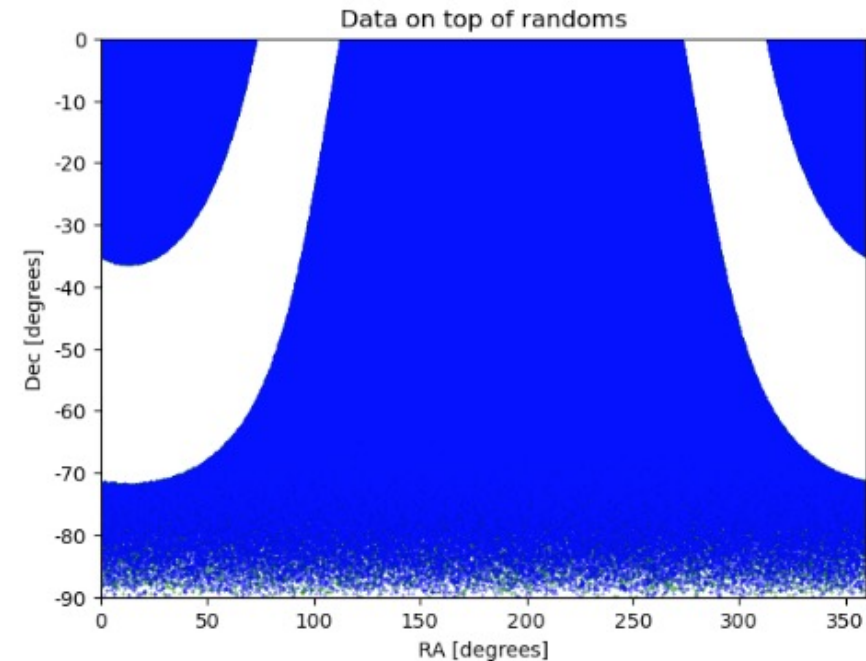
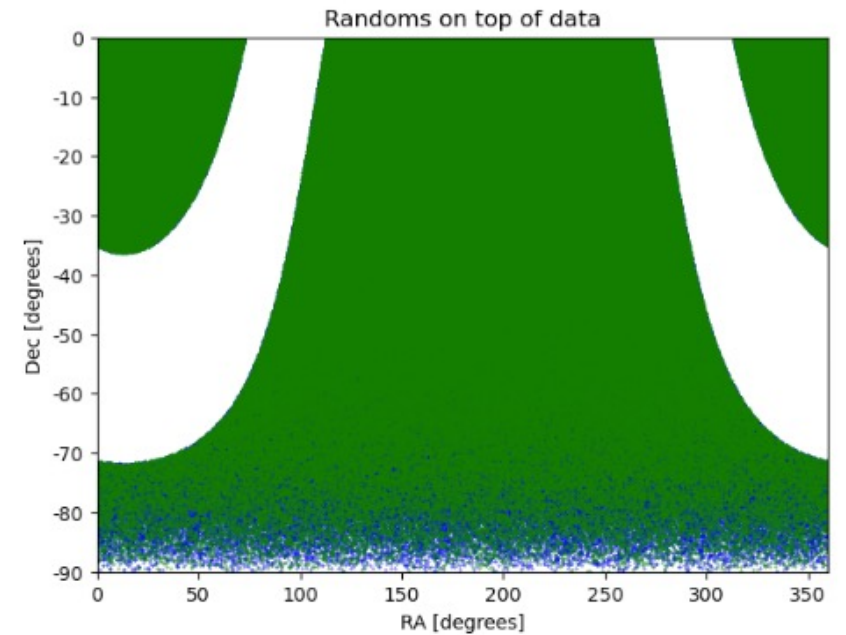
- State-of-the-art cosmology code to make theoretical predictions for large scale galaxy surveys.
- pyccl projects the 3D spectrum into the 2D C_ℓ (output below left).
- pyccl legendre transforms the new C_ℓ to get our prediction of $w(\theta)$ - see 2D output on the right.



TreeCorr code

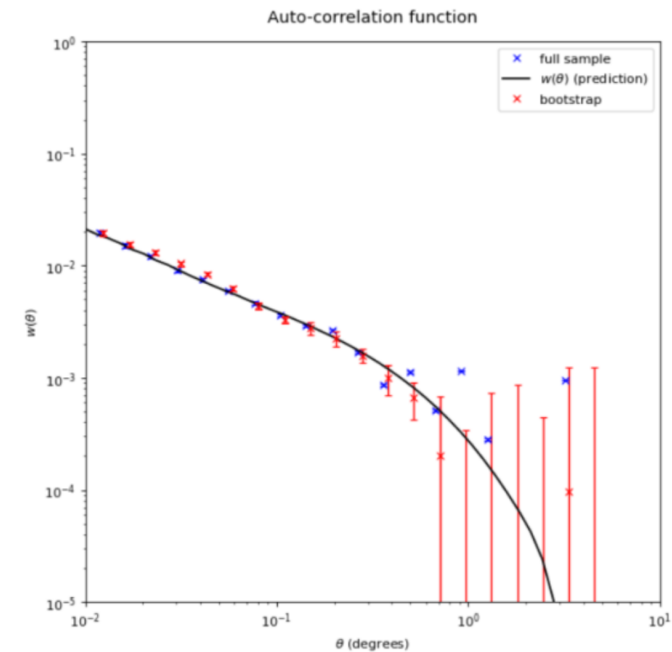
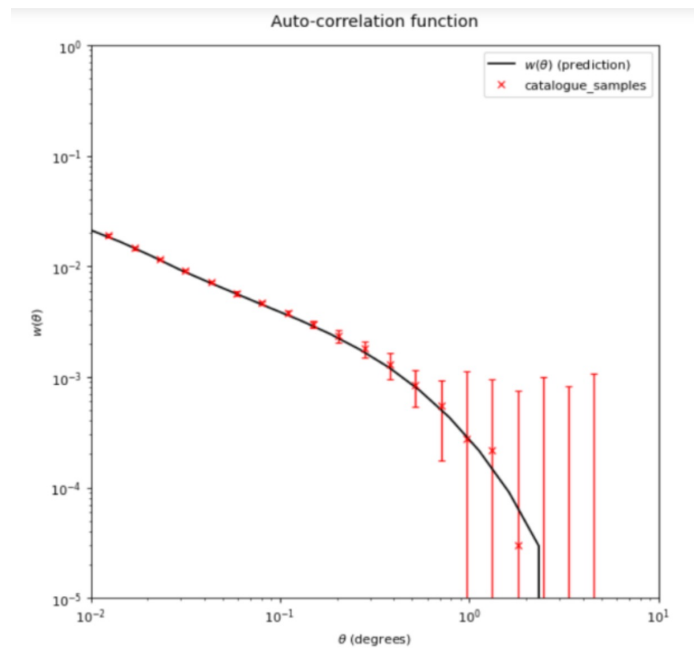
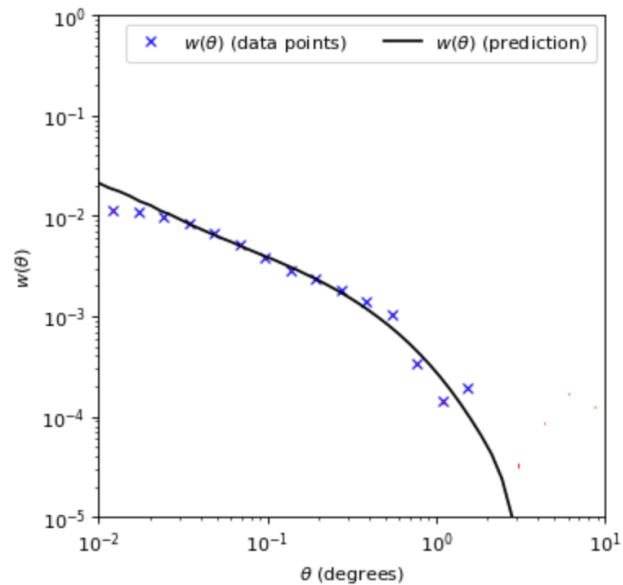
- **Step 1: auto/cross-correlate data from galaxy catalogues**
- **Step 2: generate randoms**
- Whilst testing the pipeline, we've been using the same amount of randoms as the data.
- **Step 3: masking**
 - i.e. if the catalogue data is masked, the randoms have to be masked too.
- **Step 4: auto/cross-correlate randoms**
- **Step 5: cross-correlate data with randoms**

- Formalism (Landy-Szalay version):
$$\omega(\theta) = \frac{\overline{DD}(\theta) - 2\overline{DR}(\theta) + \overline{RR}(\theta)}{\overline{RR}(\theta)}$$



TreeCorr code – ACF outputs

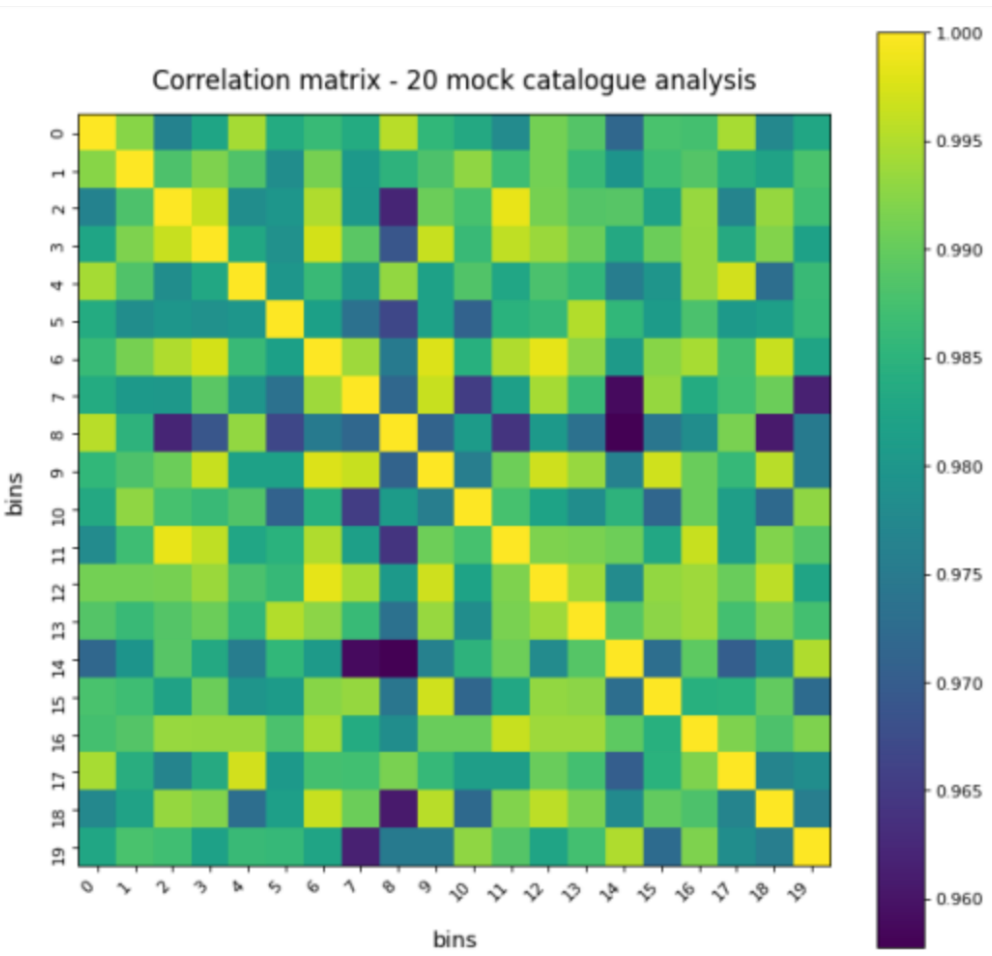
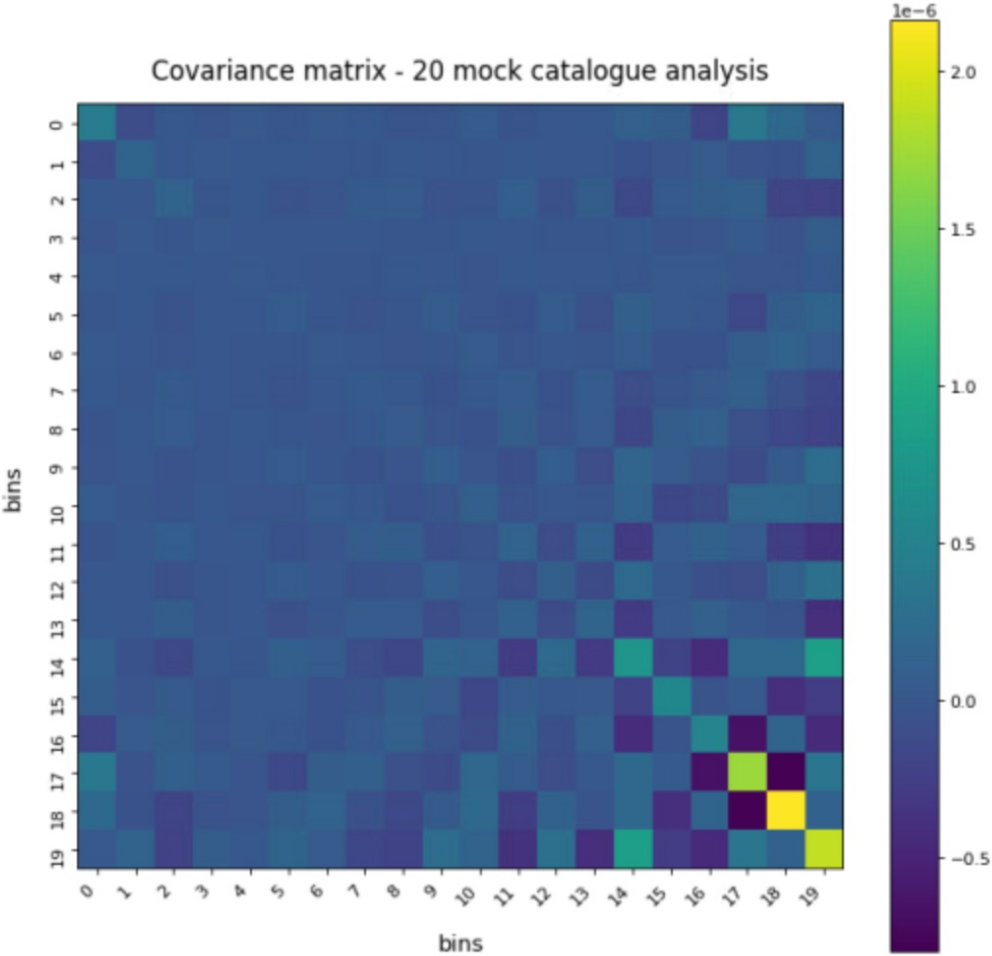
Auto-correlation function for all sky to $z=5$, one redshift bin



Covariance Matrix / Correlation Matrix

Covariance matrix

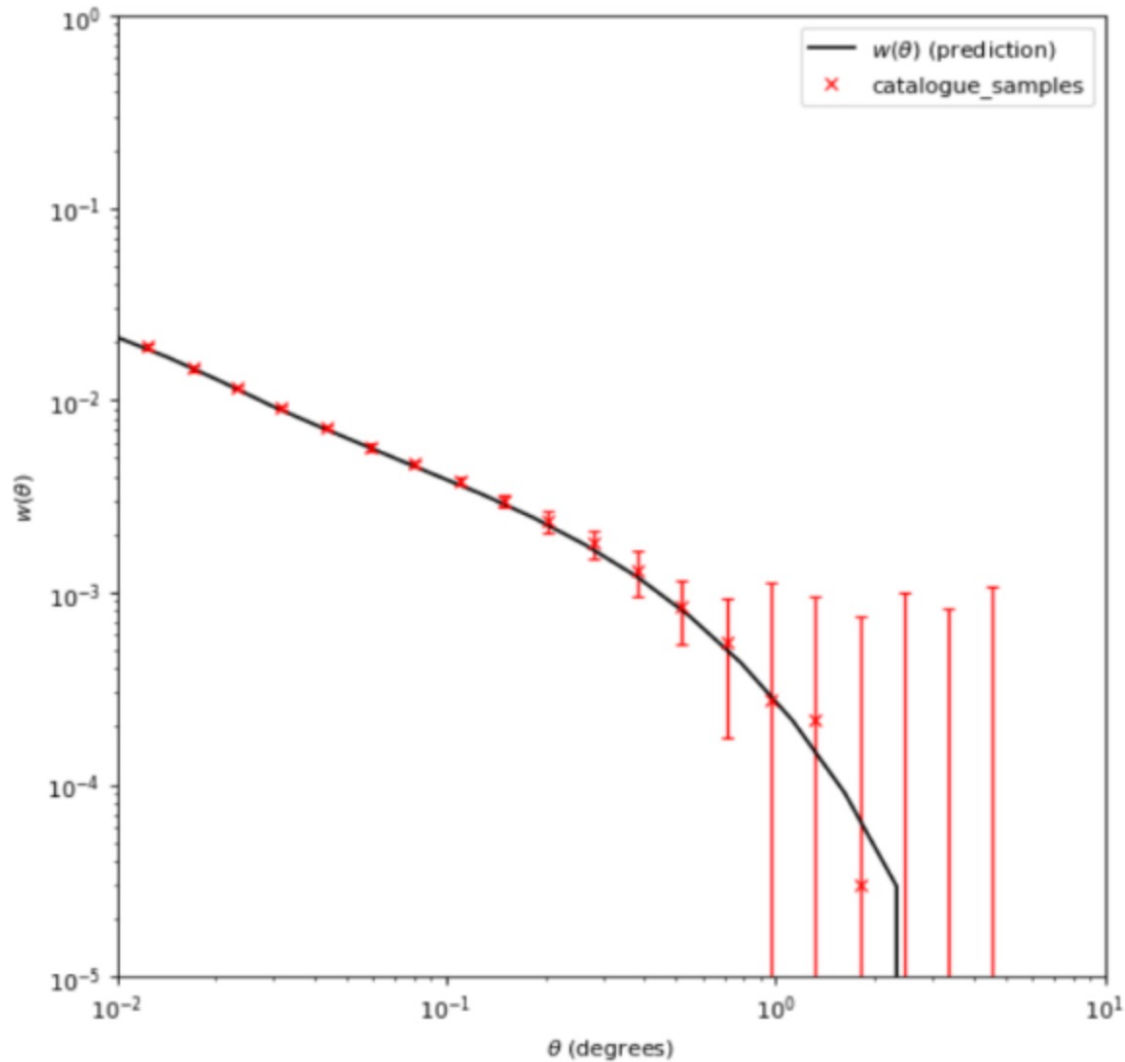
Correlation matrix



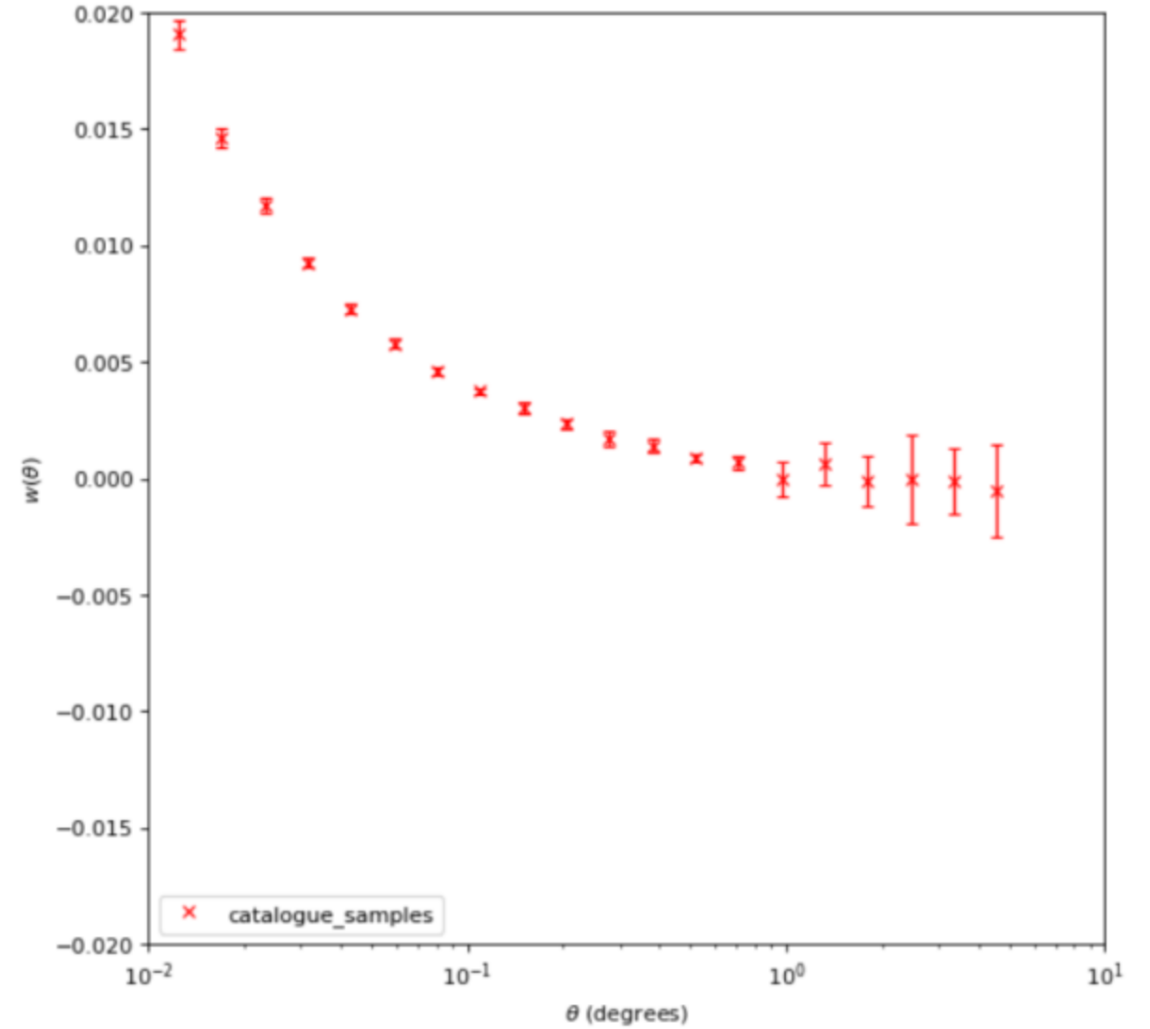
nside=8192 (logscale for both axes)

nside=8192 (linear y-axis, logscale x-axis)

Auto-correlation function

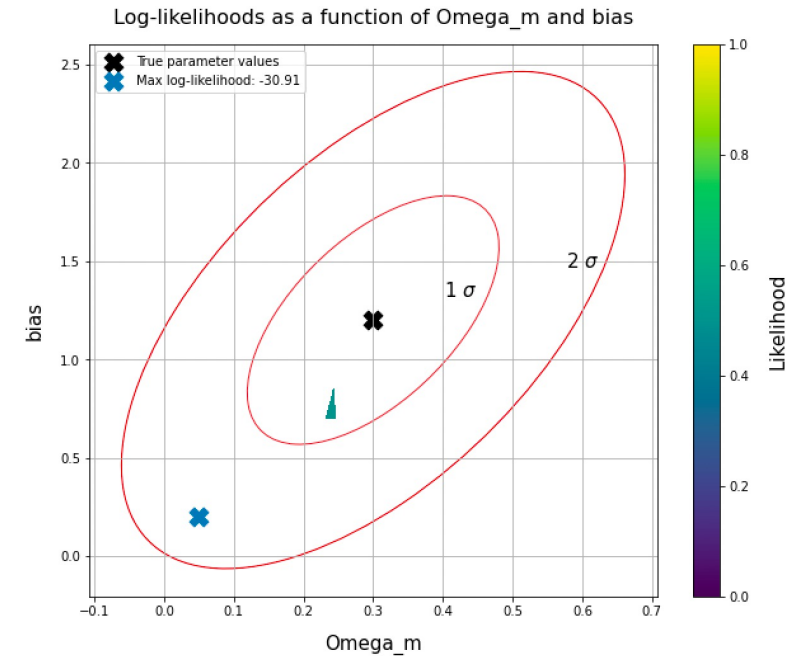
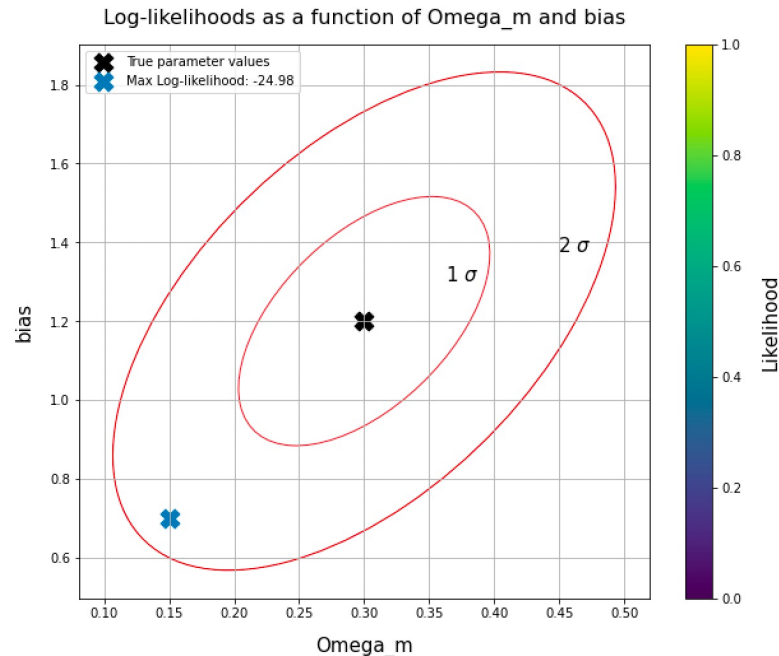
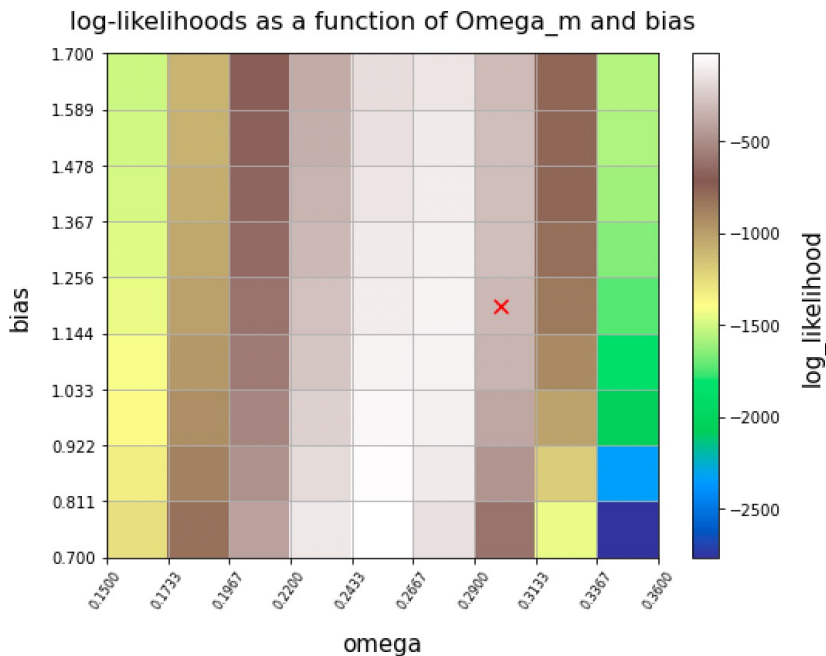


Auto-correlation function (DR)



Exploring parameter space: Log-likelihood grid

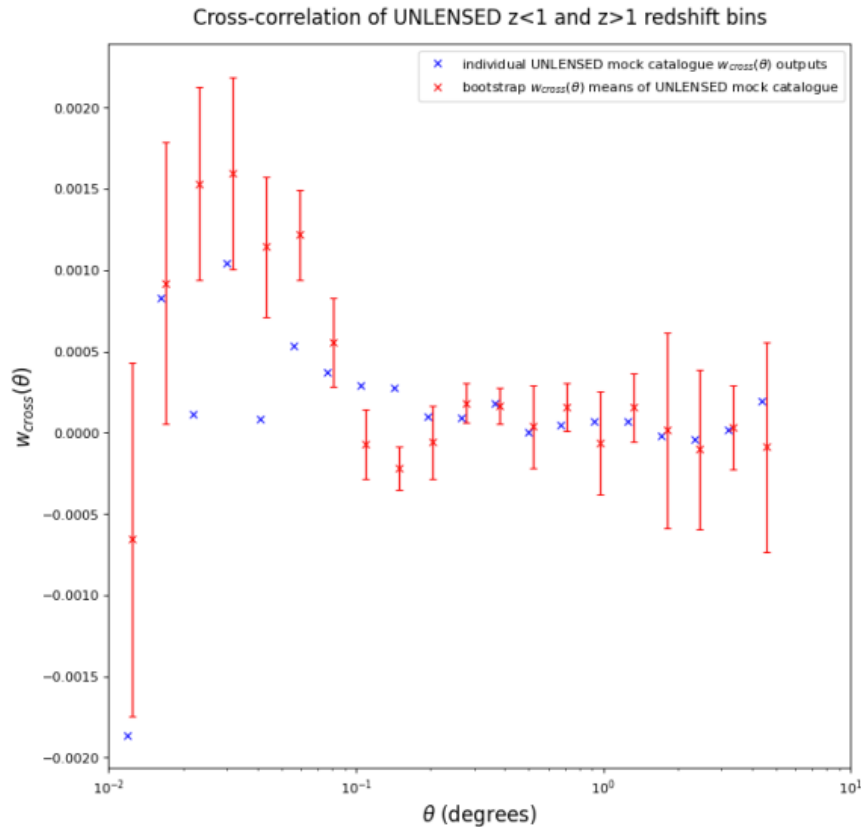
- A log-likelihood grid is a simple yet effective way to test whether our model fits the data for a minimal number of parameters (for numerous parameters, we use our Metropolis-Hastings MCMC code).
- A grid allows us to see some results swiftly, using 100 or 1000 samples.
- I tested log-likelihoods as a function of Ω_m and galaxy bias, with the latest test in the ranges of: **$0.15 < \Omega_m < 0.36$** , and **$0.7 < \text{bias} < 1.7$** .
- For 20 data points, we expect a chi-squared value of ~ 20 and max log-likelihood of ~ -20 . For a mere 100 samples, the max log-likelihood is **-24.98** (indicated by the blue marker in plot 2).



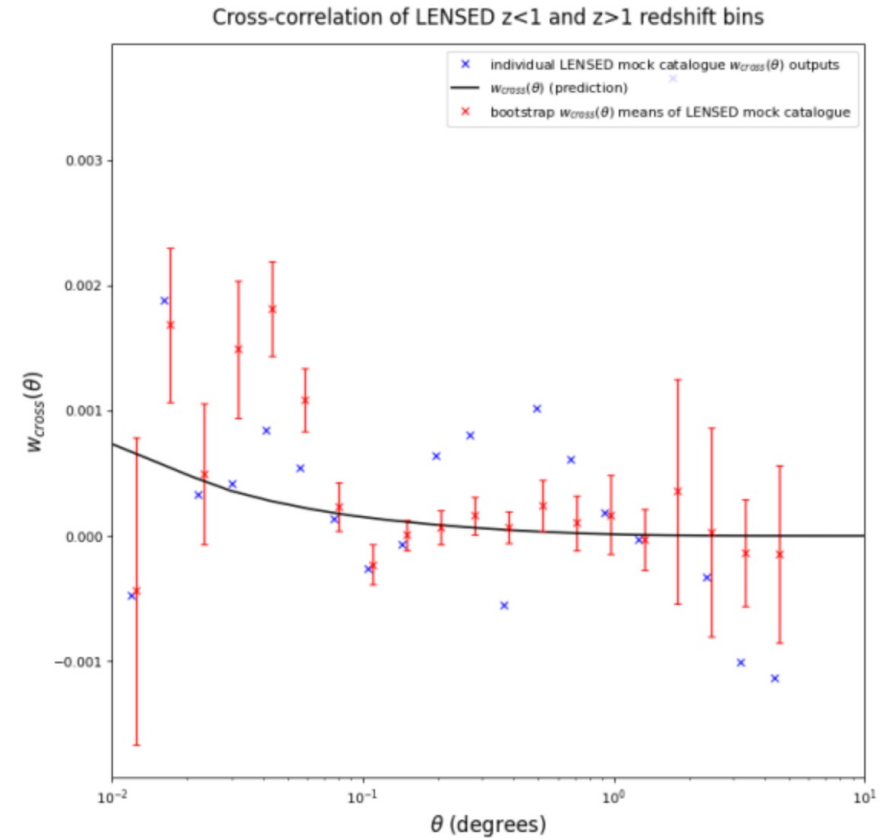
UNLENSED vs LENSED CROSS-CORRELATIONS

- Cross-correlate two redshift bins in TreeCorr WITHOUT and then WITH lensing effects.
- The expectation is that the results will align around the zero region (more so for the unlensed cross-correlation).

UNLENSED



LENSED



What's next?

Complete quality fitting for the log-likelihood grid AND complete paper 1.

Ray-tracing: simulate the real EMU sky. Measure $w(\theta)$ with/without predicted lensing effects.

Using RACS/Legacy survey data, measure the cross-correlation due to the cosmic magnification effect.

In 2025, conduct a preliminary test of GR on cosmological scales.

A cosmic background featuring a central galaxy, two Earth-like planets, and a starry field. The galaxy is a bright, horizontal band of light with a yellowish-white core, surrounded by a blue and purple nebula. Two Earth-like planets are visible, one on the left and one on the right, both showing blue oceans and white clouds. The background is filled with numerous small, bright stars of various colors.

THANK YOU