

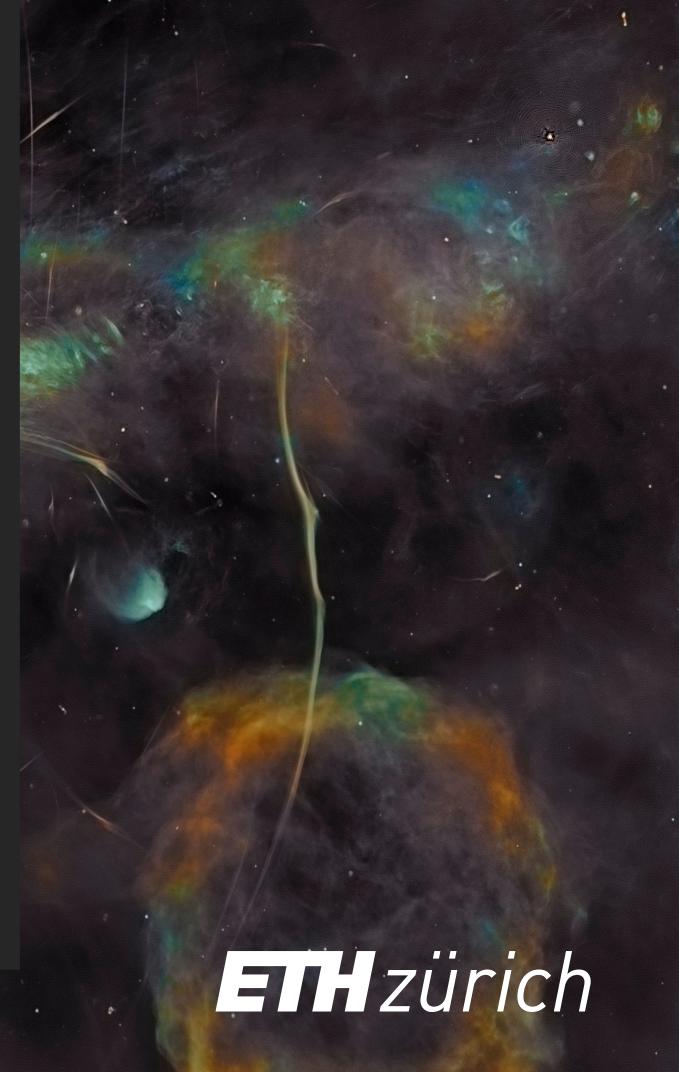


Non-Gaussian Simulation of Post-Reionization Cosmological Neutral Hydrogen based on a Halo Model Approach

Pascal Hitz
ETHZ Cosmology Group[†]

Swiss SKA Days 04.09.2024

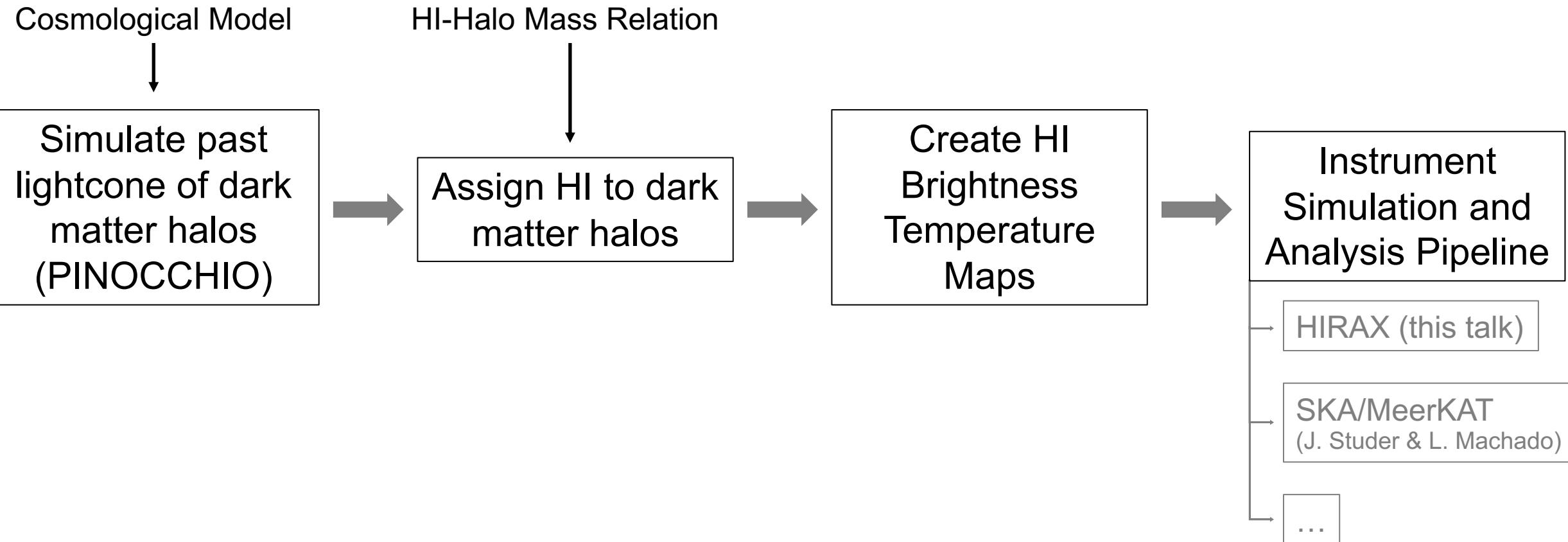
[†] Alexandre Refregier, Pascale Berner, Devin Crichton, John Hennig, Luis Machado, Joël Mayor, Jennifer Studer



ETH zürich

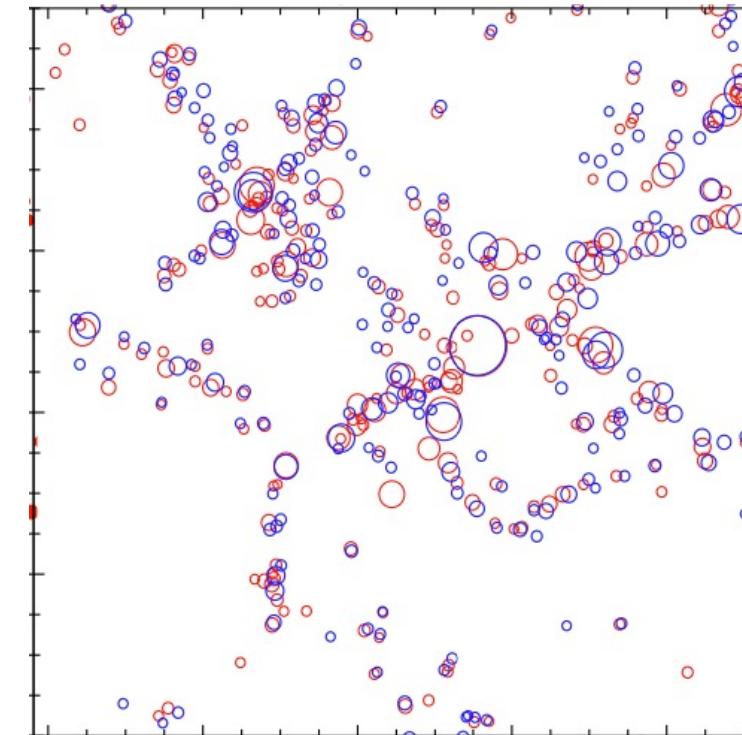
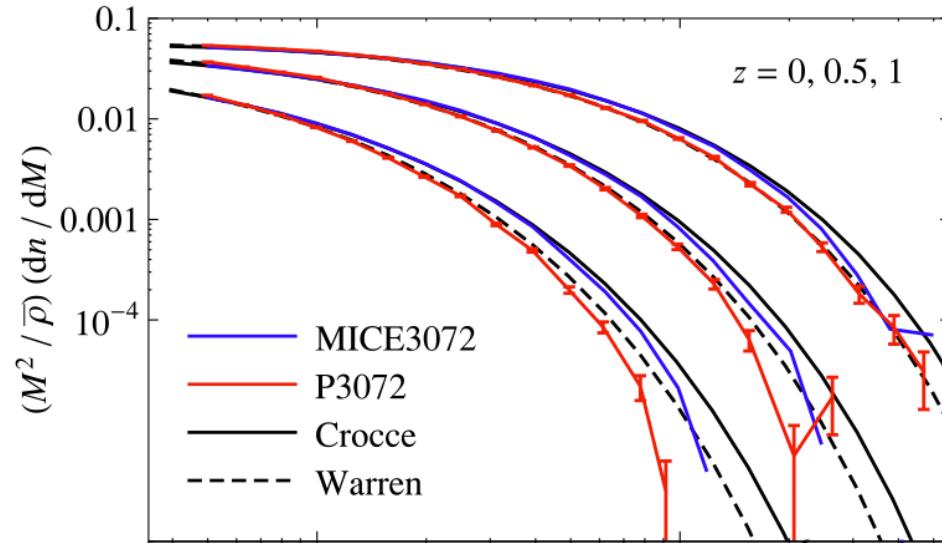
Overview

- Fast and large volume simulations of neutral hydrogen (HI) distribution
- Test instrument simulation and analysis pipeline to measure the HI emission



PINOCCHIO: Dark Matter Halo Simulation

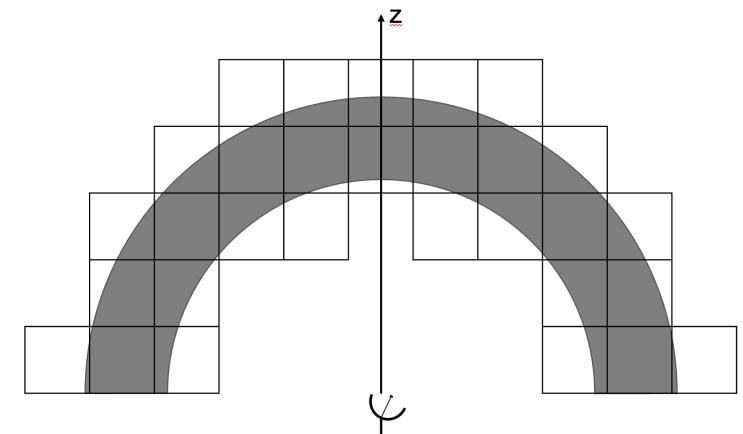
- Monaco et al. (2002, 2013), Taffoni et al. (2002), Munari et al. (2017)
- Lagrangian Perturbation Theory
- Collapsed points grouped into halos, hierarchical growth
- Catalog of dark matter halos
- Much faster than N-body



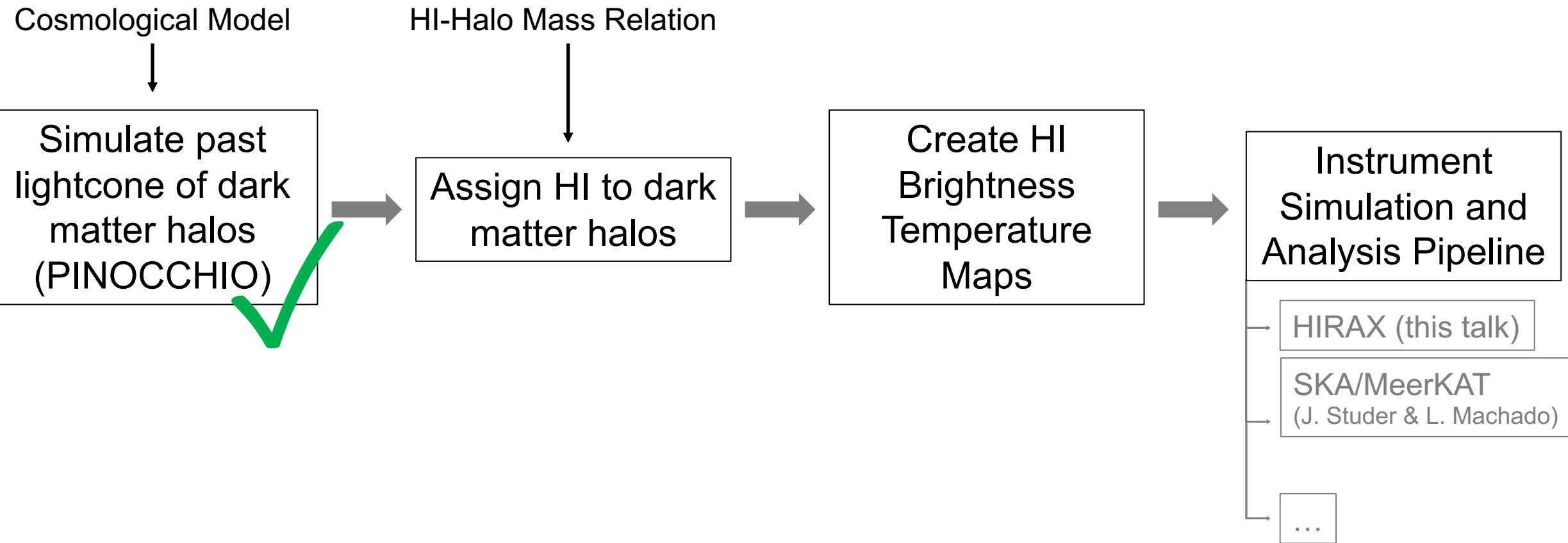
Monaco et al. 2013

Current Setting of DM Simulations

- 1 Gpc/h box size (~~500 Mpc/h~~)
 - 6700^3 simulation particles (~~2048³~~)
 - ≥ 10 particles per halo $\leftrightarrow \geq 4.3 \times 10^9 M_{\odot}$
 $(1.89 \times 10^{10} M_{\odot})$
- } → 1.5 – 3% HI mass missing
~~(20 – 30%)~~
- Lightcone settings:
 - Frequency range: 700 – 800 MHz \leftrightarrow Redshift 0.77 – 1.03
 - Declinations between -15° and -35° (~~Half-Sky~~)
 - Ran on Piz Daint with MPI parallelization
 - 2400 nodes with 12 cores each (~~39 nodes with in total 1032 cores on Euler Cluster of ETHZ~~)
 - 150 TB RAM, 40'000 CPU h runtime (~~2.75 TB RAM, 332 CPU h runtime~~)



Overview

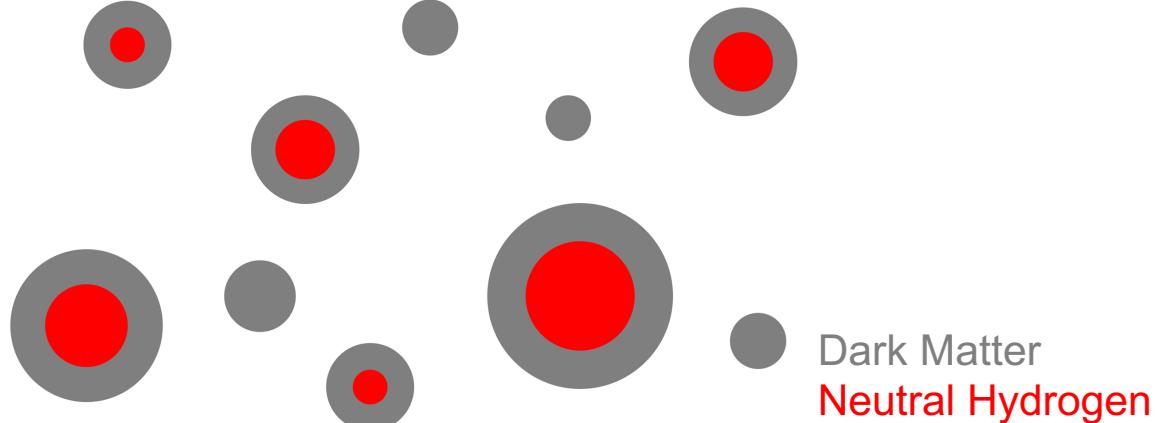


Halo Model for Cosmological HI

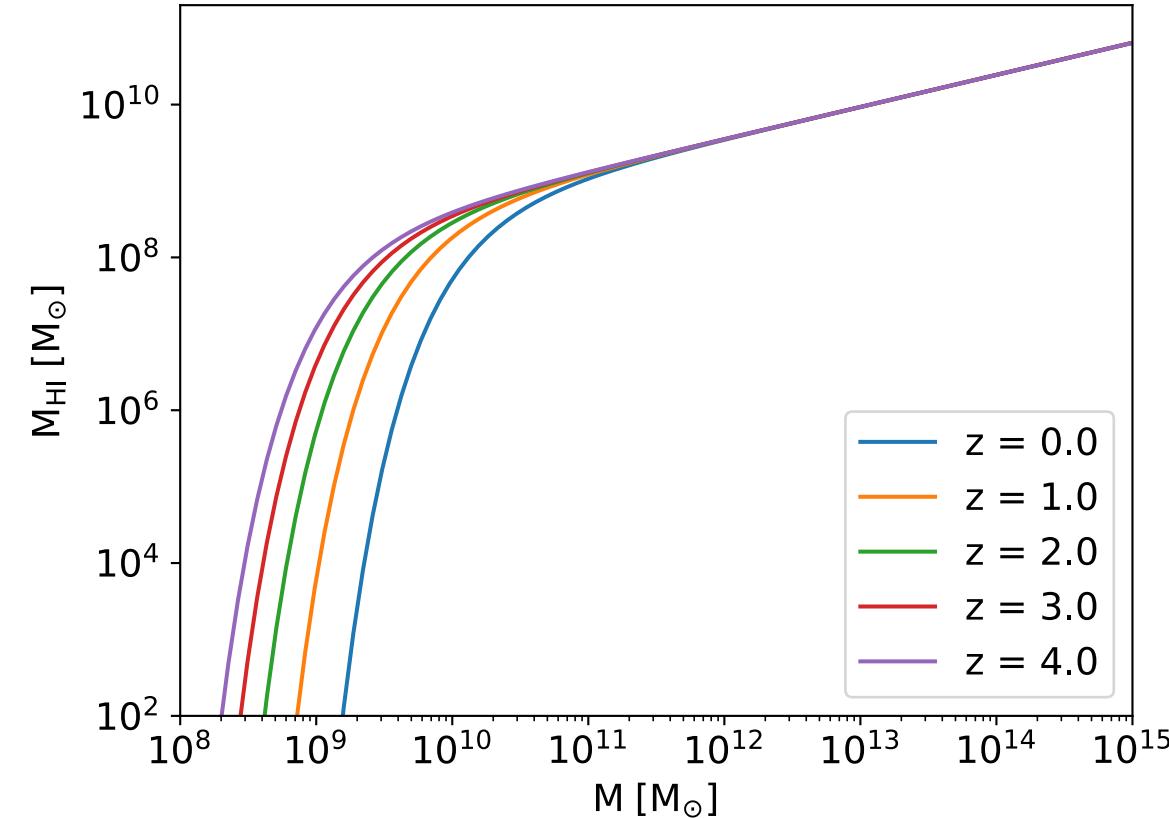
HI-halo mass relation fitted to observations:

$$M_{\text{HI}}(M, z) = \alpha f_{\text{H,c}} M \left(\frac{M}{10^{11} h^{-1} M_{\odot}} \right)^{\beta} \exp \left[- \left(\frac{v_{c,0}}{v_c(M, z)} \right)^3 \right]$$

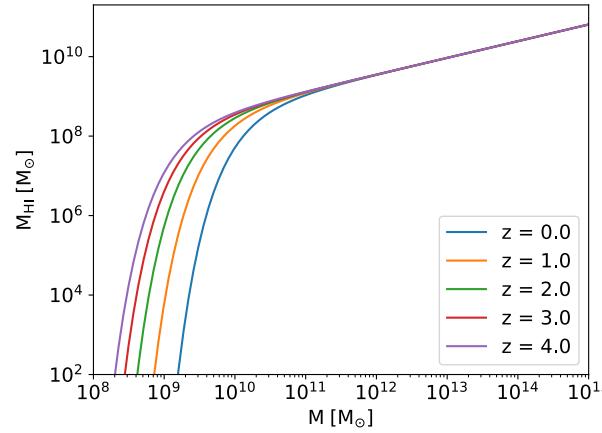
Padmanabhan et al. 2017



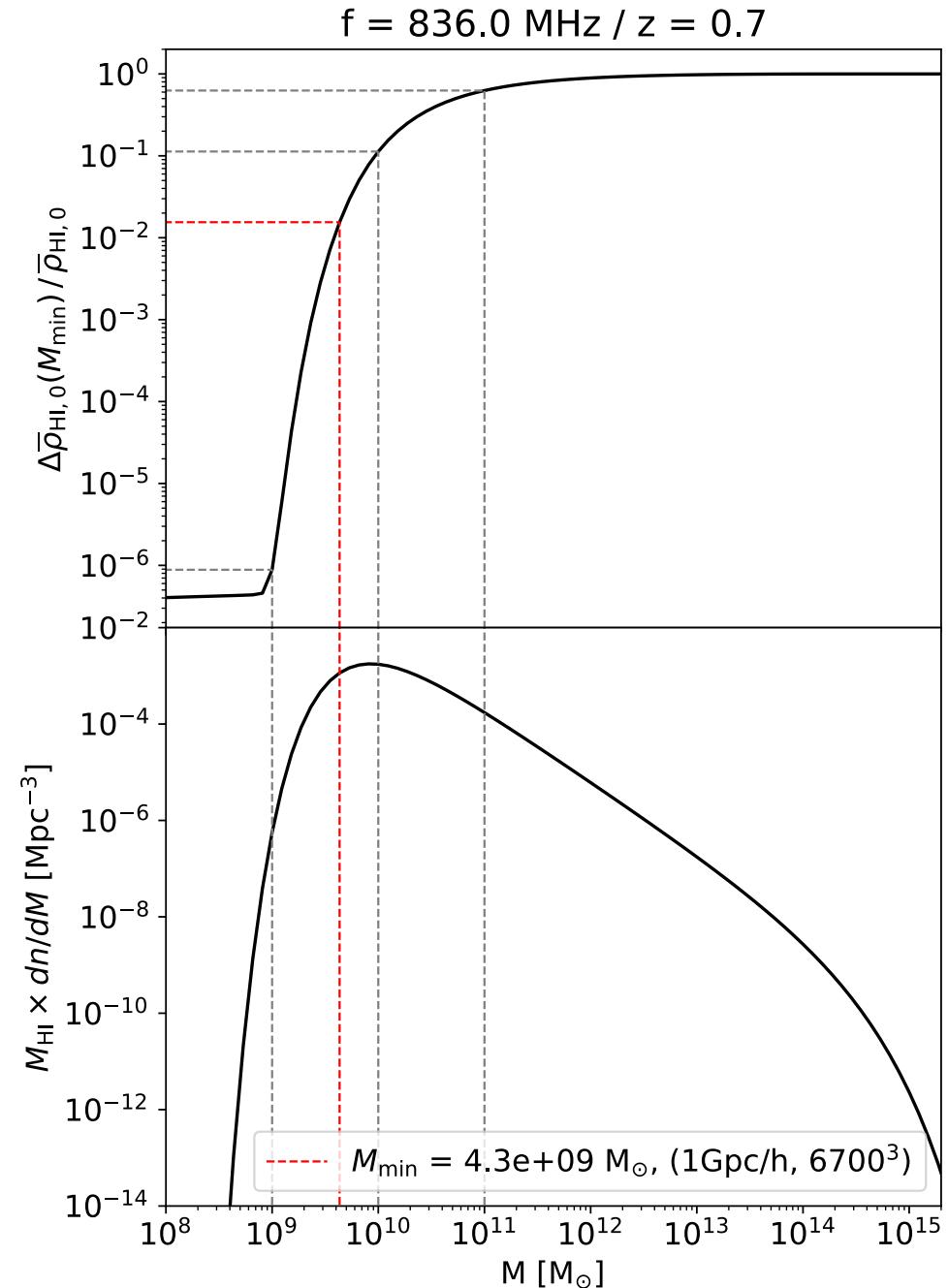
Dark Matter
Neutral Hydrogen



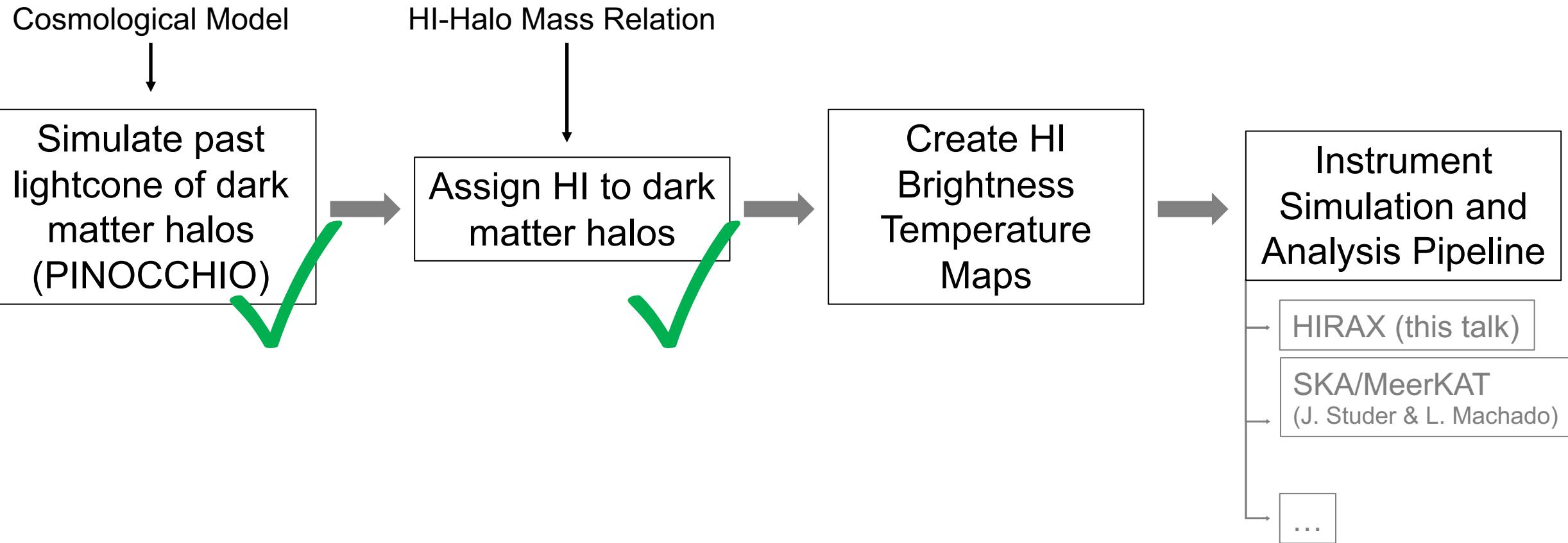
HI Mass Loss



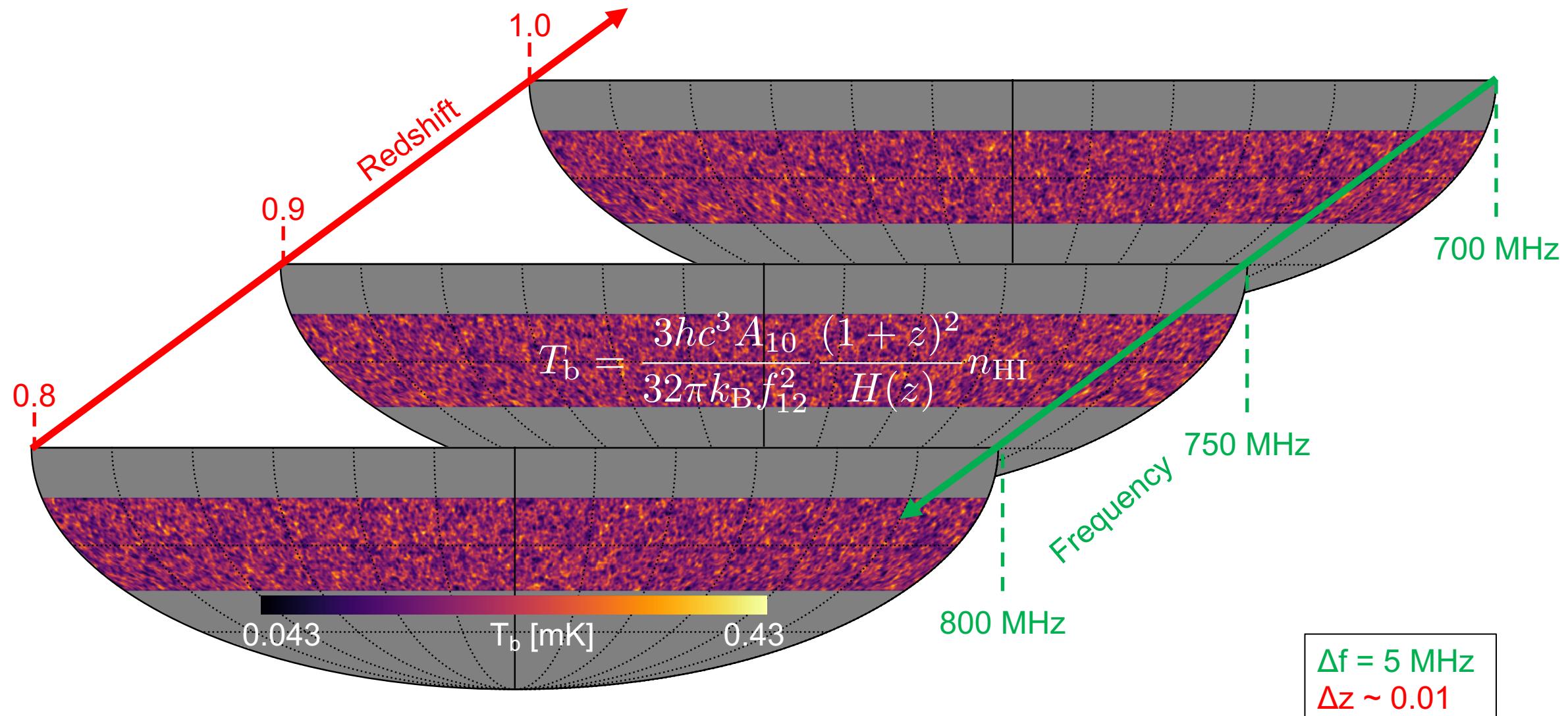
- More massive halos contain more HI
- **But:** Many more small halos than large ones
- ➔ Important not to neglect small halos.
- 1.5 – 3% loss over considered redshift range.



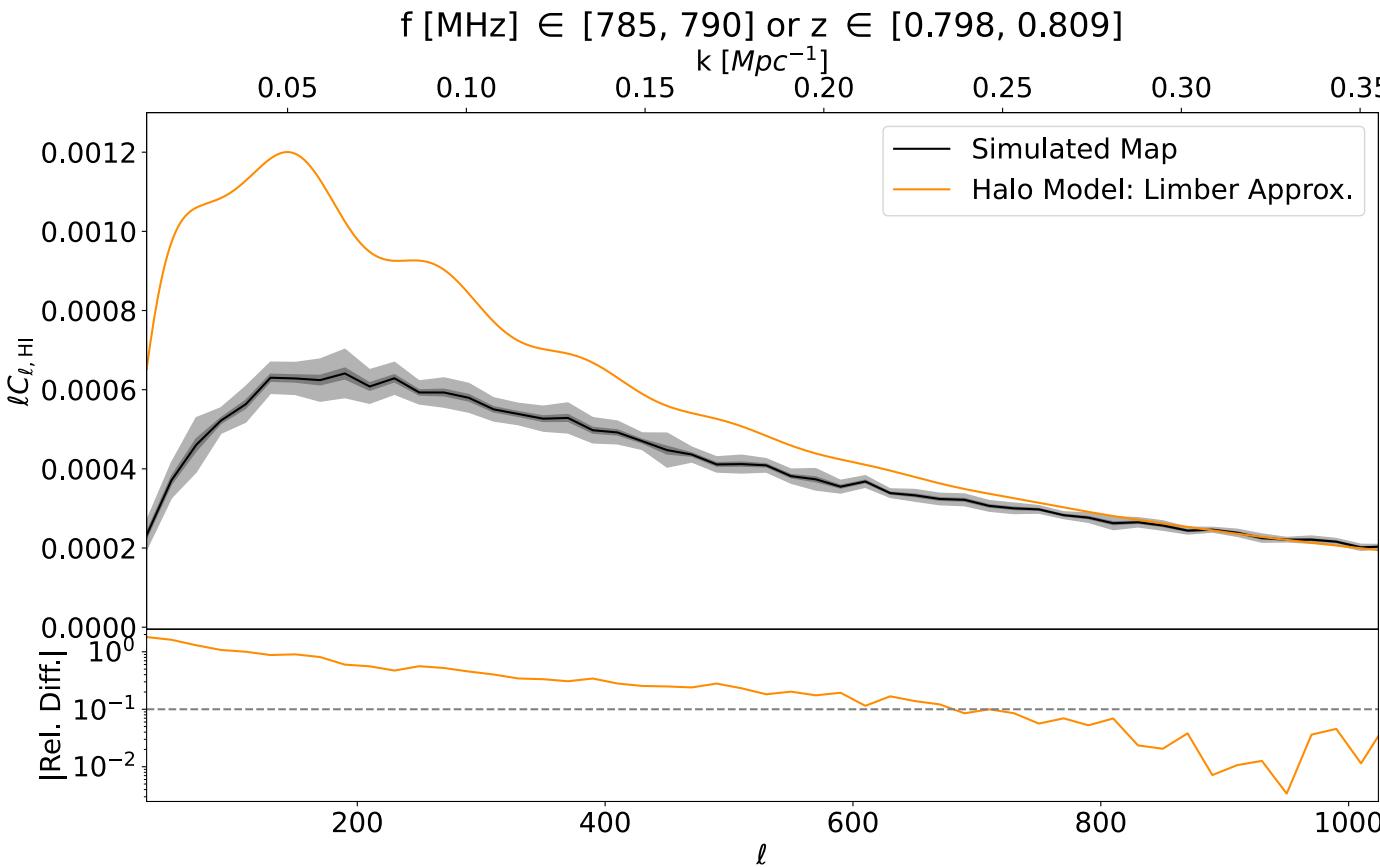
Overview



Brightness Temperature Maps



HI Angular Power Spectrum



Simulation:

$$\delta_{HI} = (T_{HI} - \bar{T}_{HI})/\bar{T}_{HI}$$
$$\langle \delta_{HI,\ell m} \delta_{HI,\ell' m'}^* \rangle = \delta_{\ell\ell'}^D \delta_{mm'}^D C_{\ell,HI}$$

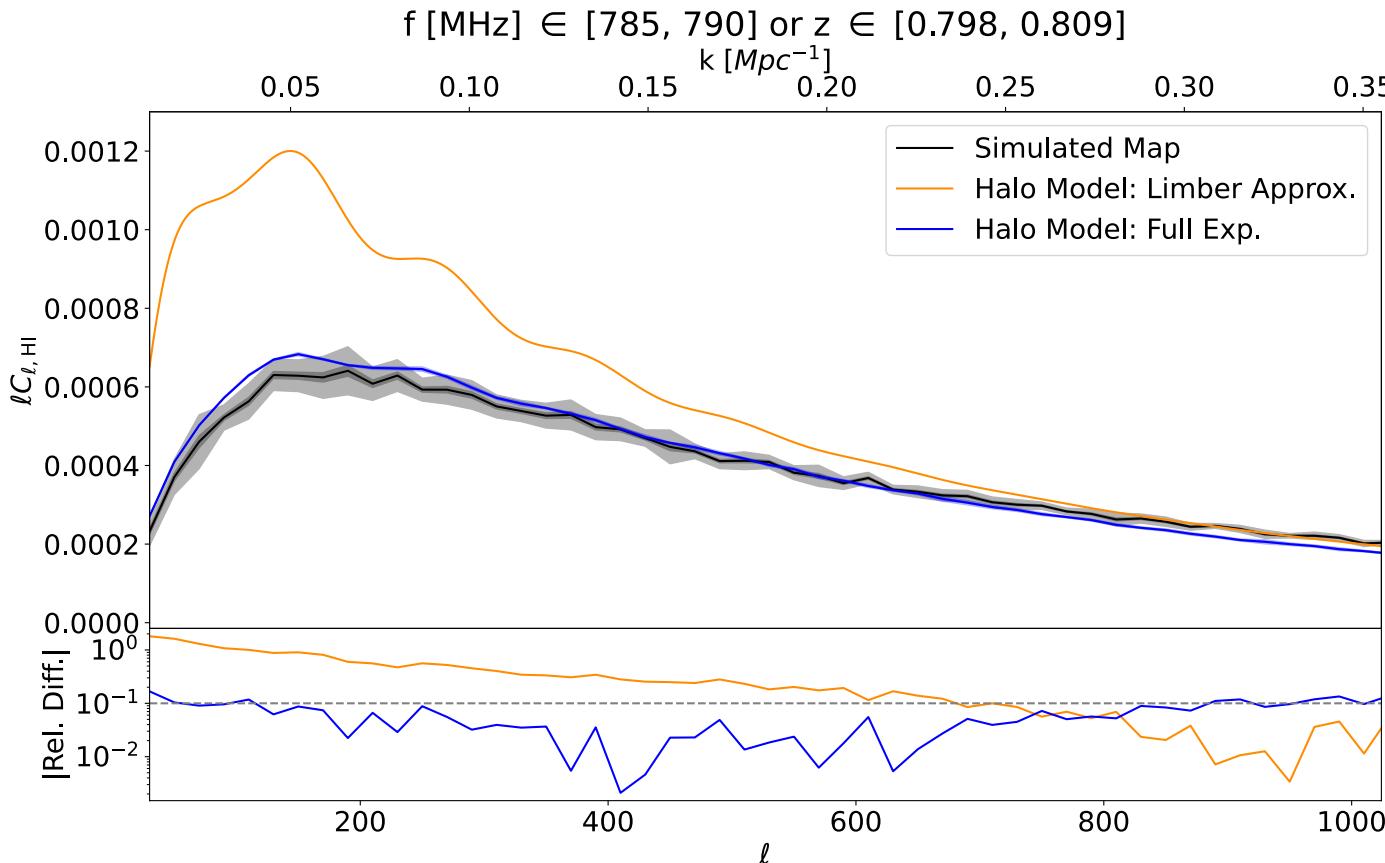
Limber Approximation:

$$C_{\ell,HI} \approx \int dz \frac{c}{H(z)} \frac{W^2(z)}{r(\chi(z))^2} P_{HI} \left(\frac{\ell + 1/2}{r(\chi(z))}, z \right)$$



Refregier et al. 2017

HI Angular Power Spectrum



Simulation:

$$\delta_{\text{HI}} = (T_{\text{HI}} - \bar{T}_{\text{HI}})/\bar{T}_{\text{HI}}$$
$$\langle \delta_{\text{HI}, \ell m} \delta_{\text{HI}, \ell' m'}^* \rangle = \delta_{\ell \ell'}^D \delta_{m m'}^D C_{\ell, \text{HI}}$$

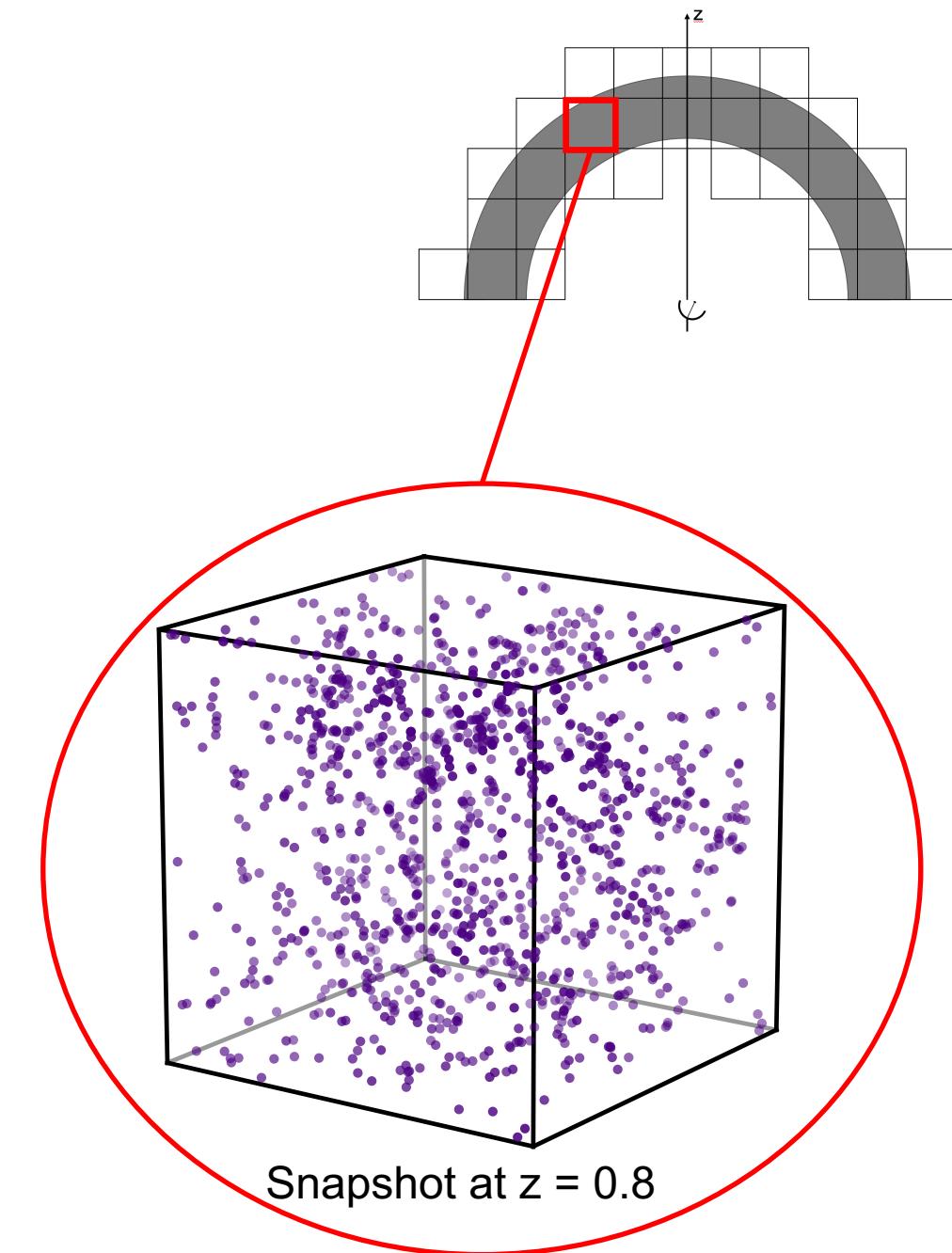
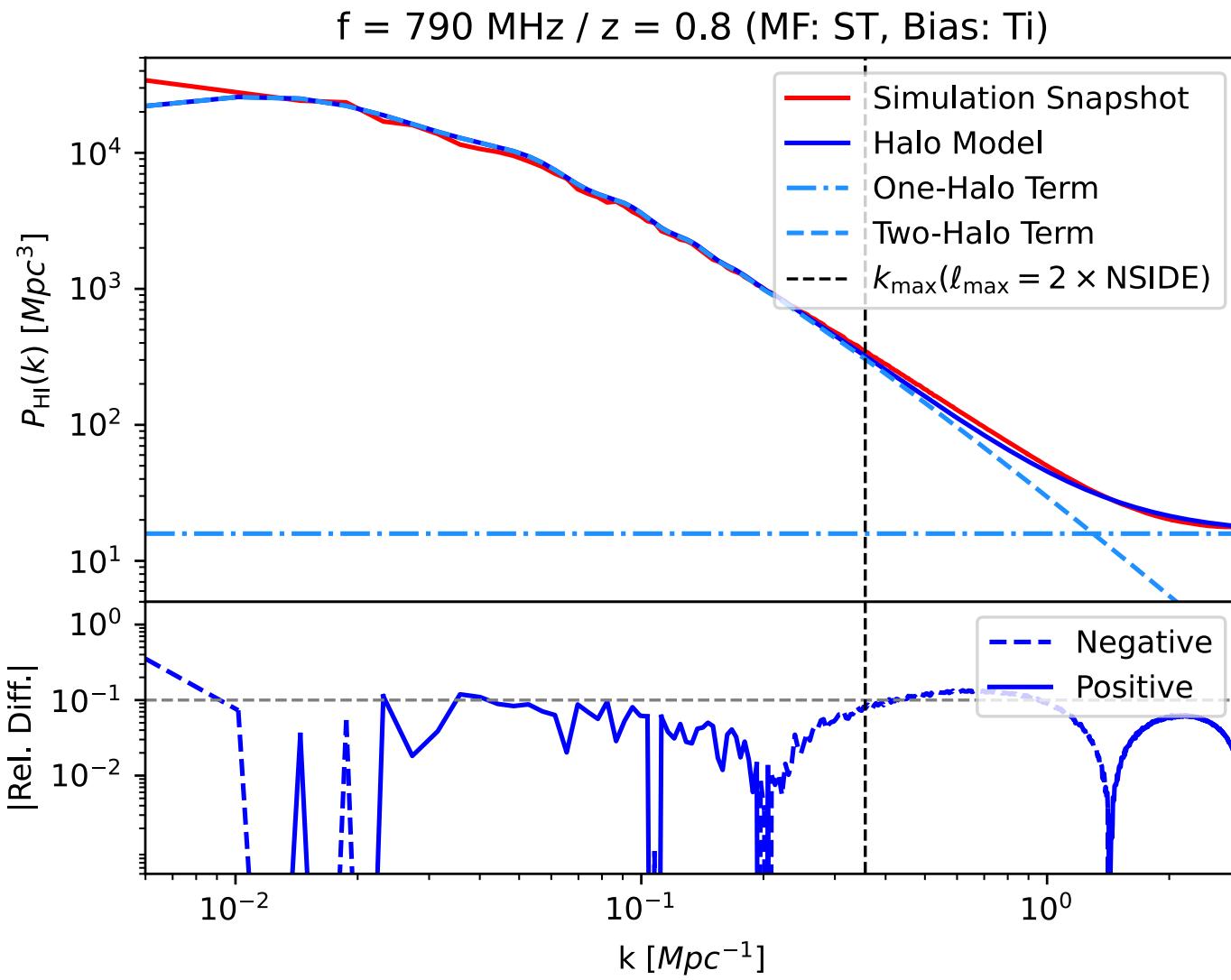
Limber Approximation:

$$C_{\ell, \text{HI}} \approx \int dz \frac{c}{H(z)} \frac{W^2(z)}{r(\chi(z))^2} P_{\text{HI}} \left(\frac{\ell + 1/2}{r(\chi(z))}, z \right)$$

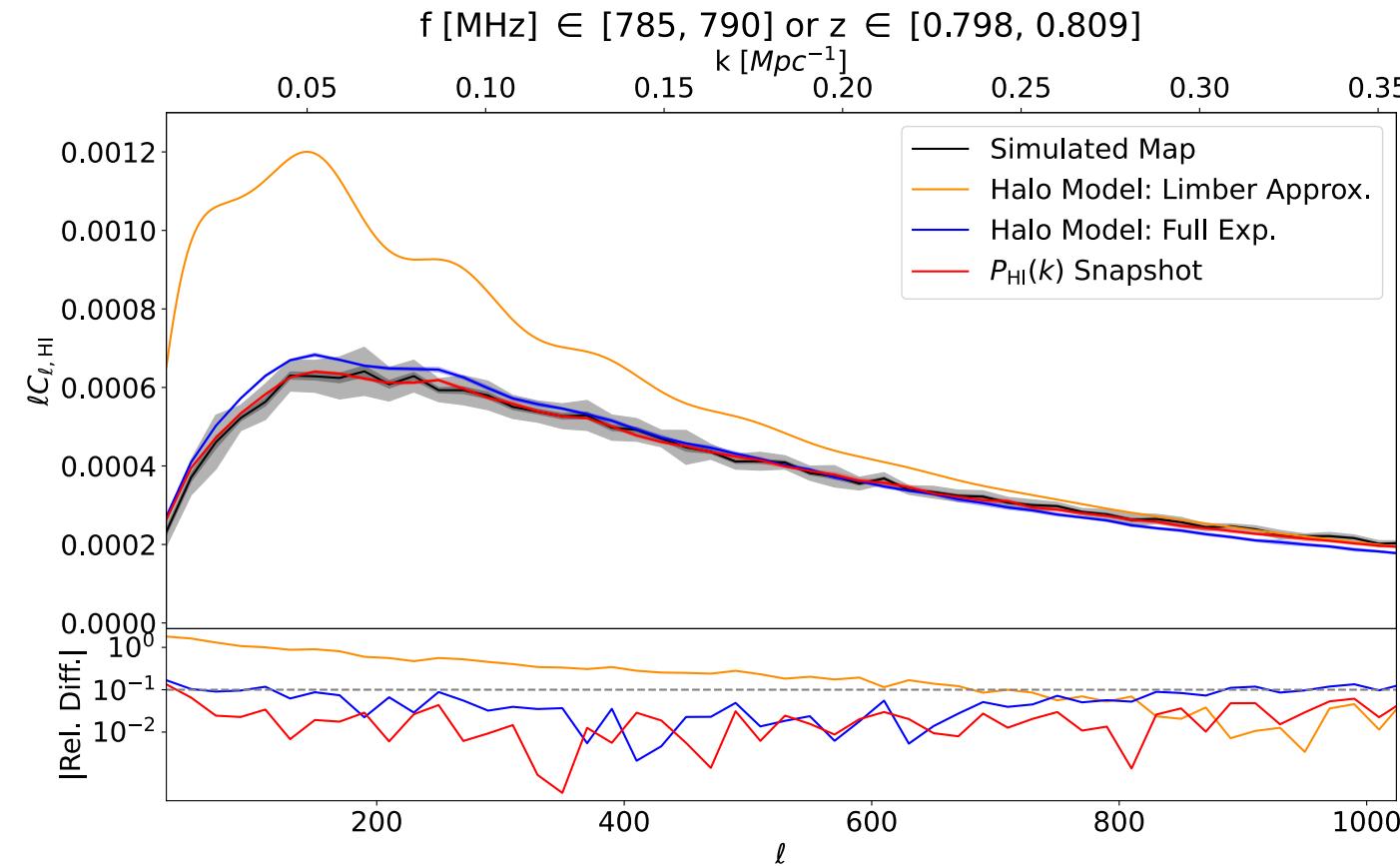
Full Expression:

$$C_{\ell, \text{HI}} = \frac{2}{\pi} \int k^2 dk \int_0^\infty d\chi W(\chi) j_\ell(k\chi) \sqrt{P_{\text{HI}}(k, z(\chi))}$$
$$\times \int_0^\infty d\chi' W(\chi') j_\ell(k\chi') \sqrt{P_{\text{HI}}(k, z(\chi'))}$$

HI Power Spectrum



HI Angular Power Spectrum



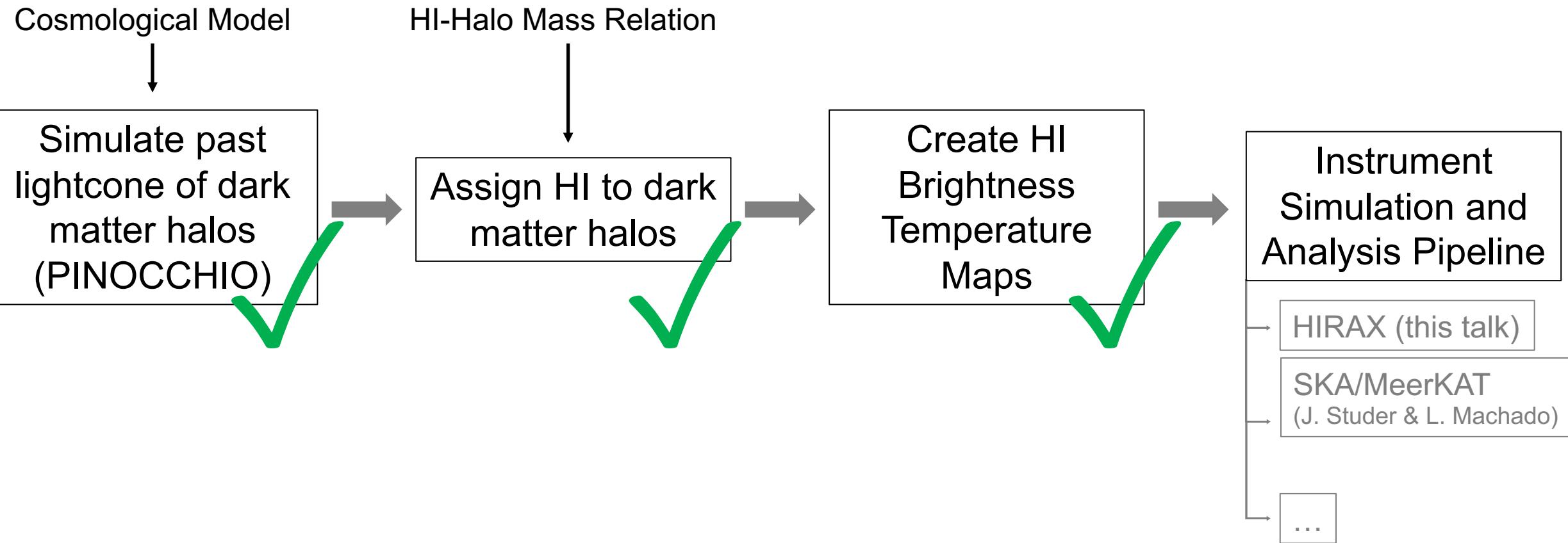
Full Expression:

$$C_{\ell, \text{HI}} = \frac{2}{\pi} \int k^2 dk \int_0^\infty d\chi W(\chi) j_\ell(k\chi) \sqrt{P_{\text{HI}}(k, z(\chi))}$$
$$\times \int_0^\infty d\chi' W(\chi') j_\ell(k\chi') \sqrt{P_{\text{HI}}(k, z(\chi'))}$$

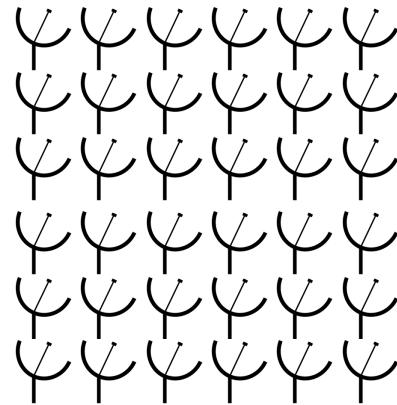
→ $\textcolor{blue}{—}$: $P_{\text{HI}}(k, z)$ from halo model

→ $\textcolor{red}{—}$: $P_{\text{HI}}(k, z)$ from snapshot

Overview

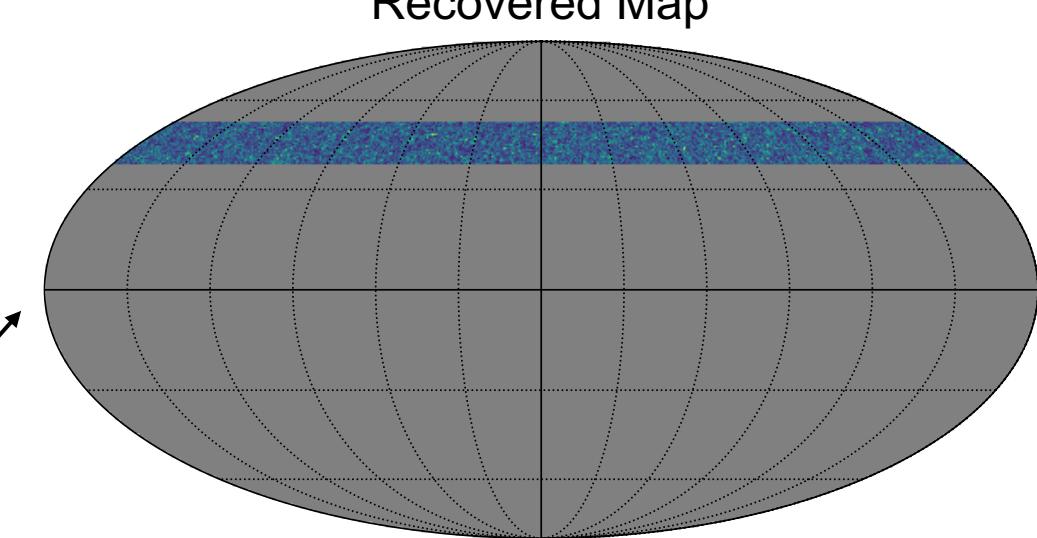
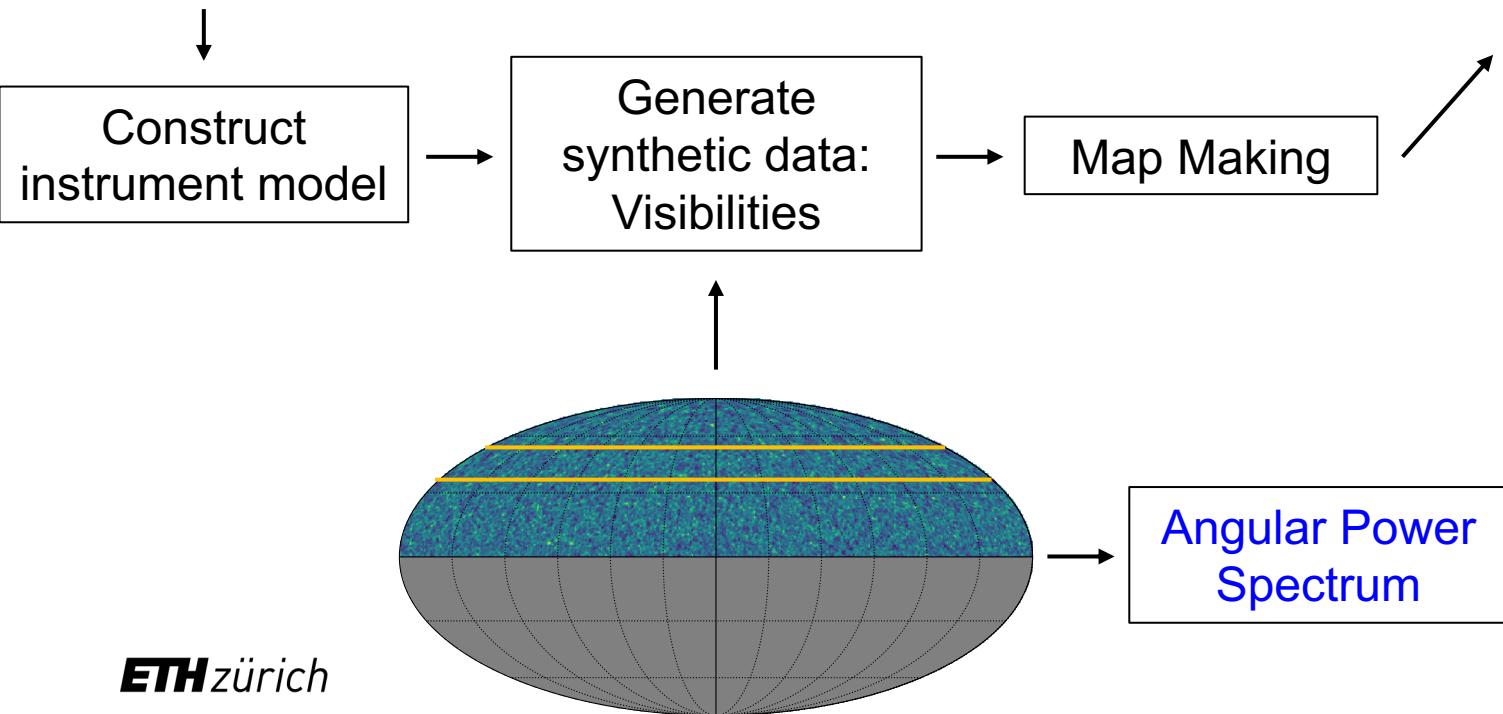


Instrument Simulation and Analysis Pipeline



Number of dishes: 36 (6 x 6 grid)
Operating mode: Drift-scan
Dish diameter: 6 m
Dish separation: 6 m
Primary Beam Type: Gaussian
Telescope Latitude: 45°

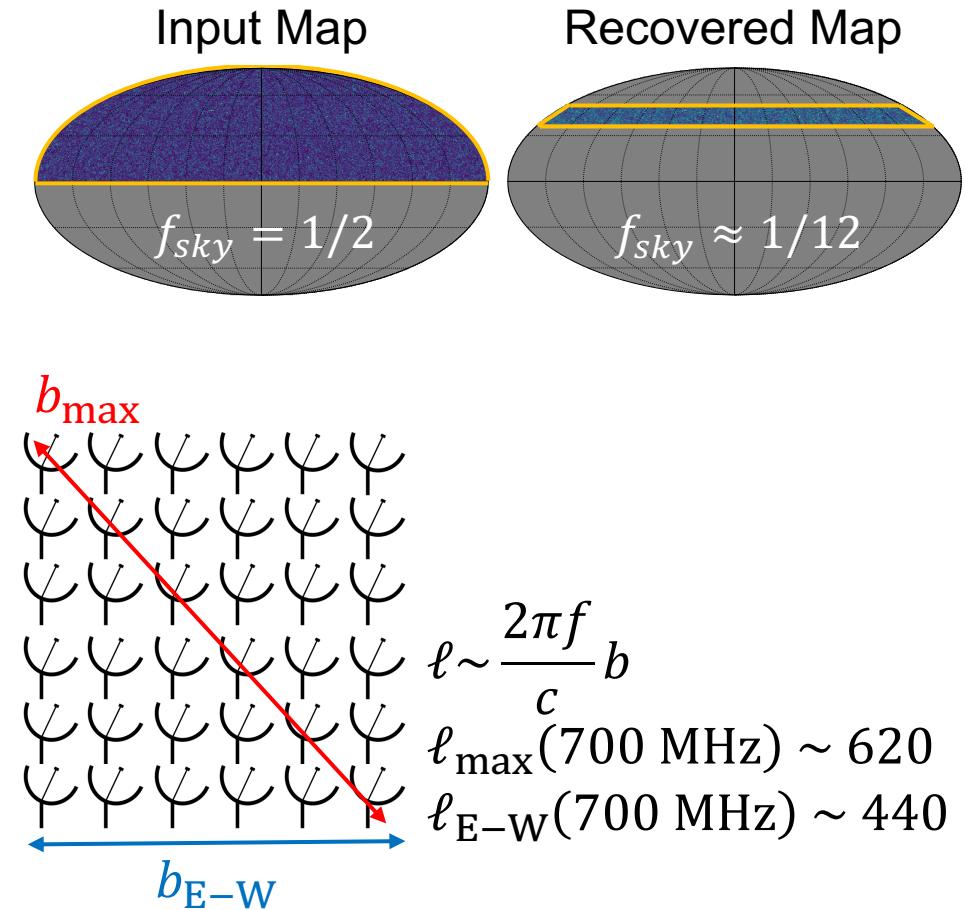
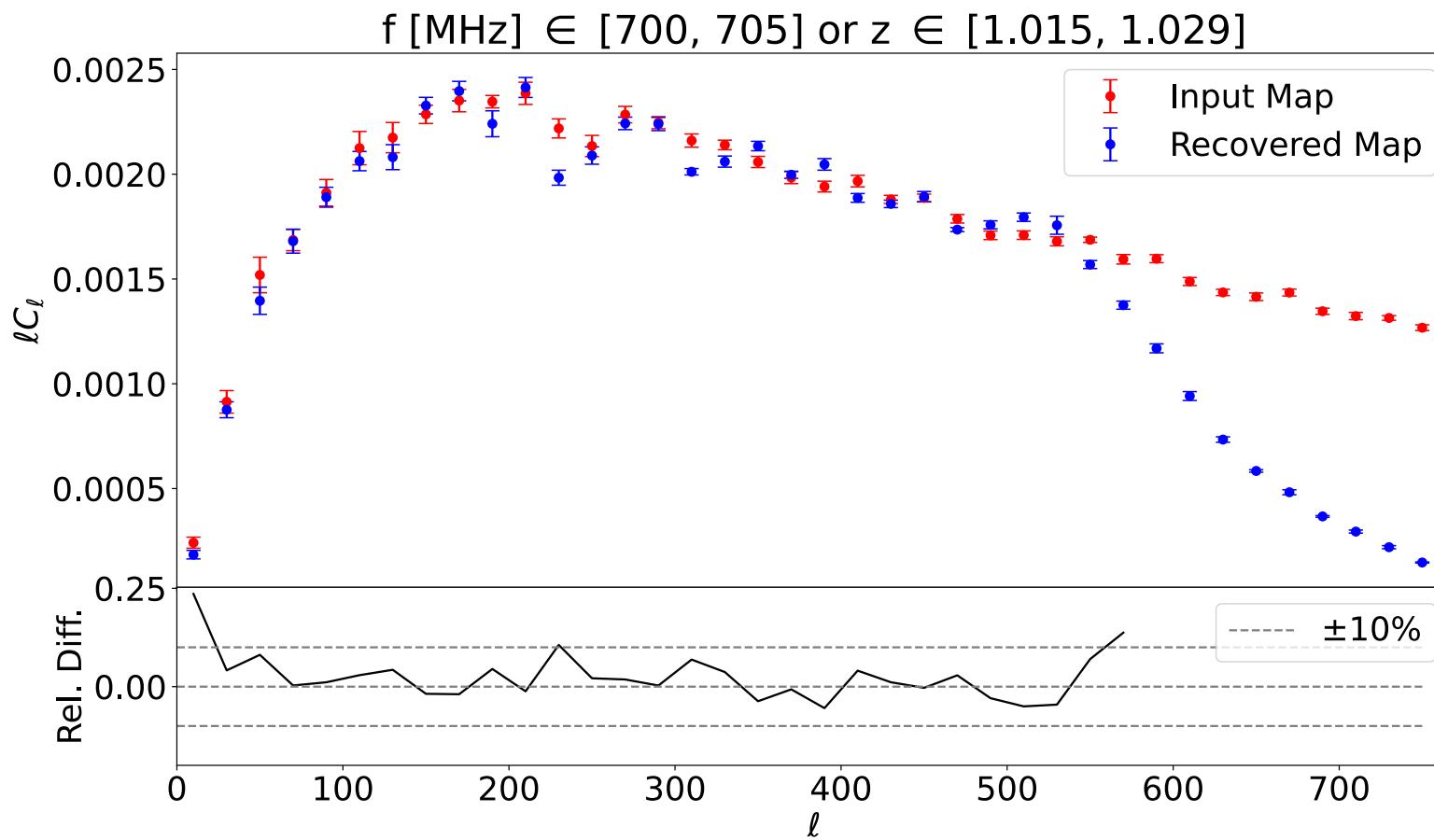
Simplified HIRAX array configuration



0 mK 0.5806

Angular Power Spectrum

Recovered HI Angular Power Spectrum



Summary

- Simulation pipeline of HI maps for intensity mapping
- Apply it to HIRAX and SKA/MeerKAT
- Theoretical predictions of power spectrum
- Future developments:
 - Vary cosmology and astrophysics (HI-Halo mass relation)
 - Consider foregrounds, noise and RSD
 - Cross-correlations with other probes

Hitz et al. (in prep.)

PyCosmo HI Halo Model

- Fundamental assumption: All matter in the universe is arranged in halos of different sizes and masses

$$P_{\text{HI}}(k) = P_{1h,\text{HI}}(k) + P_{2h,\text{HI}}(k)$$

$$\rightarrow P_{1h,\text{HI}} = \frac{1}{\bar{\rho}_{\text{HI}}^2} \int dM \frac{dn(M, z)}{dM} M_{\text{HI}}^2(M) |u_{\text{HI}}(k|M)|^2$$

$$\rightarrow P_{2h,\text{HI}} = P_{\text{lin}}(k) \left[\frac{1}{\bar{\rho}_{\text{HI}}} \int dM \frac{dn(M, z)}{dM} M_{\text{HI}}(M) b(M) |u_{\text{HI}}(k|M)| \right]^2$$