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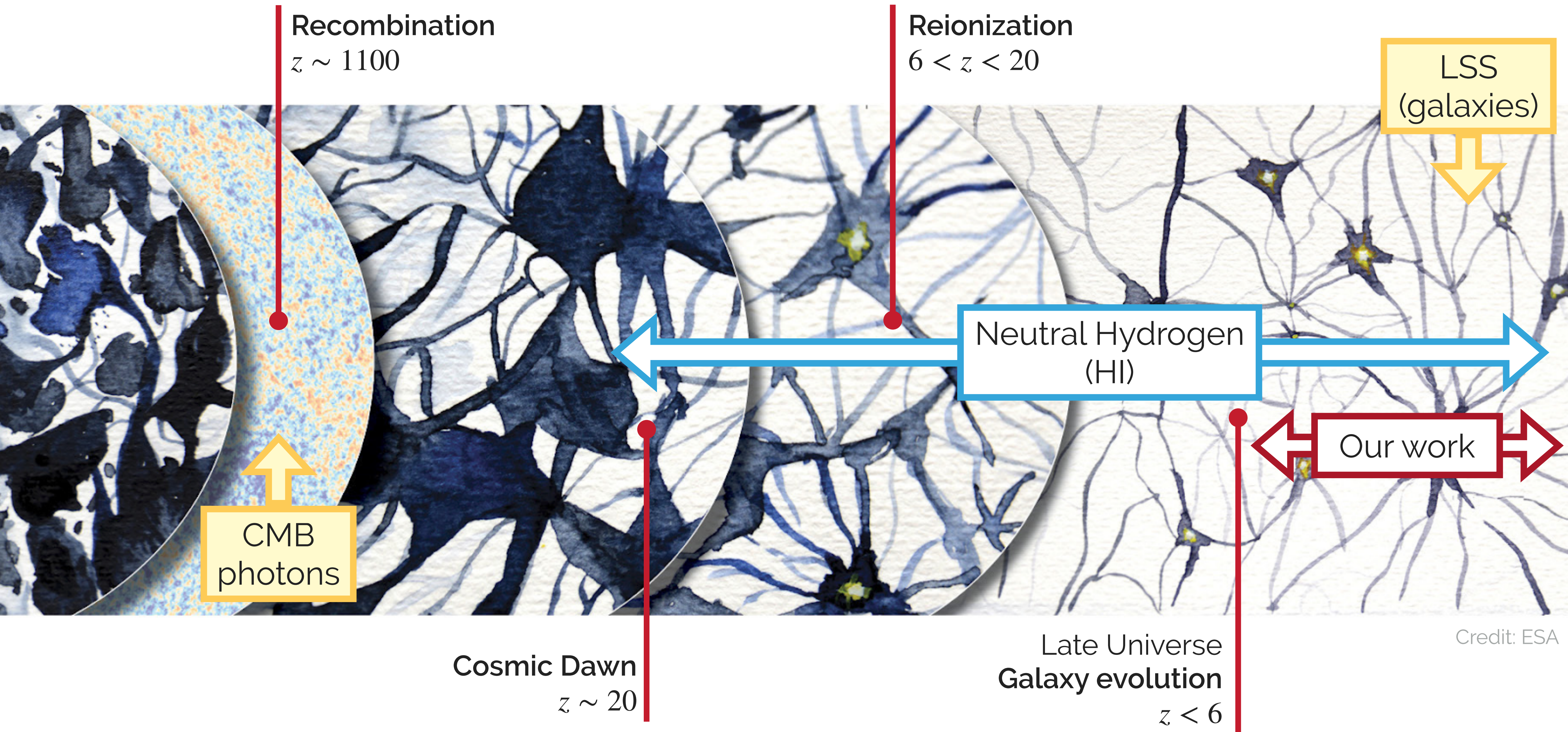
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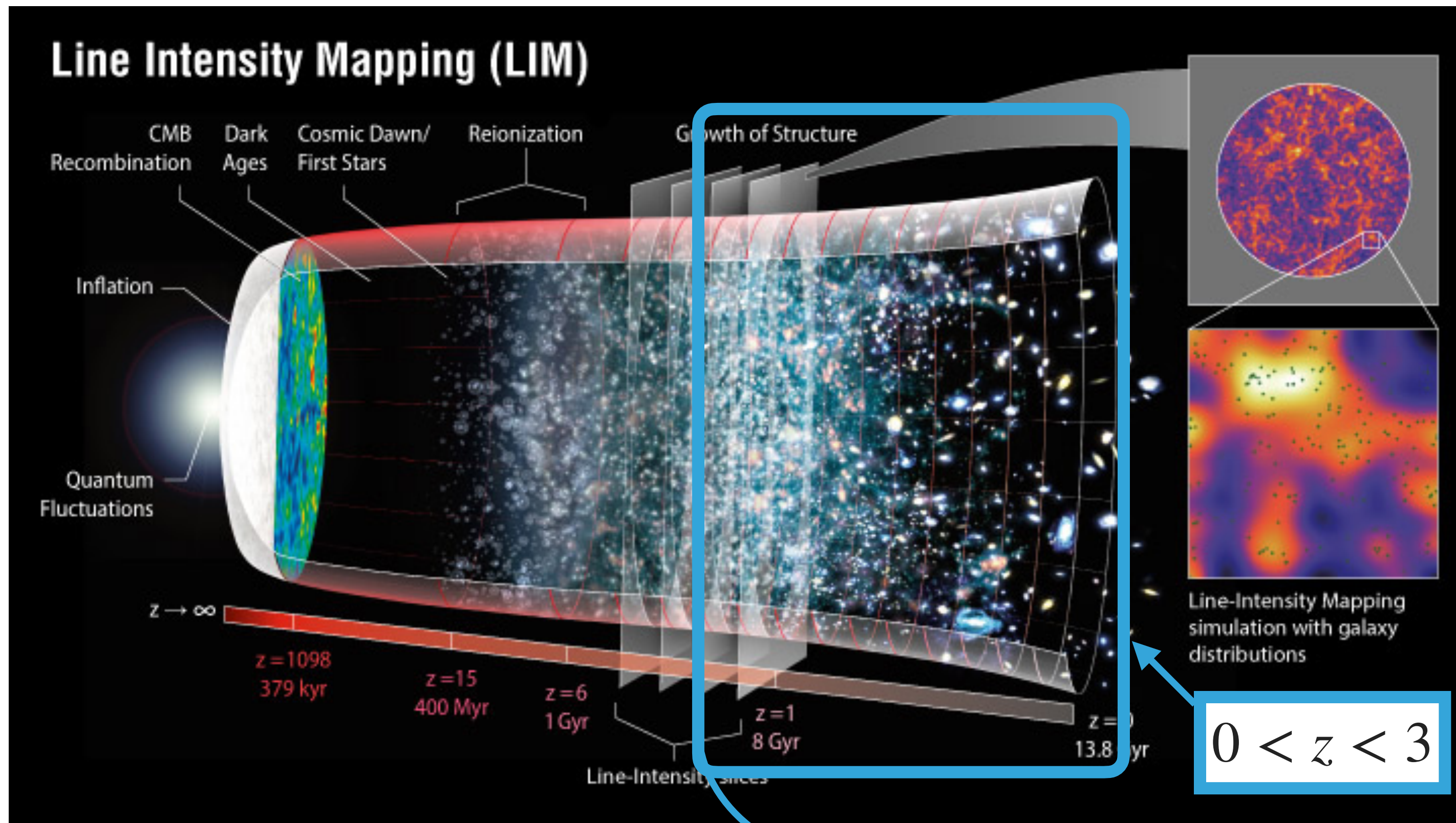
# Probing the $\Lambda$ CDM Universe and Beyond with Present and Future 21cm Intensity Mapping Surveys

# Hydrogen Through Cosmic Time



# 21cm Line Intensity Mapping

Credit: NASA / LAMBDA Archive Team



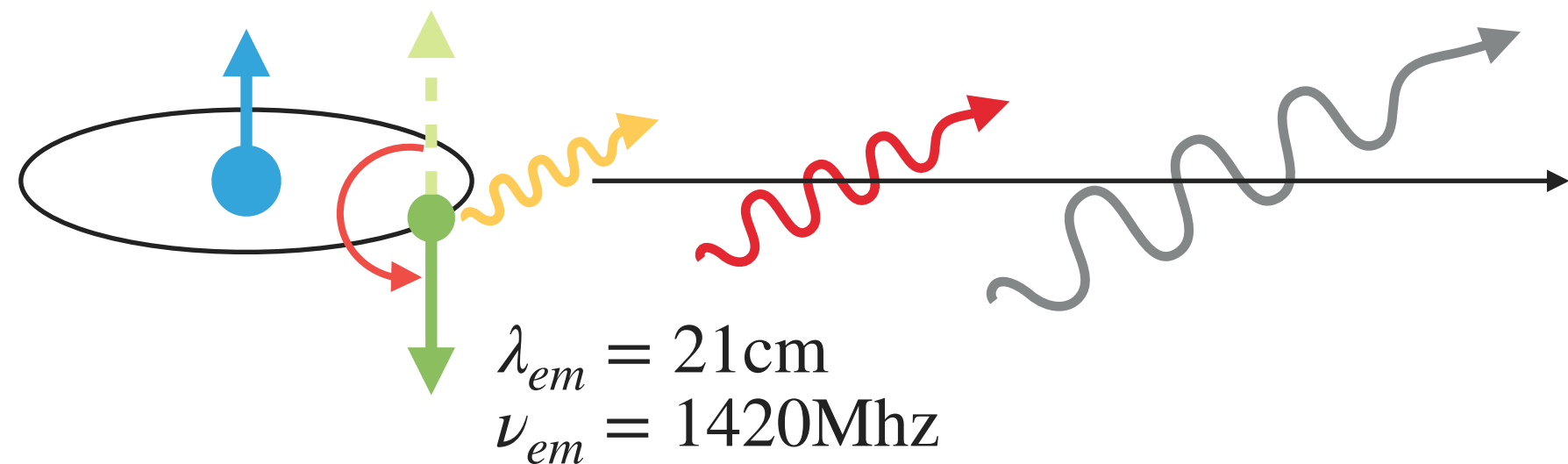
total intensity of the 21cm emission line in a **large pixel** (low spatial resolution)

Integrated emission from multiple galaxies

**Brightness Temperature**  
 $T_b(x, z)$

**TOMOGRAPHY**

high spectral resolution



$$1 + z = \frac{\nu_{em}}{\nu_{obs}}$$

## What is Dark Matter?

What is the link between galaxies and dark matter halo?

Can alternative models solve the tensions simultaneously?

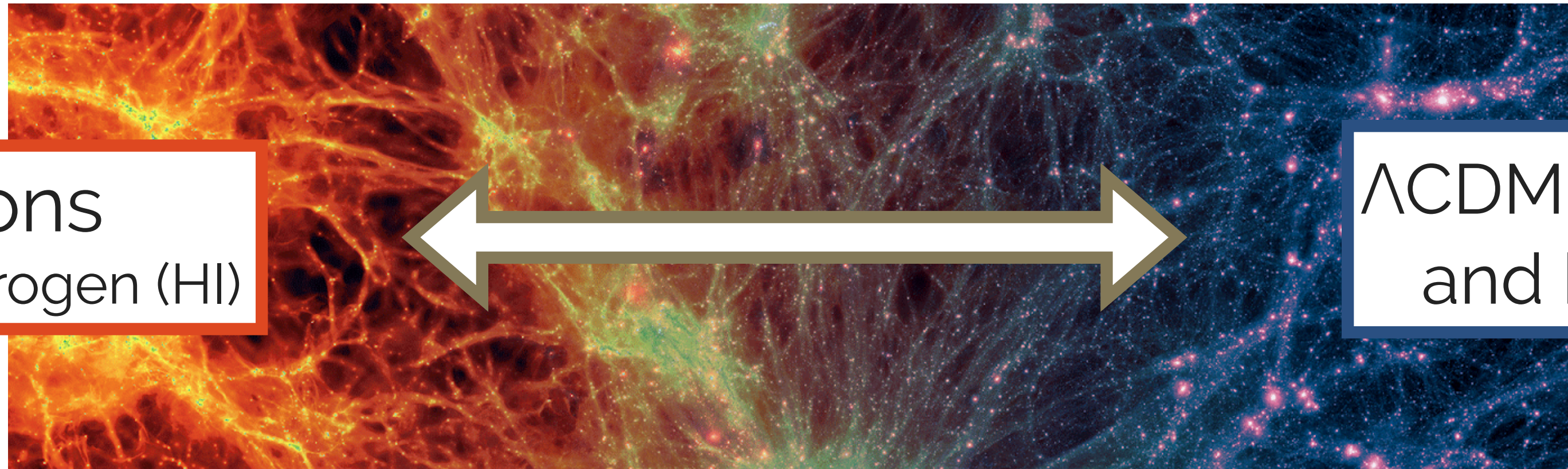
What can cosmology tell us about neutrinos?

## What is Dark Energy?

Does the CMB lensing anomaly hide not understood systematics?

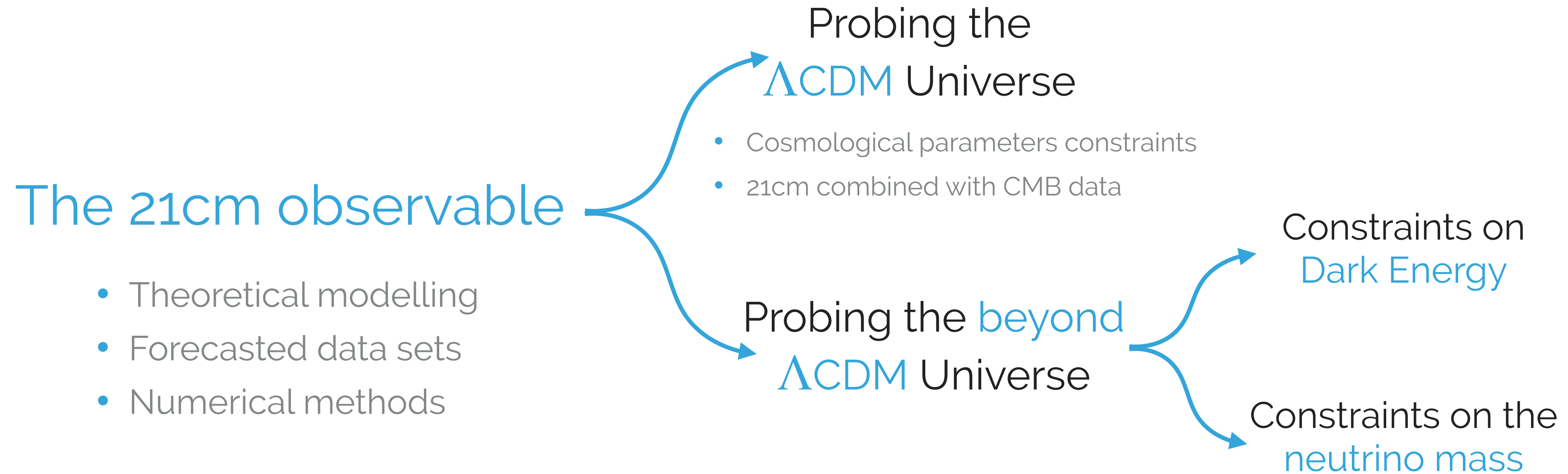
Are the Hubble and the growth tension an indication of new physics?

Credit: Illustris



Baryons  
Neutral Hydrogen (HI)

$\Lambda$ CDM Universe  
and beyond



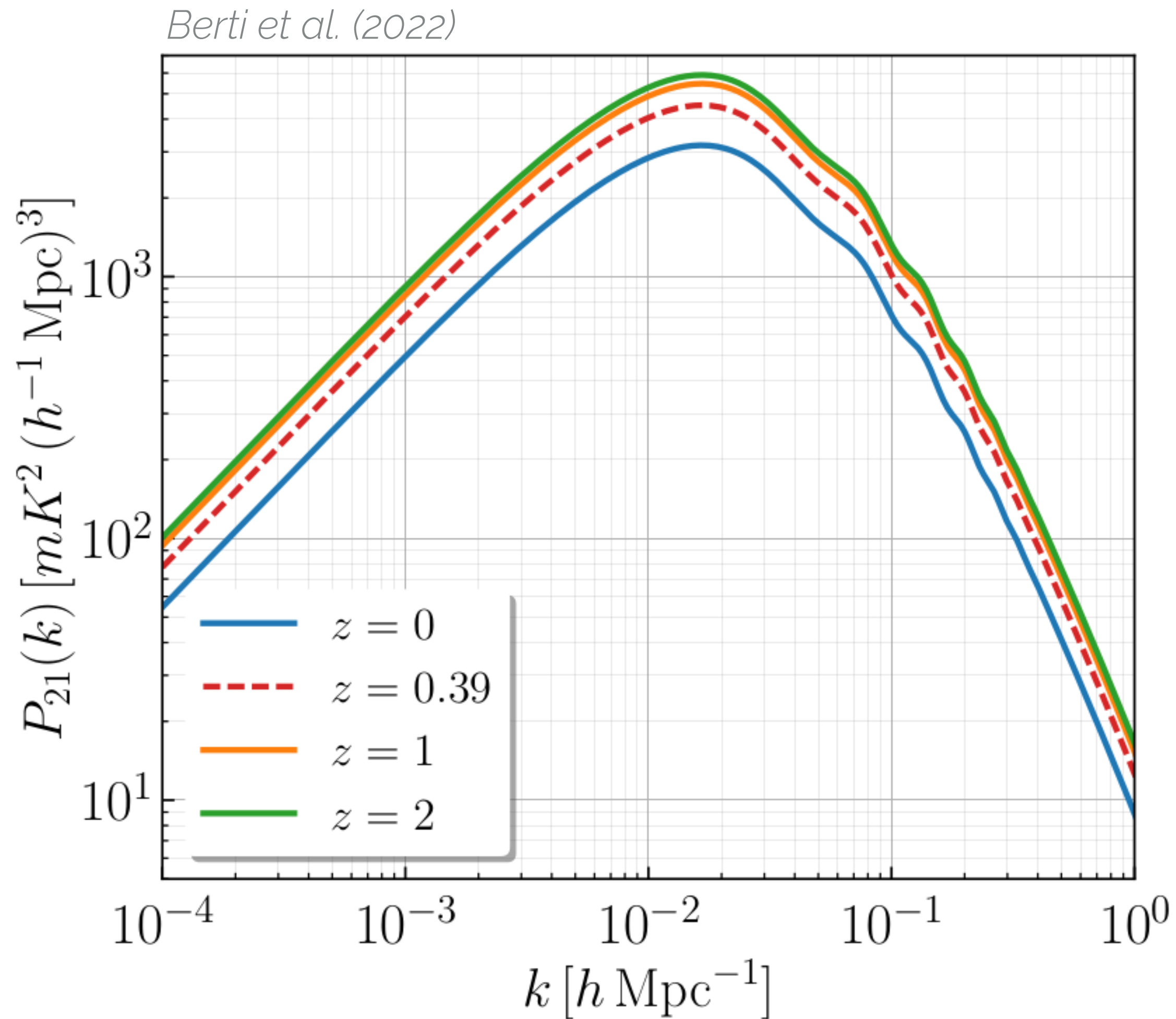
## References

M. Berti, M. Spinelli, B. S. Haridasu, M. Viel, A. Silvestri, JCAP 01.01 (2022), ArXiv:[2109.03256](https://arxiv.org/abs/2109.03256).

M. Berti, M. Spinelli, M. Viel, Mon. Not. Roy. Astron. Soc. 521.3 (2023), ArXiv:[2209.07595](https://arxiv.org/abs/2209.07595).

# The 21cm Observable





We model it as<sup>1</sup>

$$P_{21}(z, k, \mu) = \bar{T}_b^2(z) \left[ b_{\text{HI}}(z) + f(z) \mu^2 \right]^2 P_m(z, k)$$

where

- $\bar{T}_b^2(z)$  is the mean brightness temperature
- $b_{\text{HI}}(z)$  is the HI bias
- $f(z)$  is the growth rate
- $\mu = \hat{k} \cdot \hat{z}$
- $P_m(z, k)$  is the matter power spectrum

✓ in good agreement with hydrodynamical simulations results (*Villaescusa-Navarro et al., 2018*)

<sup>1</sup> Kaiser (1987), Bacon et al. (2019)


$$P_{21}(z, k, \mu) = \bar{T}_b^2(z) [b_{\text{HI}}(z) + f(z) \mu^2]^2 P_m(z, k)$$

Expand in  $\mu$

$$P_{21}(z, k, \mu) = \sum_{\ell} P_{\ell}(z, k) \mathcal{L}_{\ell}(\mu) \quad \text{where the Legendre polynomials are}$$

$$\mathcal{L}_0(\mu) = 1$$

$$\mathcal{L}_2(\mu) = \frac{3\mu^2}{2} - \frac{1}{2}$$


$$P_{\ell}(z, k) = \frac{(2\ell + 1)}{2} \int_{-1}^1 d\mu \mathcal{L}_{\ell}(\mu) P_{21}(z, k, \mu)$$

$$P_{\ell}(z, k) = \frac{(2\ell + 1)}{2} \bar{T}_b^2(z) P_m(z, k) \int_{-1}^1 d\mu \mathcal{L}_{\ell}(\mu) [b_{\text{HI}}(z) + f(z) \mu^2]^2$$

→ We forecast observations for the power spectrum  $P_{21}(z, k, \bar{\mu})$  and the multipoles  $P_{\ell}(z, k)$



Cosmic Dawn, Reionization

post-Reionization Universe



**SKA-LOW**  
50 MHz - 350 MHz  
 $30 > z > 3$

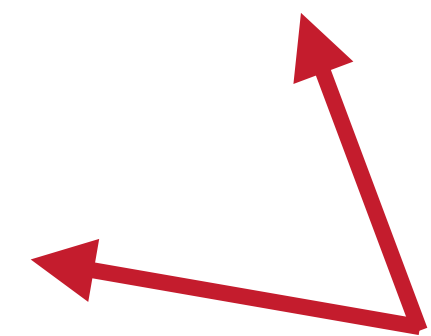


**SKA-MID**  
350 MHz - 13.5 GHz  
 $3 > z > 0$

Credit: skatelescope.org

- Radio frequencies
- Covers all the relevant frequencies with unprecedented sensitivity

**MeerKAT**  
(SKA pathfinder)  
 $1.5 > z > 0$



## I. Instrumental Noise

$$P_N(z) = \frac{T_{\text{sys}}^2 4\pi f_{\text{sky}}}{N_{\text{dish}} t_{\text{obs}} \delta\nu} \frac{V_{\text{bin}}(z)}{\Omega_{\text{sur}}}$$

### SKAO specifications

Parameter		Value
$D_{\text{dish}}$ [m]	SKAO dish diameter	15
$N_{\text{dish}}$	SKAO dishes	133
$t_{\text{obs}}$ [h]	observing time	10000
$T_{\text{sys}}$ [K]	system temperature	25
$\delta\nu$ [MHz]	frequency range	1
$\Omega_{\text{sur},1}$ [sr]	survey area (Band 2)	1.5
$\Omega_{\text{sur},2}$ [sr]	survey area (Band 2)	6.1
$f_{\text{sky},2}$	covered sky area (Band 2)	0.12
$f_{\text{sky},1}$	covered sky area (Band 1)	0.48
$\Delta z$	width of the redshift bins	0.5

SKAO Red Book (2018)

## II. Beam Effects

$$\tilde{B}(z, k, \mu) = \exp \left[ \frac{-k^2 R_{\text{beam}}^2(z)(1 - \mu^2)}{2} \right]$$

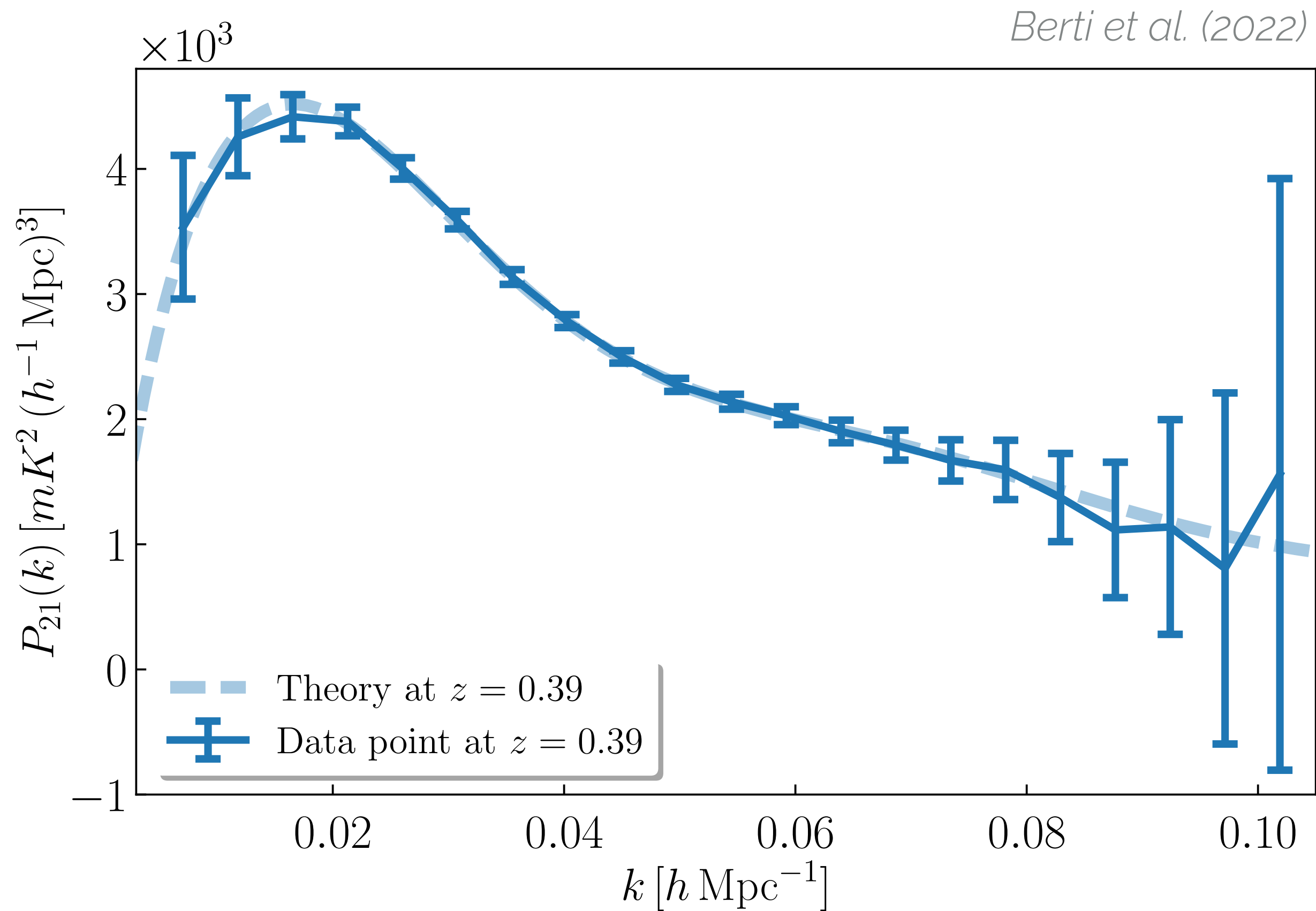
$$R_{\text{beam}}(z) = \frac{\theta_{\text{FWHM}}}{2\sqrt{2 \ln 2}} r(z) \quad \text{beam physical size}$$

## III. Covariance Between Multipoles

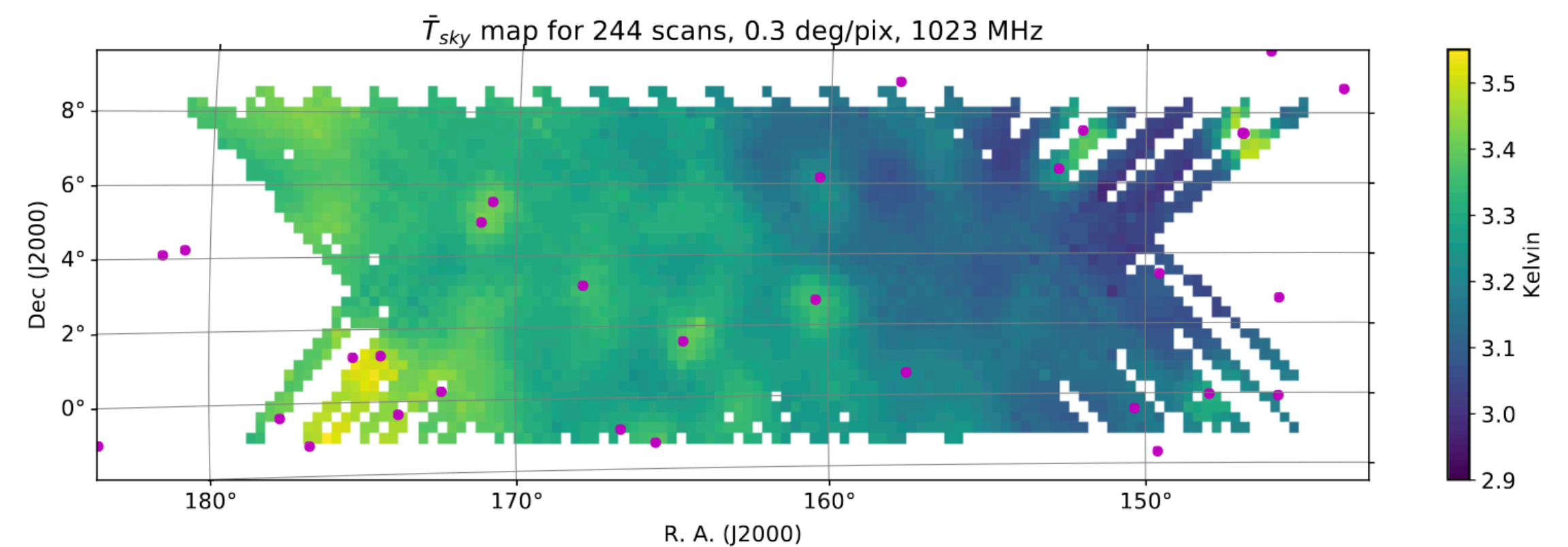
$$C_{\ell\ell'}(z, k) = \frac{(2\ell + 1)(2\ell' + 1)}{2} \int_{-1}^1 d\mu \mathcal{L}_\ell(\mu) \mathcal{L}_{\ell'}(\mu) \sigma^2(z, k, \mu)$$

$$\sigma^2(z, k, \mu) \propto \left( P_{21}(z, k, \mu) + P_N(z) \right)^2$$

variance



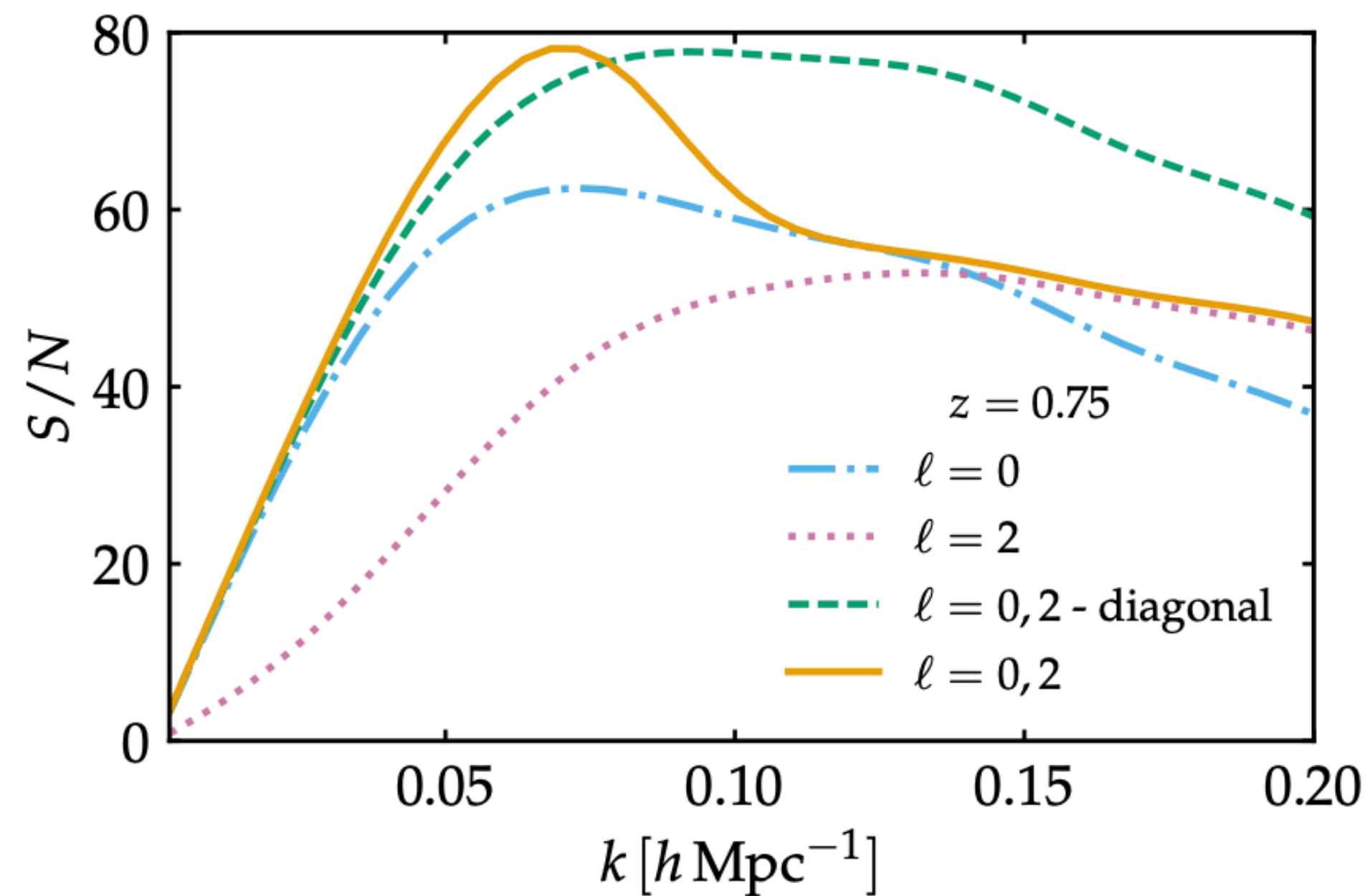
- MeerKAT like observations
- Auto-power spectrum
- One redshift bin
- More realistic measurement



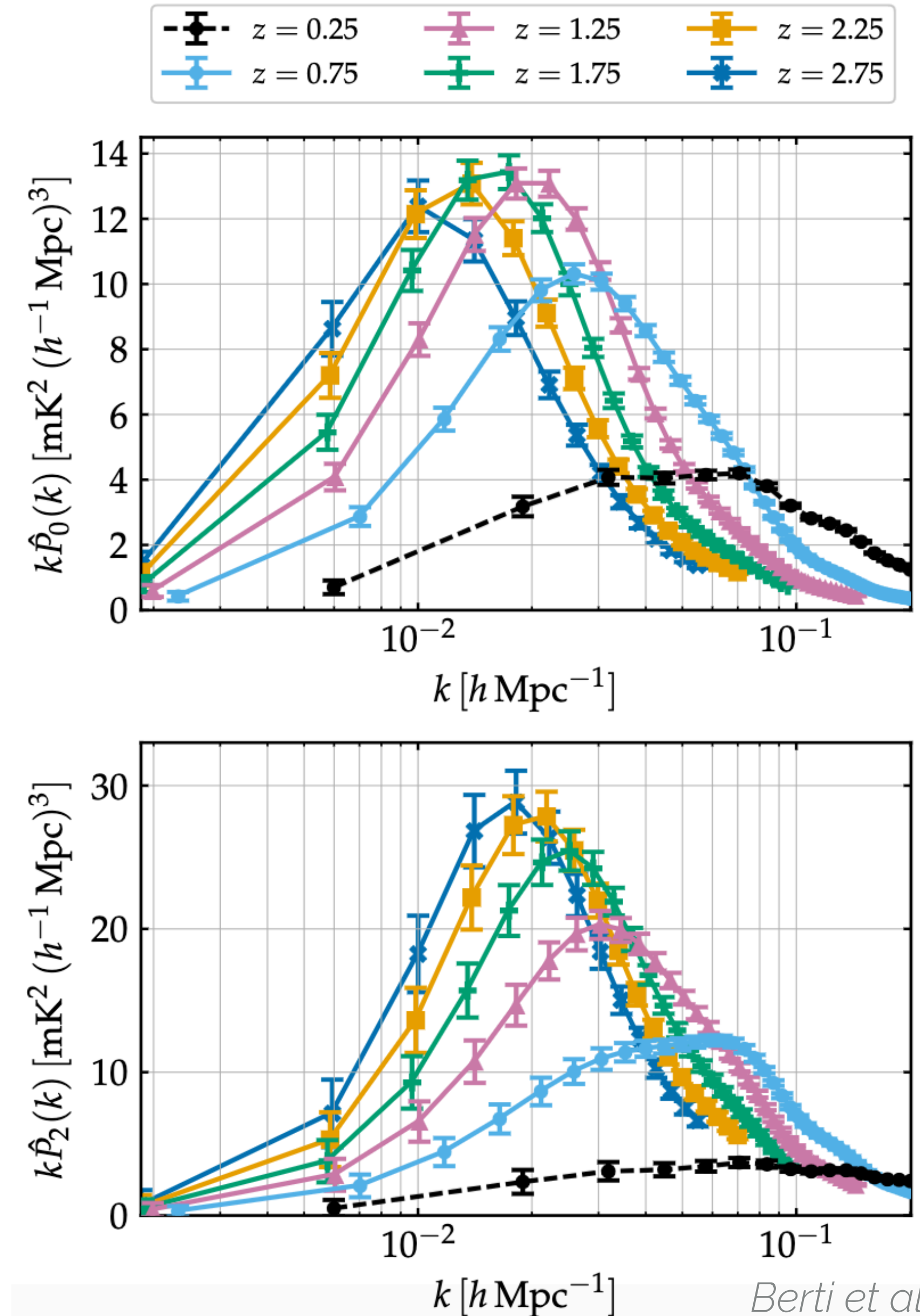
*Wang et al. (2021)*

# The Multipoles' Mock Data Set

- SKAO like observations
- Monopole and quadrupole
- Observations within 6 redshift bins
- Beam's effect, multipole covariance

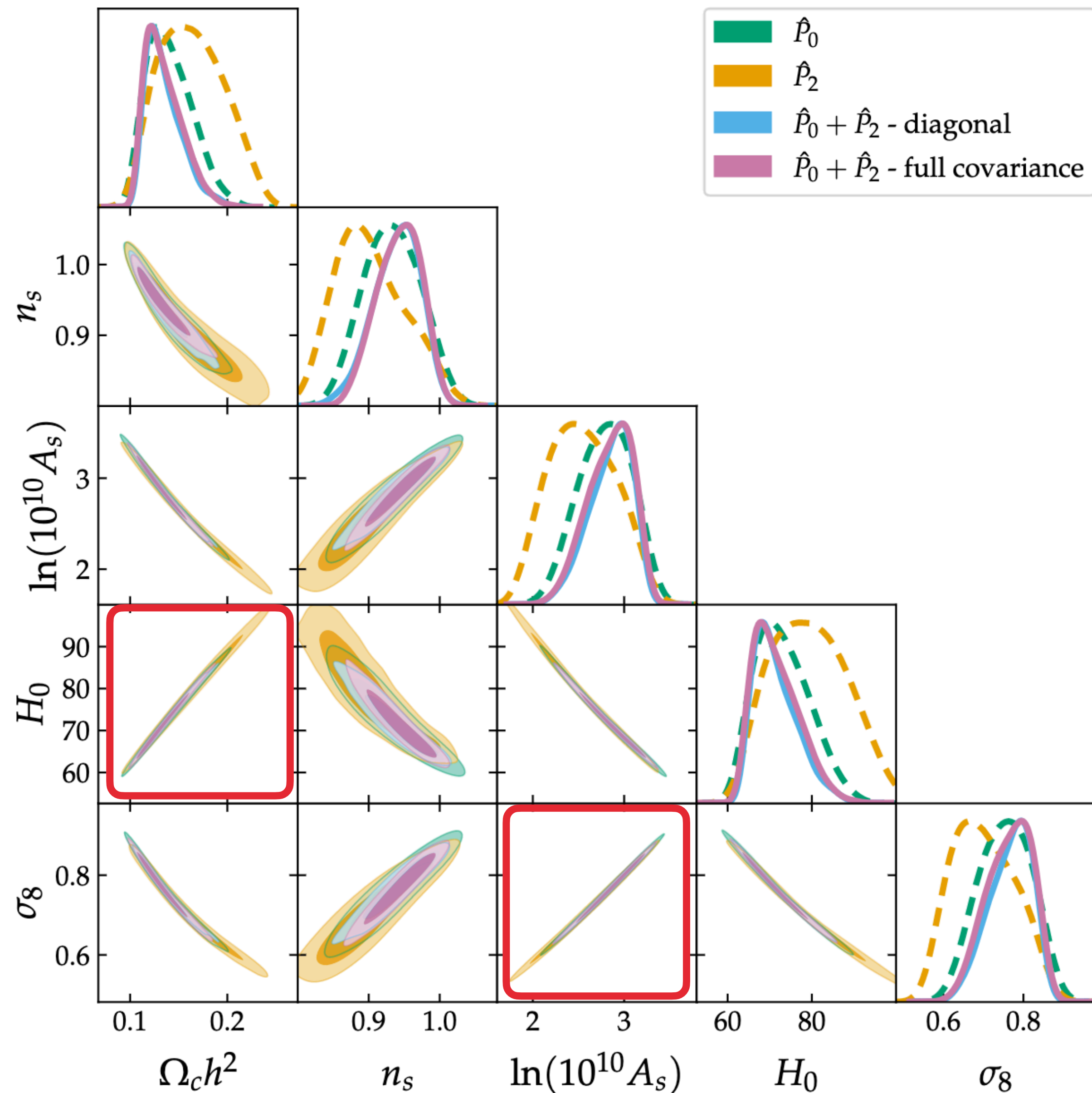


$$\hat{P}_\ell(z, k) = \frac{(2\ell + 1)}{2} \int_{-1}^1 d\mu \mathcal{L}_\ell(\mu) \tilde{B}^2(z, k, \mu) P_{21}(z, k, \mu)$$



# Probing the $\Lambda$ CDM Universe

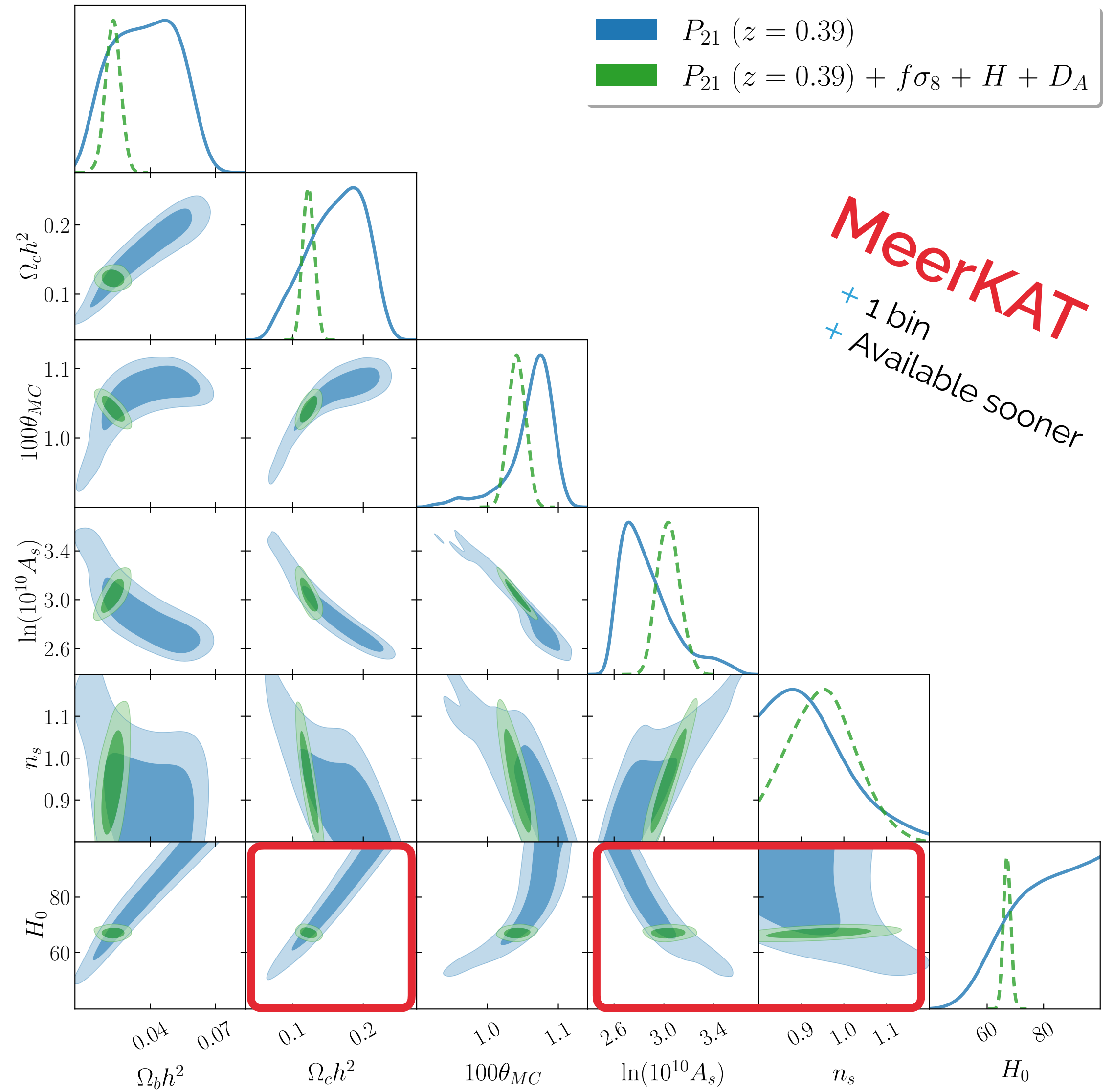
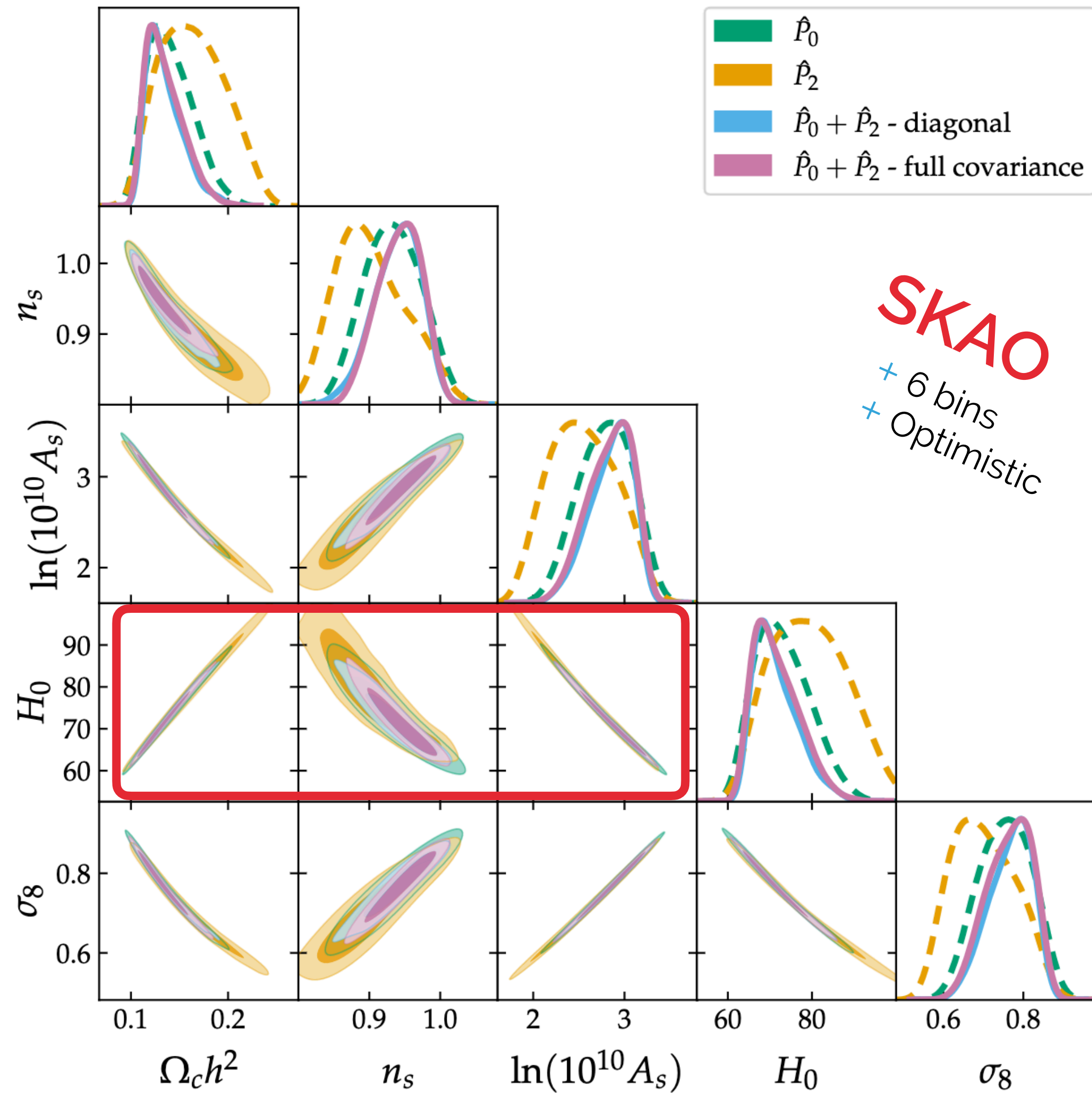


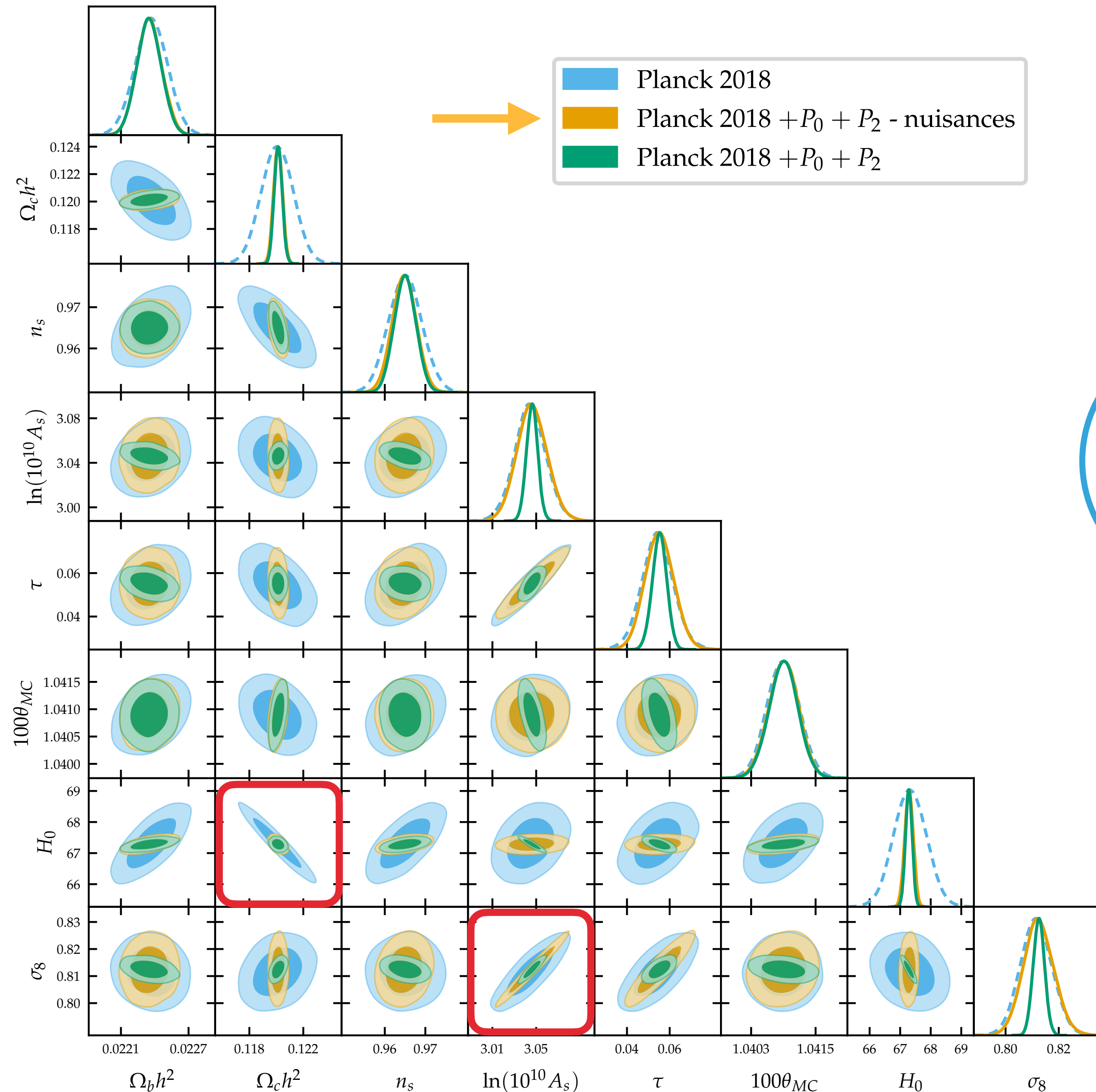


## Analysis set up

- Full MCMC analysis
- Implement a new likelihood code integrated with CosmoMC
- Varying the full set of cosmological parameters  $\{\Omega_b h^2, \Omega_c h^2, \tau, \theta_{MC}, A_s, n_s\}$
- Test the constraining power of the 21cm signal alone and combined with CMB

- Multiples' mock data set - 6 bins
- 21cm alone has a good constraining power on the cosmological parameters
- Marked correlations ( $\Omega_c h^2 - H_0$  and  $\sigma_8 - A_s$ )





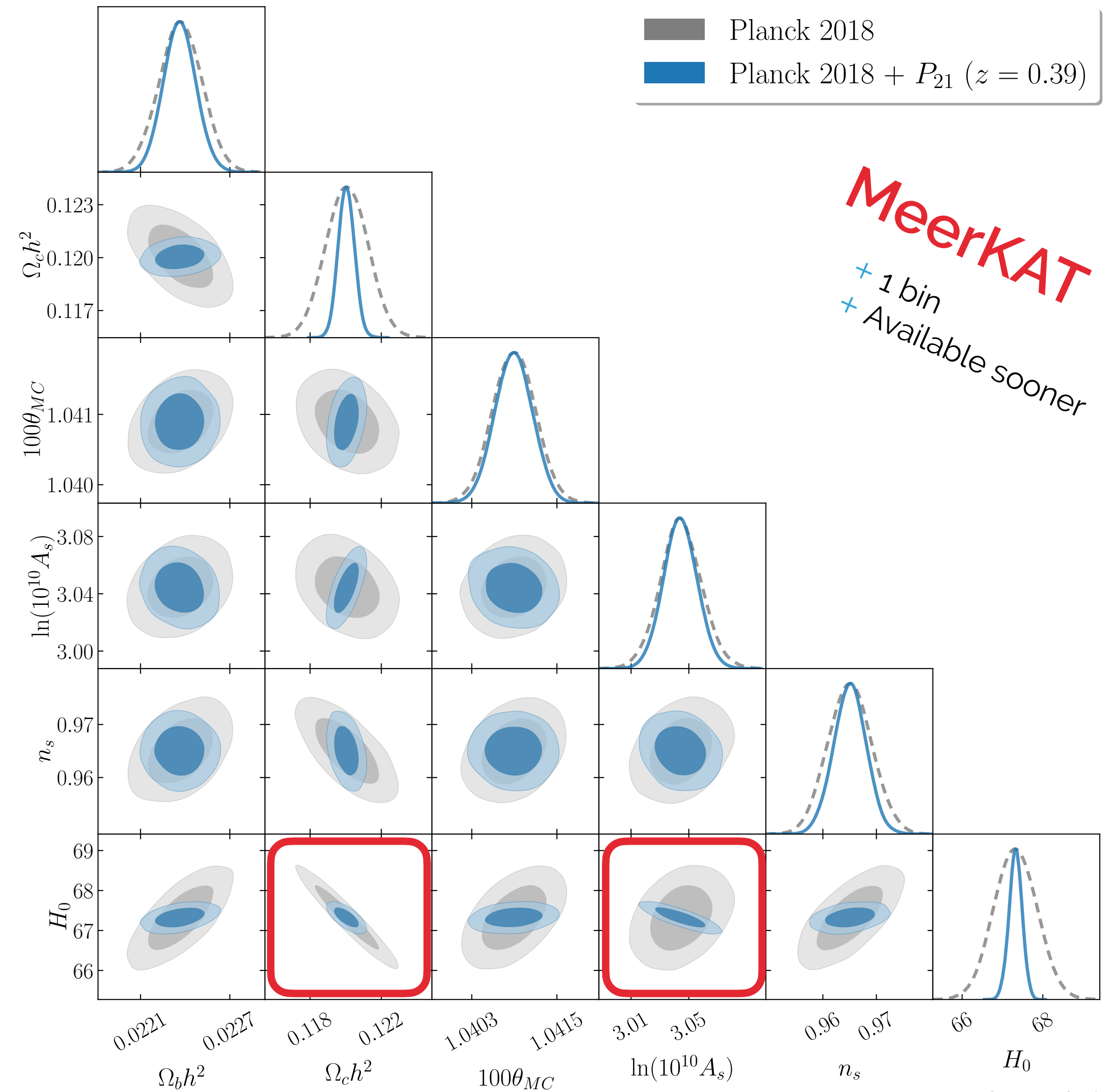
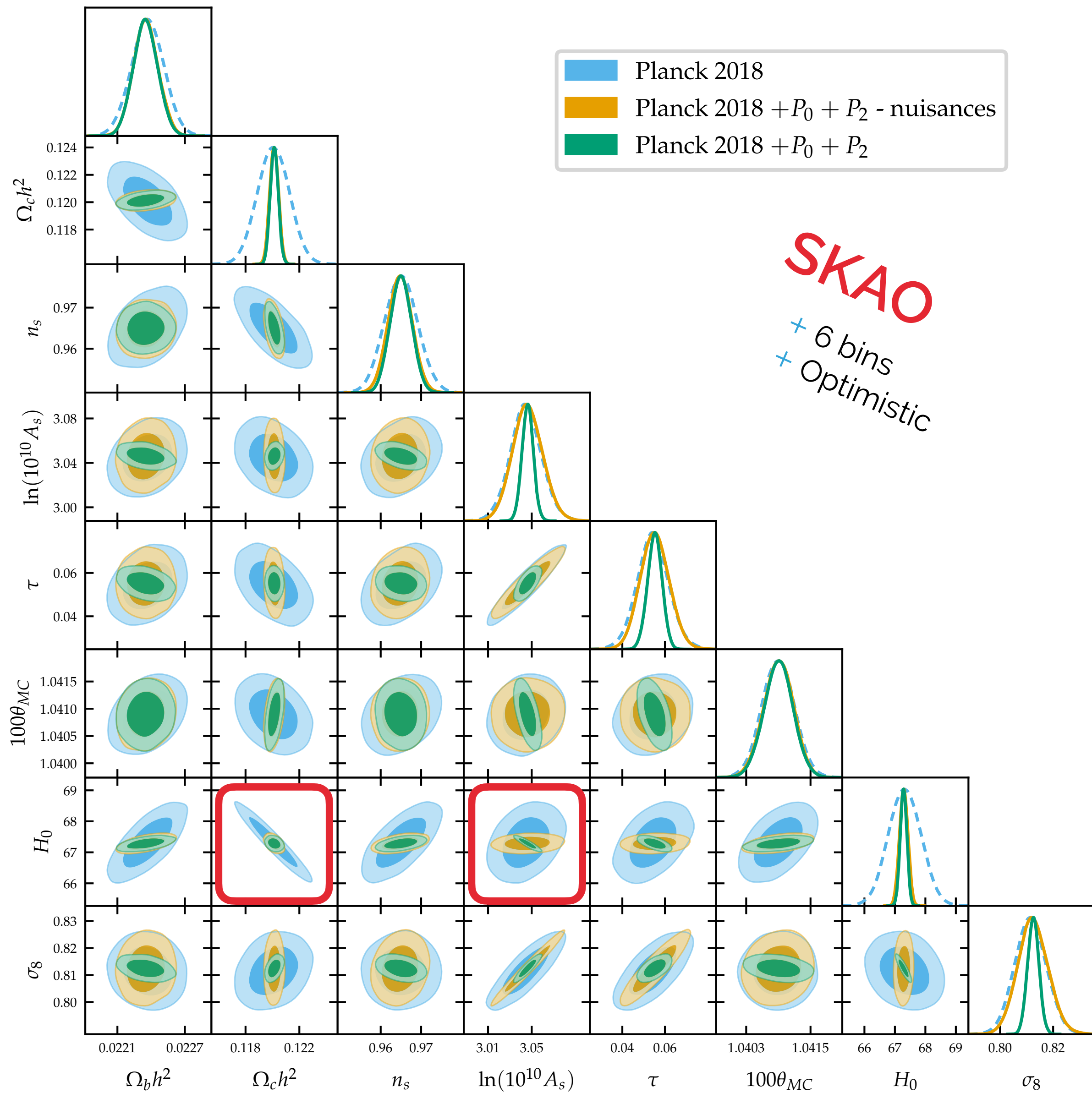
*Berti et al. (2023a)* → Planck TT, TE, EE + lowE + lensing

Parameter	Planck 2018	+ $P_0 + P_2$
$\Omega_b h^2$	0.64%	0.49%
$\Omega_c h^2$	0.99%	0.25%
$n_s$	0.42%	0.27%
$\ln(10^{10} A_s)$	0.46%	0.17%
$\tau$	13.44%	6.09%
$100\theta_{MC}$	0.03%	0.03%
$H_0$	0.79%	0.16%
$\sigma_8$	0.73%	0.26%

- Constraints are significantly improved with respect to Planck alone
- Removed degeneracies
- We lose constraining power when introducing astrophysical nuisances



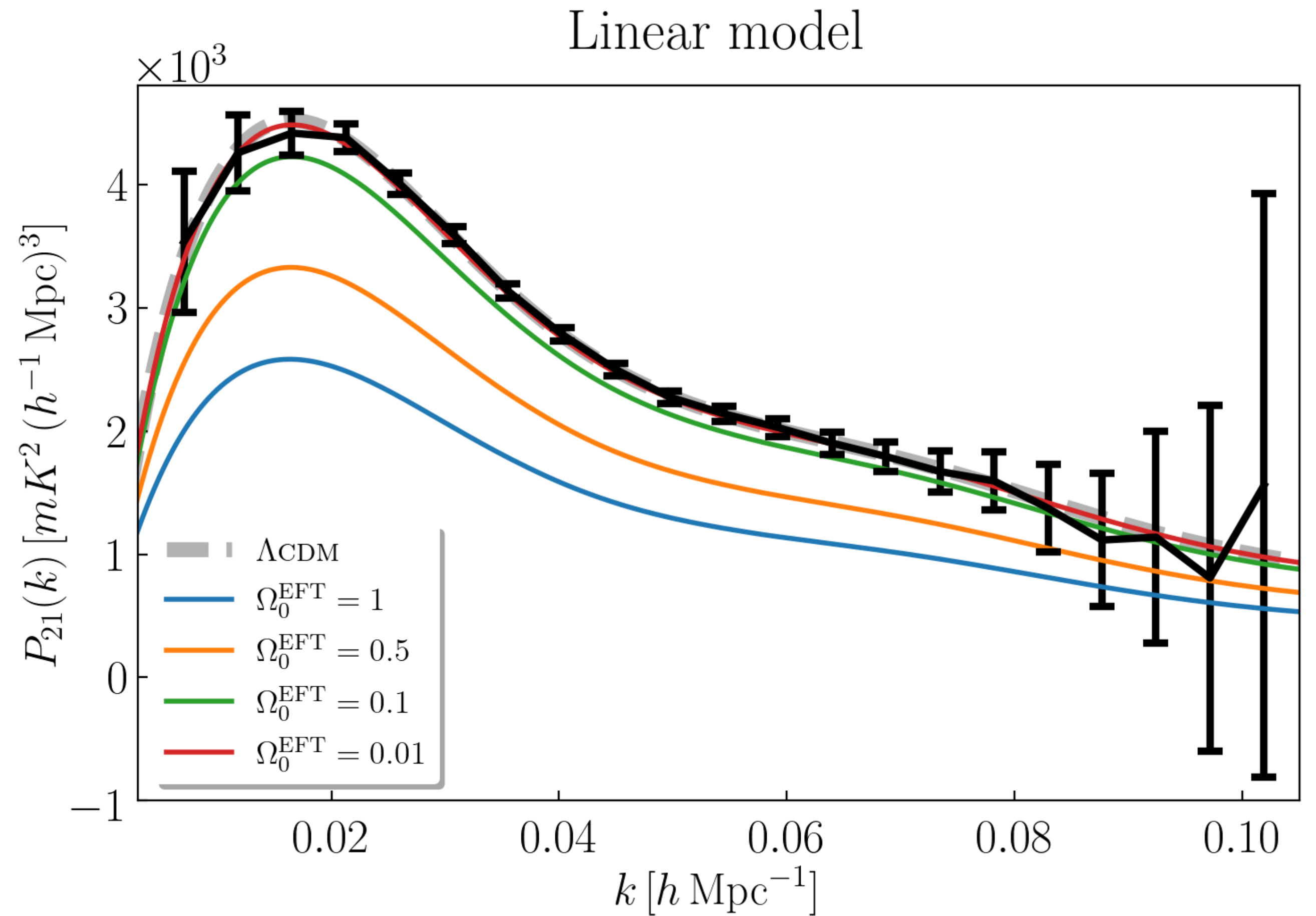
# SKAO vs MeerKAT Forecasts



# Probing the Beyond $\Lambda$ CDM Universe



- MEERKAT forecasts for the 21cm power spectrum
- One redshift bin at  $z = 0.39$
- More ideal multiple bins data set
- Study of DE  $\rightarrow$  Effective Field Theory



Introduced to describe **INFLATION**  
*Creminelli et al. (2006), Cheung et al. (2008)*



Later applied to late time **COSMIC ACCELERATION**  
*Creminelli et al. (2009), Gubitosi et al. (2013), Bloomfield et al. (2013)*

Construct the most general

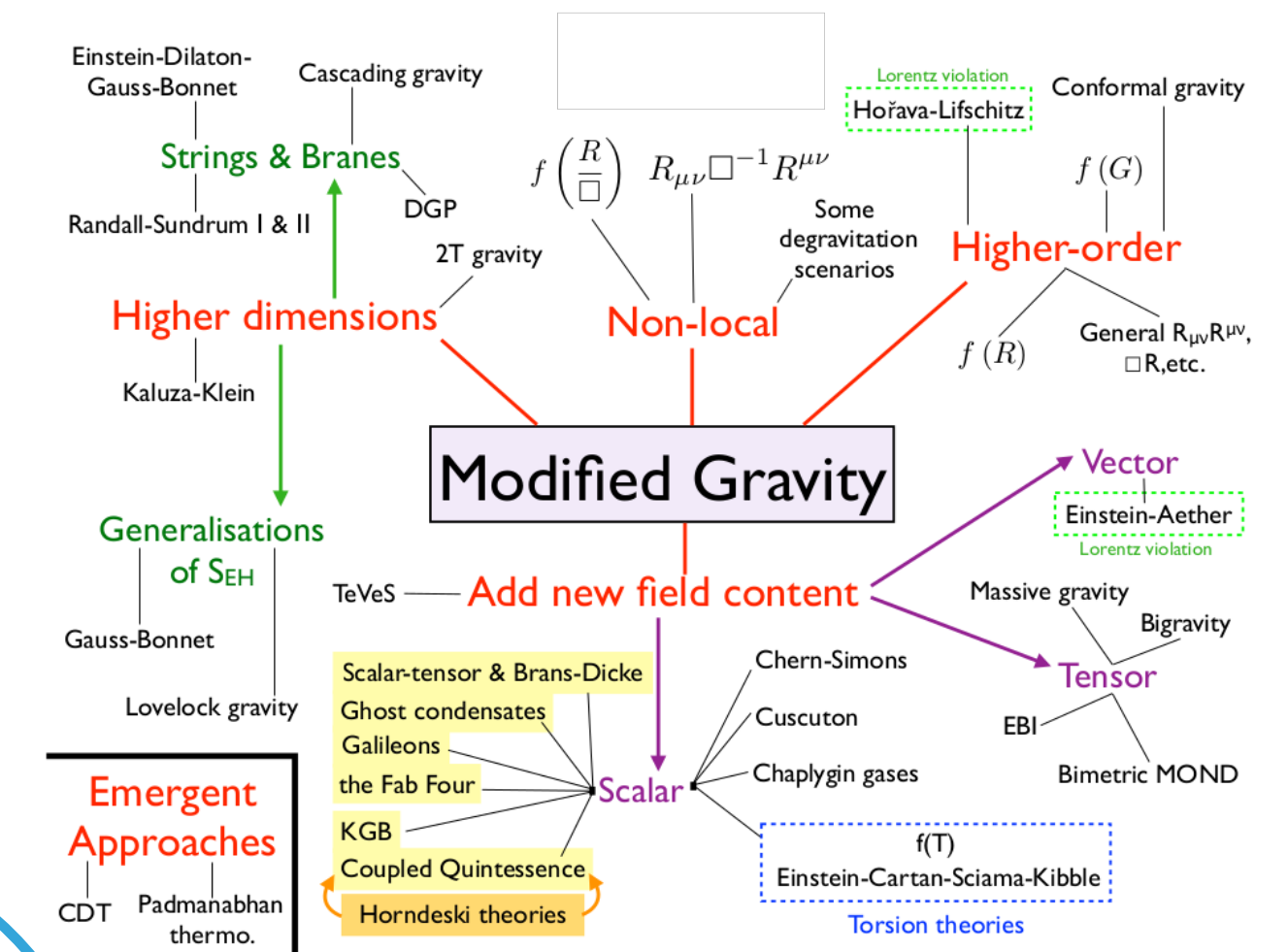
**ACTION**

**Effective**

Easily interfaced  
with observations

**Unifying**

Must include as many DE/MG  
models as special cases



*Bull et al. (2016)*

Parametrise the evolution of the **background** EFT functions

$$S = \int d^4x \sqrt{-g} \left\{ \frac{m_0^2}{2} [1 + \Omega^{\text{EFT}}(\tau)] R + \Lambda(\tau) - c(\tau) a^2 \delta g^{00} \right\} + S_m$$

We choose *pure* EFT models

+

Fix background evolution

$$H(a)$$

to study only the impact  
on **perturbations**

Exponential parametrisation

$$\Omega^{\text{EFT}}(a) = \exp(\Omega_0^{\text{EFT}} a^\beta) - 1$$

Linear parametrisation

$$\Omega^{\text{EFT}}(a) = \Omega_0^{\text{EFT}} a$$

Designer approach

$$\Lambda(a) = \Lambda(\Omega^{\text{EFT}}(a), H(a))$$

$$c(a) = c(\Omega^{\text{EFT}}(a), H(a))$$

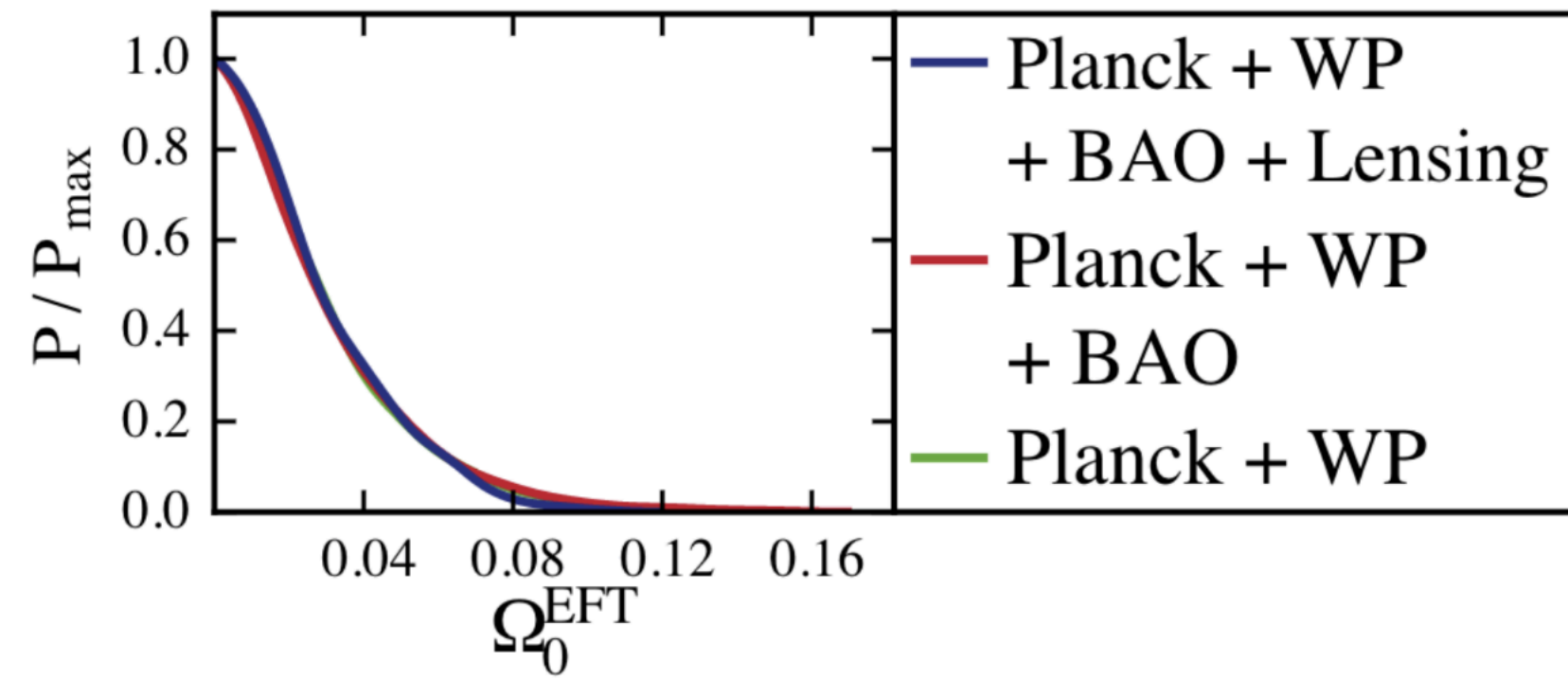
# Latest Constraints on *pureEFT* Models



Hu et al. (2014)

Linear

Raveri et al. (2014)

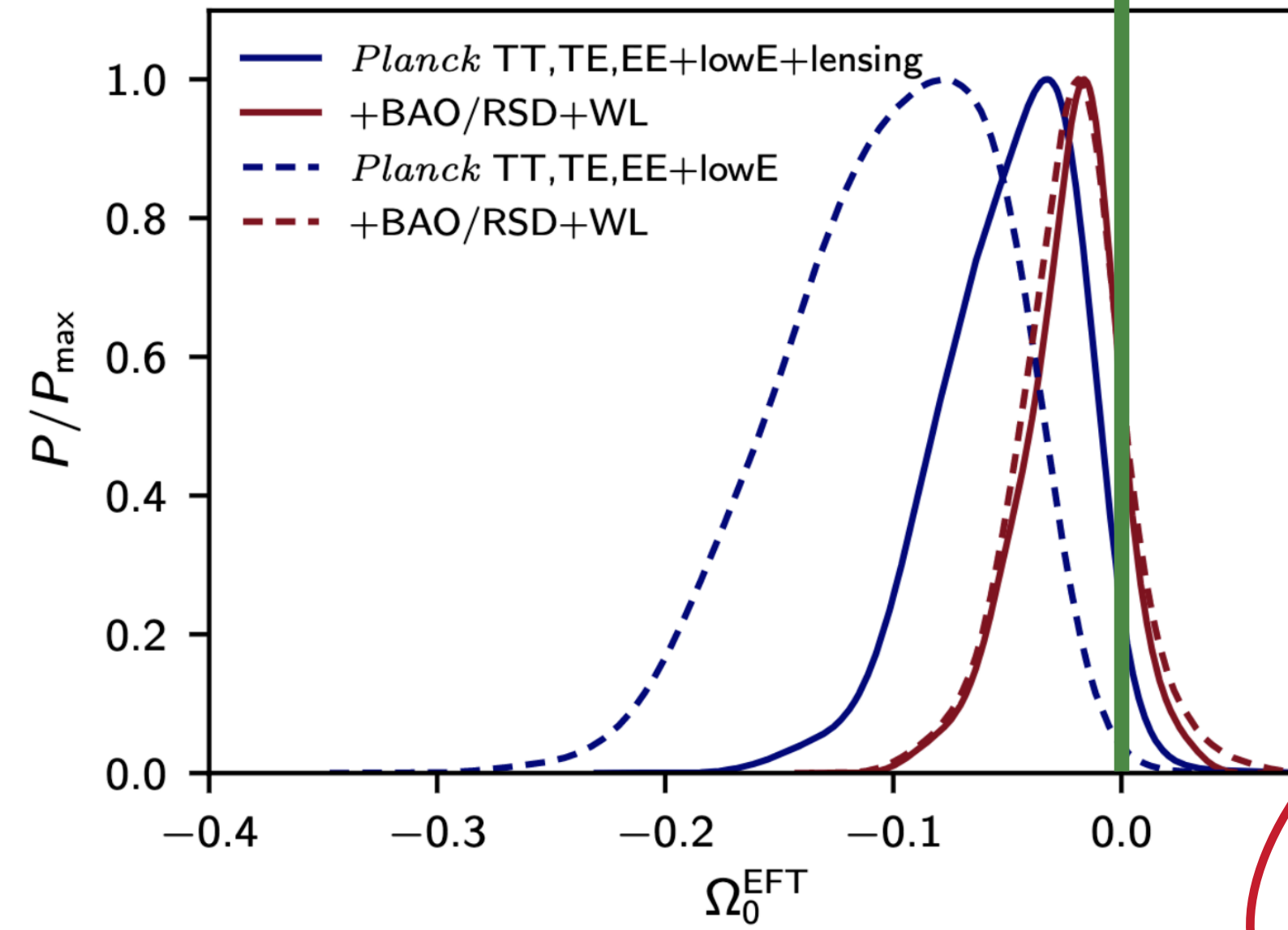


Parameter	Planck + all
$\Omega_0^{\text{EFT}}$ ...	$< 0.061$ (95% CL)
$H_0$ .....	$68.22 \pm 0.75$

Exponential

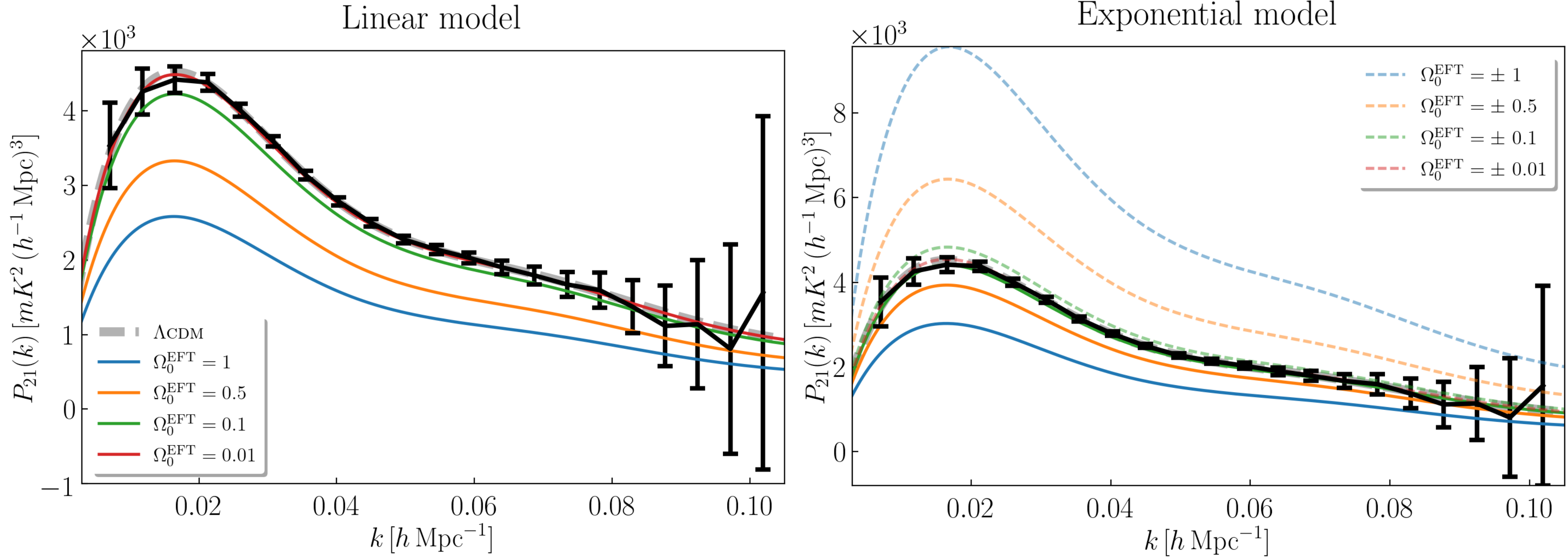
Planck collaboration (2018)

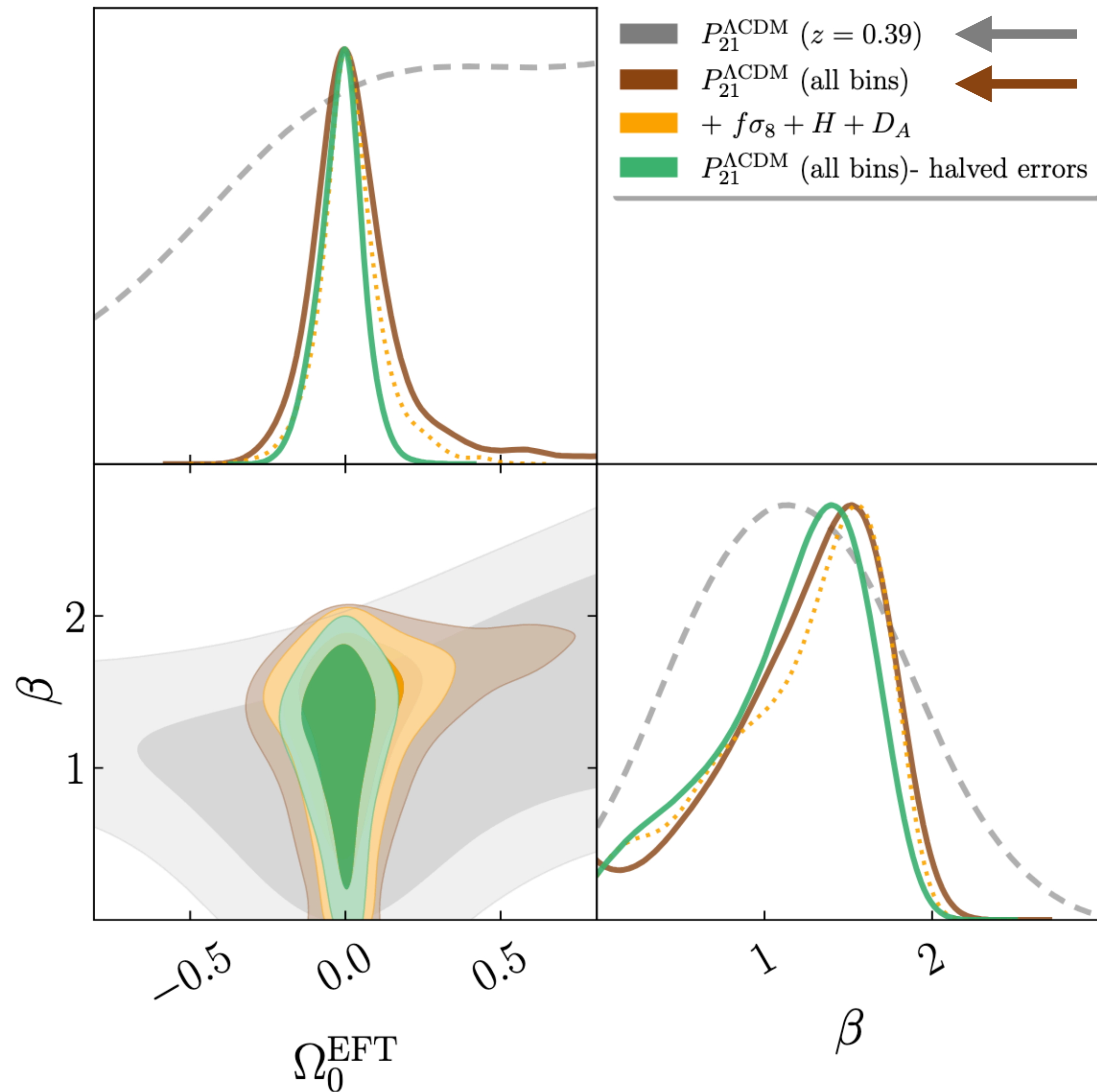
$\Lambda$ CDM limit



Parameter	Planck 2018
$\Omega_0^{\text{EFT}}$ ...	$-0.101^{+0.059}_{-0.038}$
$H_0$ .....	$68.30 \pm 0.71$

2.10 away

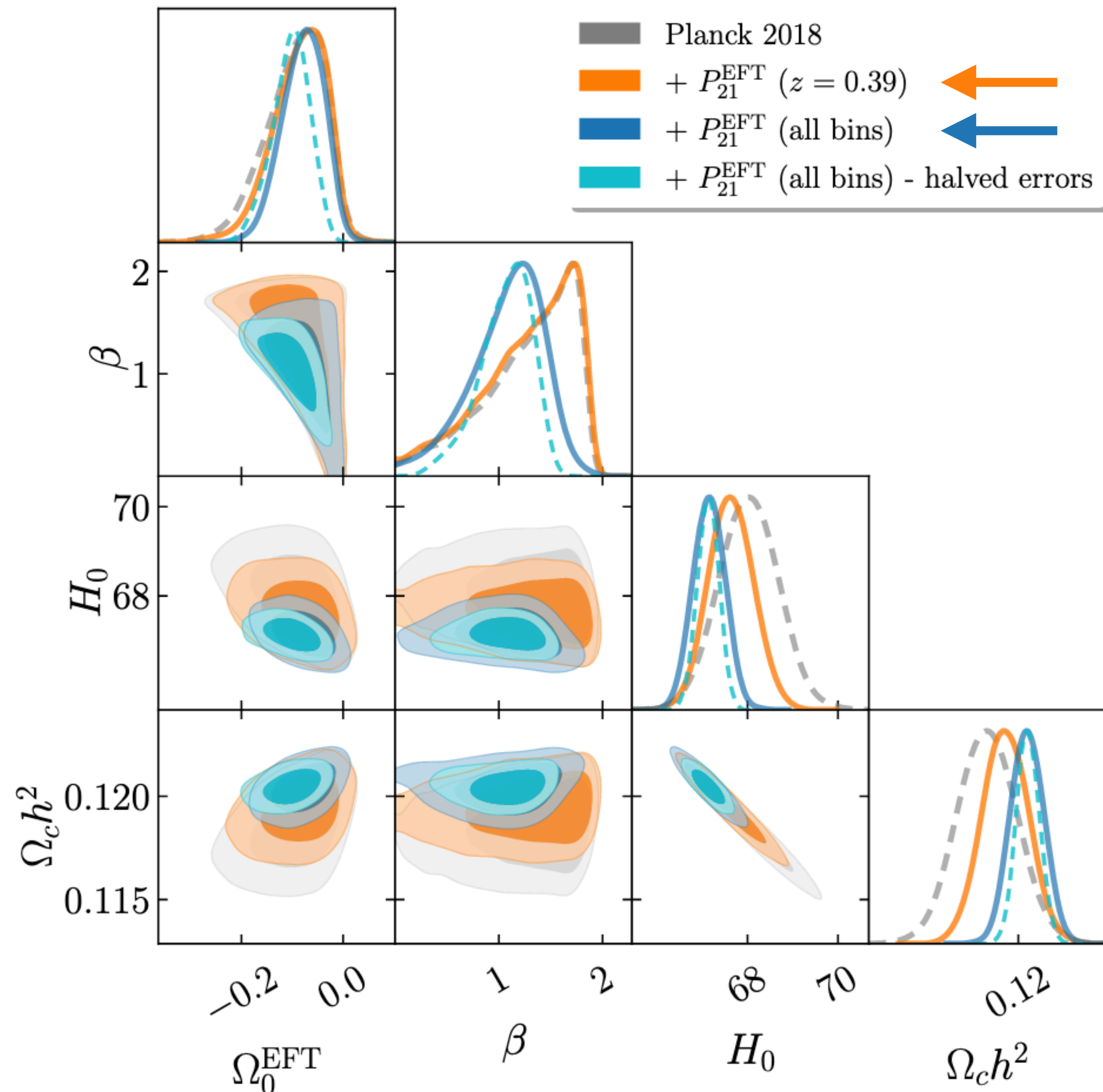




Par.	$P_{21}^{\Lambda\text{CDM}} (z = 0.39)$	$P_{21}^{\Lambda\text{CDM}} (\text{all bins})$
$\Omega_0^{\text{EFT}}$	—	$0.053^{+0.075}_{-0.17}$
$\beta \dots$	$1.21^{+57}_{-70}$	$1.26^{+50}_{-30}$
$H_0 \dots$	—	$74.1^{+8.1}_{-11}$

- Constraints on the cosmological parameters remain unaffected
- $P_{21}(z = 0.39)$  alone has **weak** constraining power (**realistic**)
- Using **multiple bins** significantly **improves** the constraining power (**ideal**)



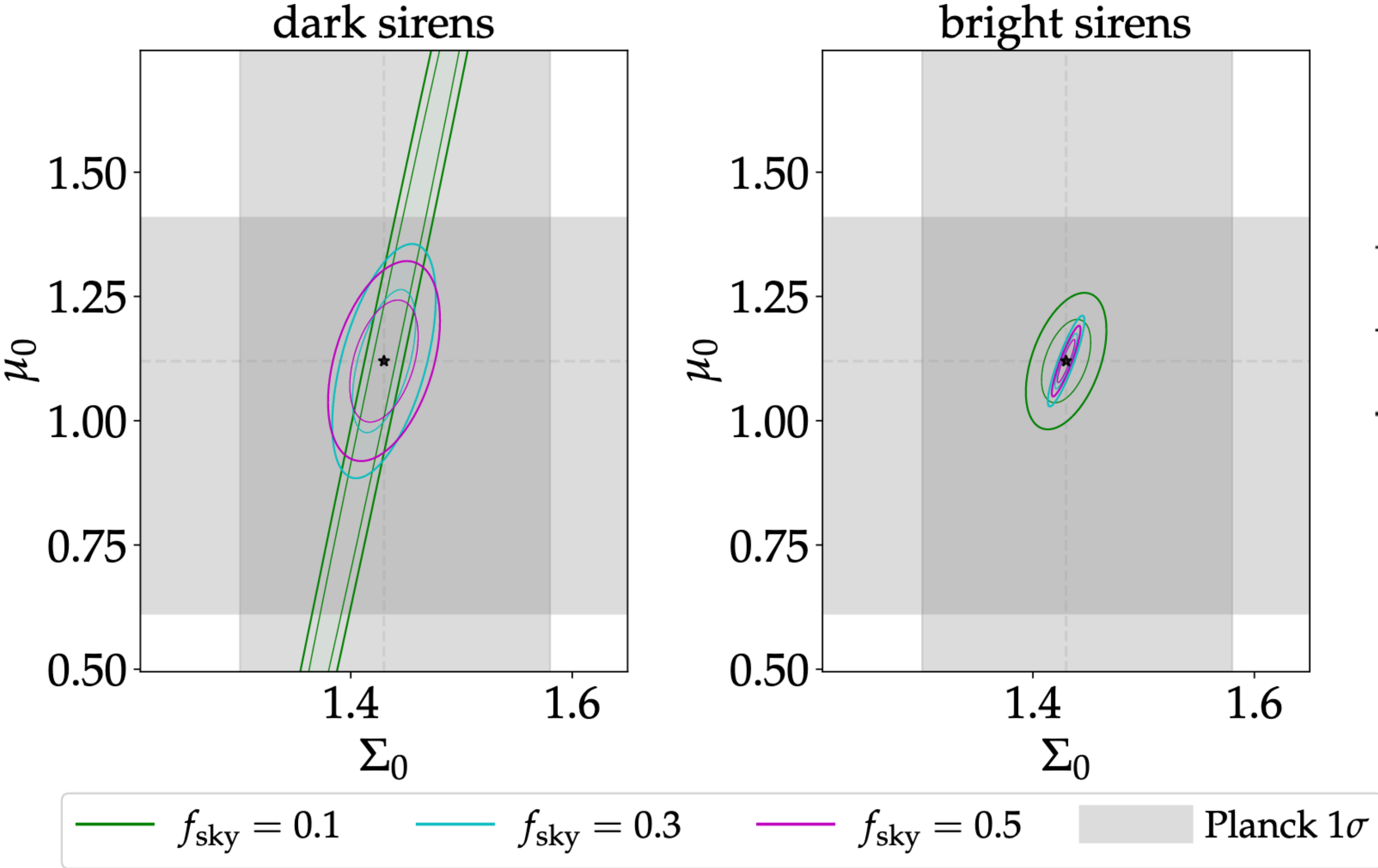


Par.	Planck 2018 + $P_{21}^{\text{EFT}} (z = 0.39)$	Planck 2018 + $P_{21}^{\text{EFT}} (\text{all bins})$
$\Omega_c h^2$	$0.1194 \pm 0.0011$ (-22%)	$0.12042 \pm 0.00080$ (-43%)
$\Omega_0^{\text{EFT}}$	$-0.086^{+0.064}_{-0.038}$ (-10%)	$-0.079^{+0.047}_{-0.036}$ (-26%)
$\beta$ .....	$1.28^{+0.58}_{-0.22}$ (+4%)	$1.08^{+0.42}_{-0.25}$ (-13%)
$H_0$ ...	$67.63 \pm 0.50$ (-24%)	$67.15 \pm 0.36$ (-46%)

- Planck 2018 +  $P_{21}(z = 0.39)$  improvement at the 10% level (realistic)
- Planck 2018 +  $P_{21}$  improvement up to the 26% level and 35% level with halved errors (ideal)

## Testing gravity with gravitational waves x electromagnetic probes cross-correlations

G. Scelfo, M. Berti, A. Silvestri, M. Viel, JCAP 02 (2023), arXiv:[2210.02460](https://arxiv.org/abs/2210.02460)



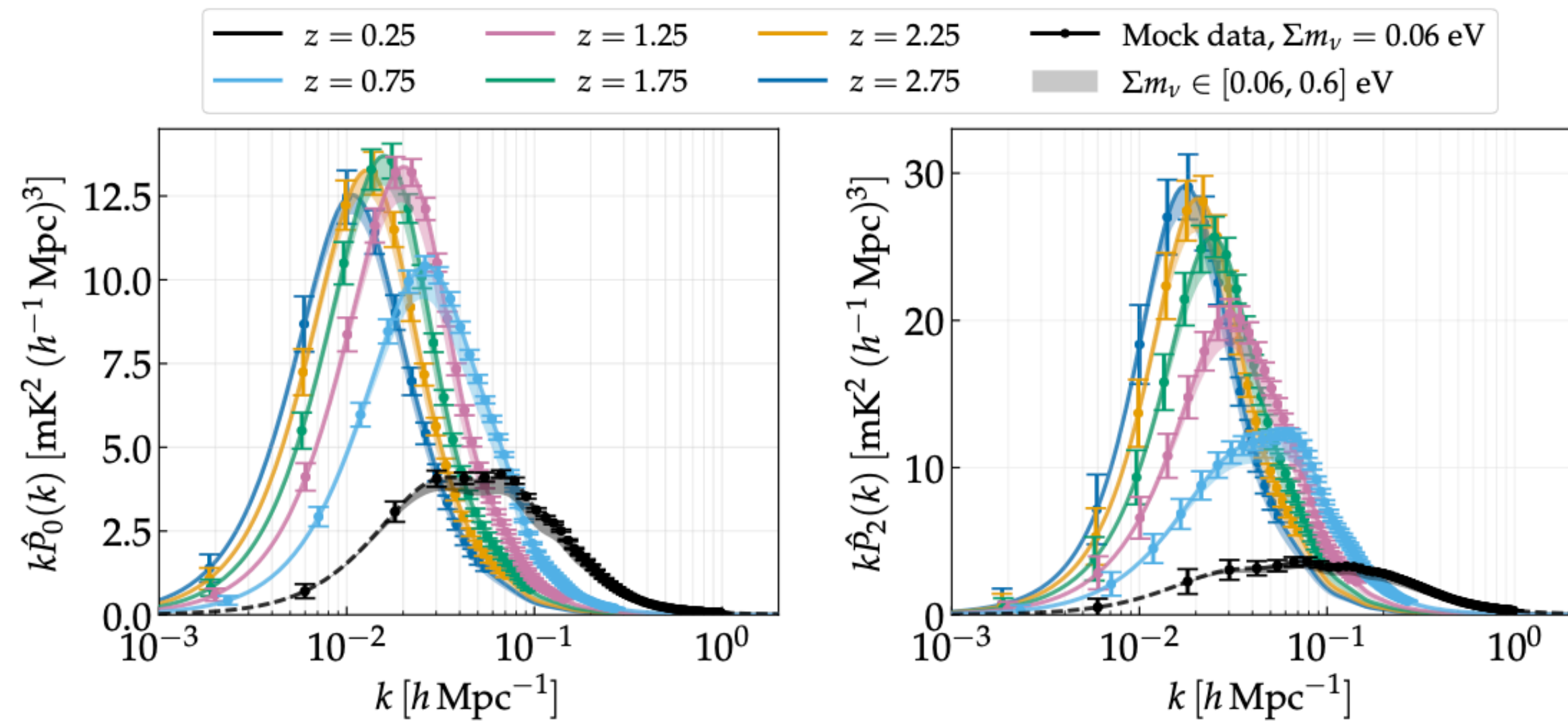
PROBE	$\sigma_{\mu_0}$	$\sigma_{\eta_0}$	$\sigma_{\Sigma_0}$
Lensing	1.63	3.93	0.14
Clustering	0.09	0.50	0.29
L + C	0.03	0.06	0.01

↓

Parameter	<i>Planck</i>
$\mu_0 - 1$ . . . . .	$0.10^{+0.30}_{-0.42}$
$\eta_0 - 1$ . . . . .	$0.22^{+0.55}_{-1.0}$
$\Sigma_0 - 1$ . . . . .	$0.100 \pm 0.093$

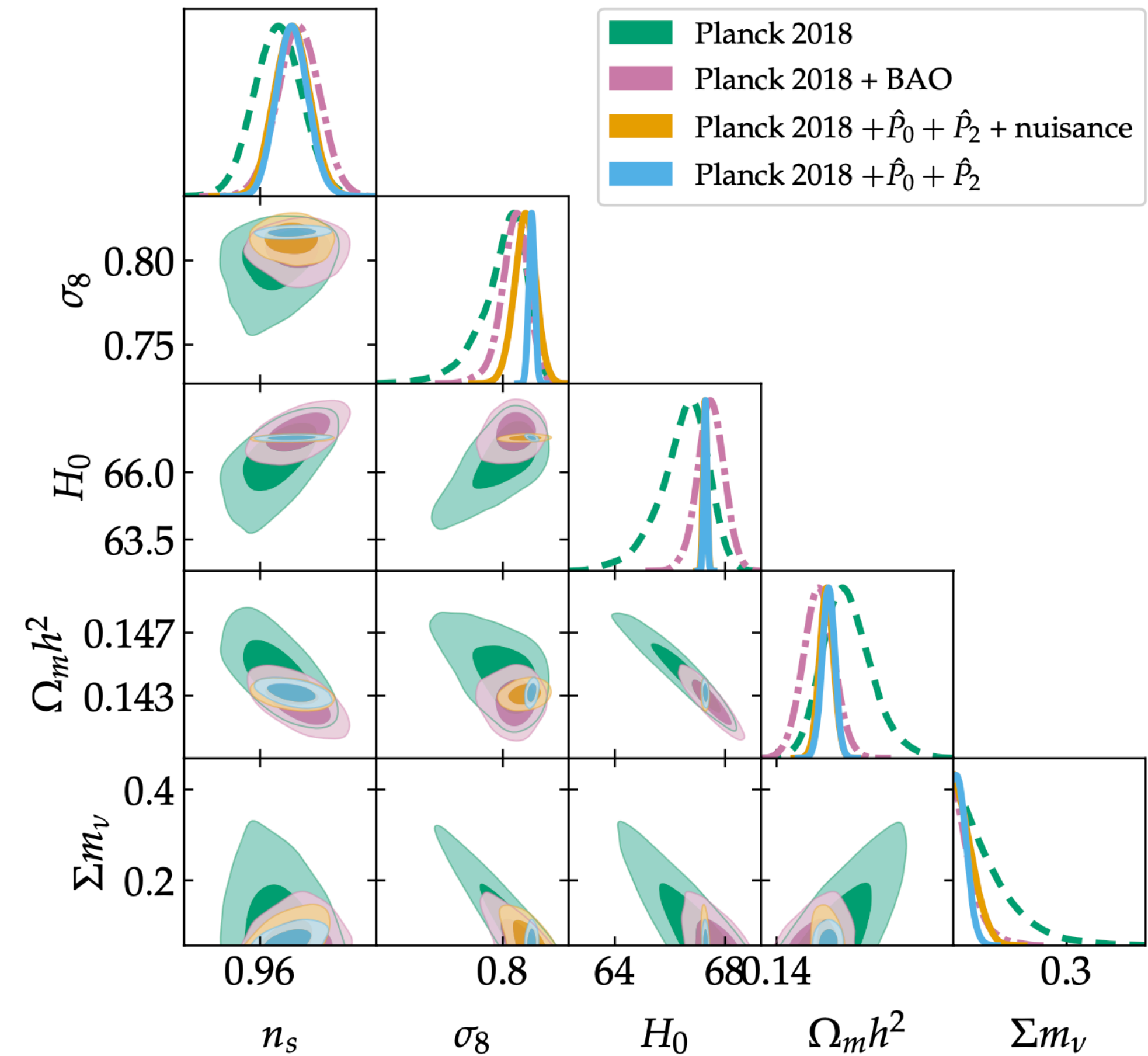
## Latest perspectives on weighing the neutrinos with 21cm Intensity Mapping with the SKAO

M. Berti, M. Spinelli, B.S. Haridasu, M. Viel, in preparation.



Upper limits on  $\Sigma m_\nu$

Planck 2018	$< 0.259$
+ $\hat{P}_0 + \hat{P}_2$	$< 0.101$
+ nuisance	$< 0.129$



# Conclusions

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1. The results we found are in agreement with similar works in the literature and confirm the **key role** of **present and future** late-time **21cm intensity mapping** observations.
2. **Combining 21cm** power spectrum measurements to **CMB observations** leads to a substantial **improvement of the constraints** on  $\Omega_c h^2$  and  $H_0$ .
3. **Present-day surveys** produced encouraging **mild constraining power** over **beyond- $\Lambda$ CDM** extensions. More ideal 21cm signal **SKAO** observations within **multiple redshift bins** could potentially **improve** the knowledge of DE-MG theories.
4. **21cm intensity mapping SKAO** measurements provide a **new interesting cosmological probe**, that carries **rich information complementary** to other high-precision cosmological observations.