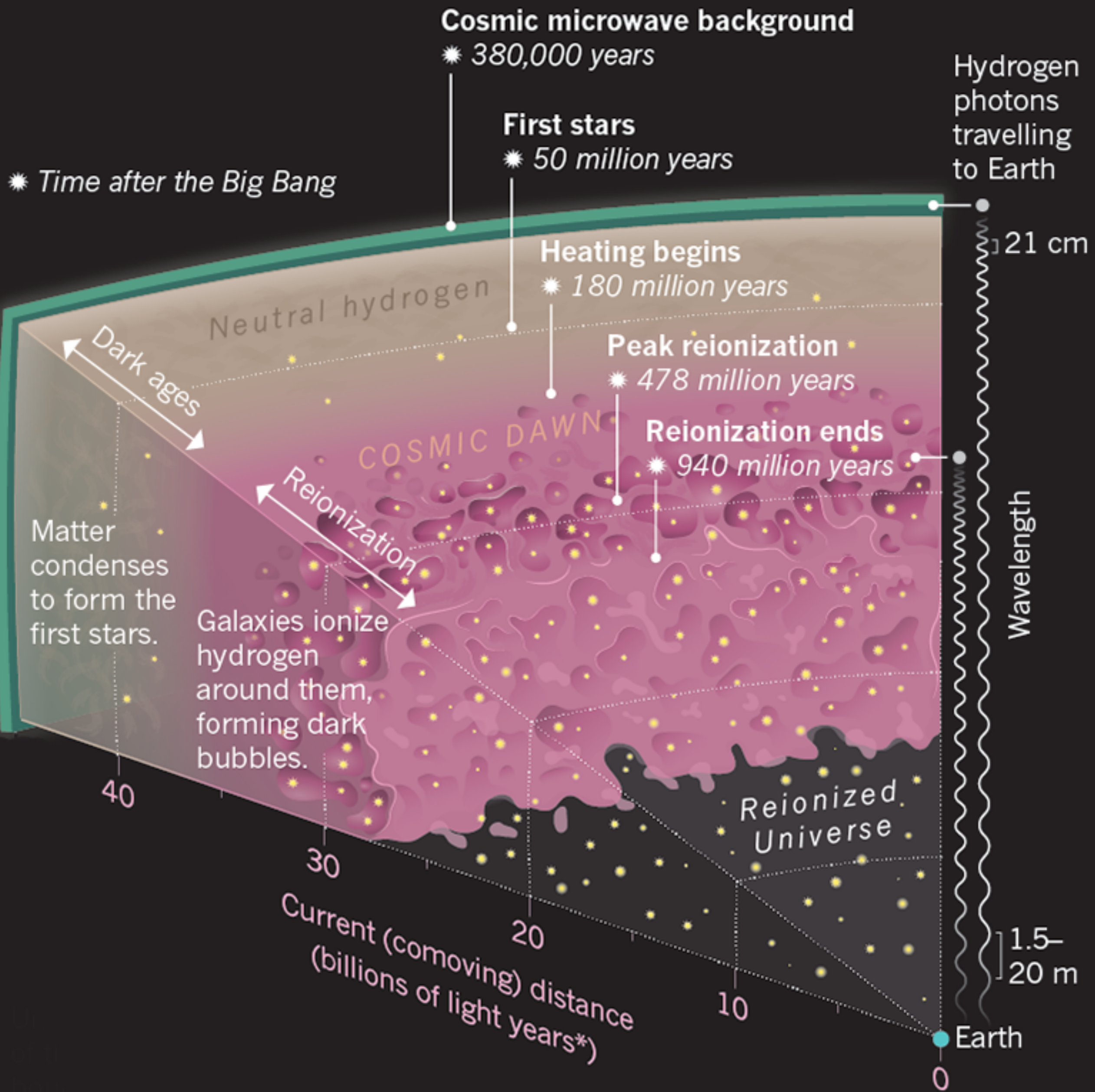


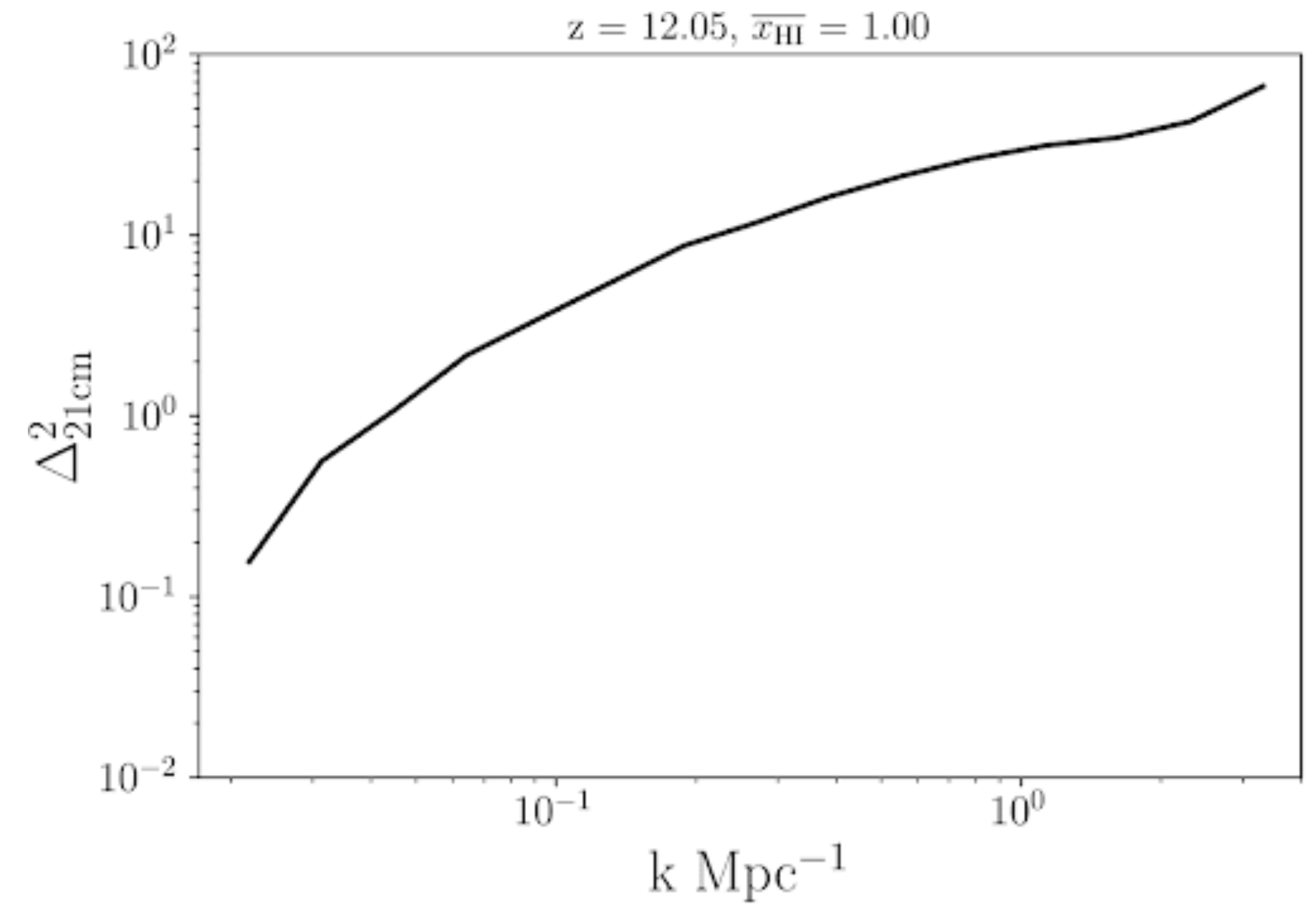
Physical interpretation of  
the IGM parameters of the  
21-cm power spectrum  
from cosmic reionization

Ivelin Georgiev





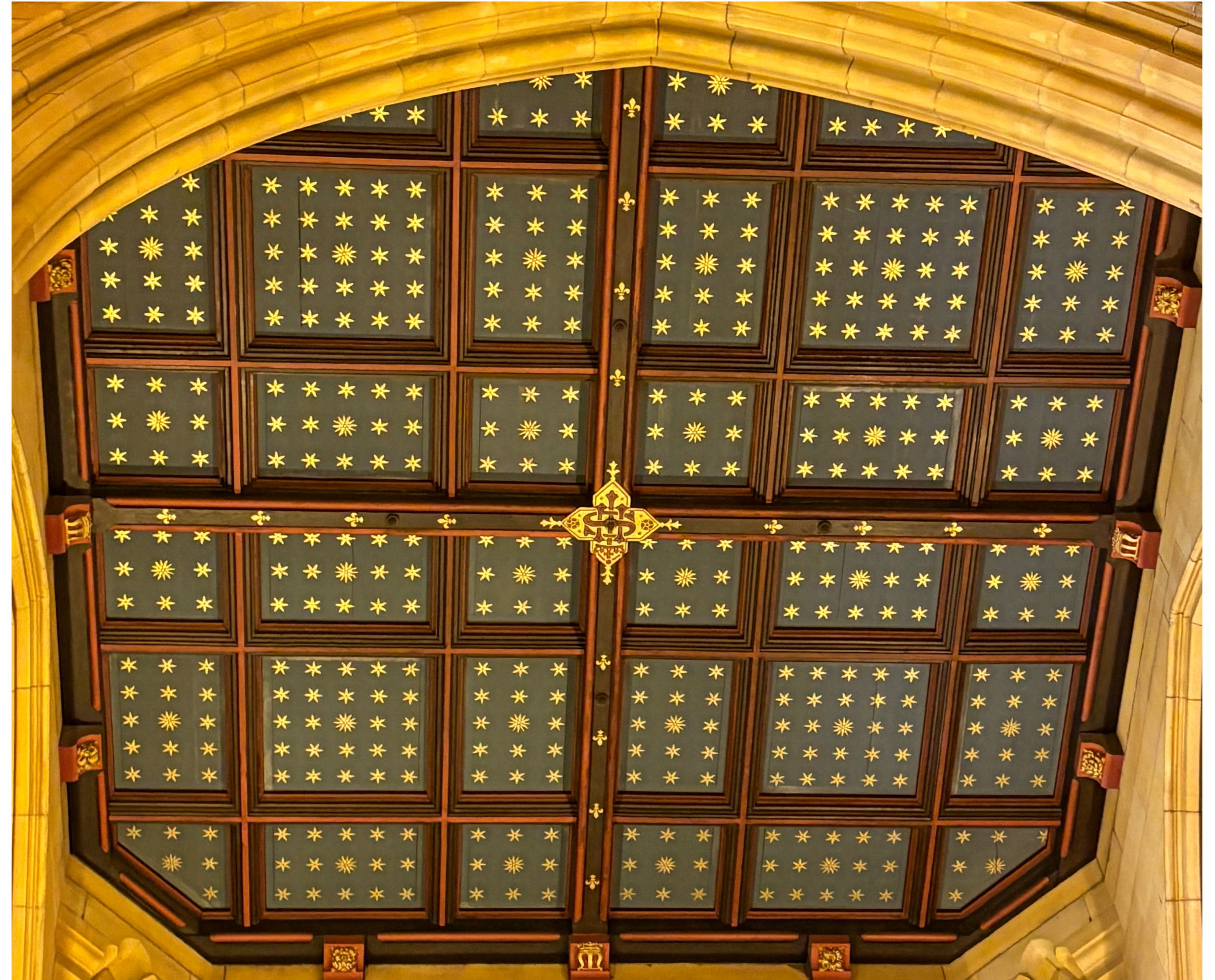
During the cosmic dark ages, the Universe primarily consists of **neutral hydrogen**, which emits radiation via the **21-cm** line (Field et al. 1959).



# How do we interpret the 21-cm power spectrum?

## Source interpretation

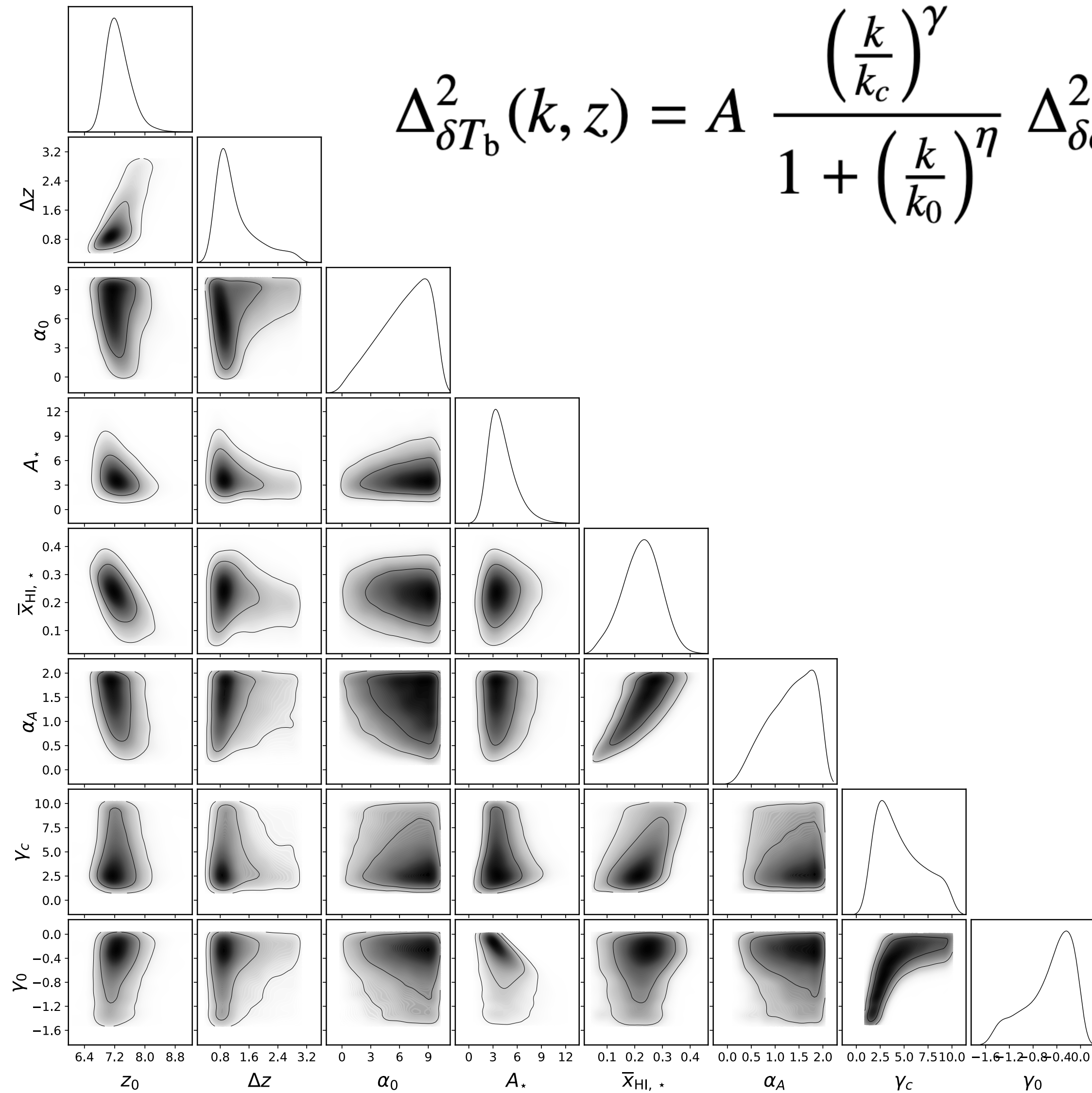
- The sources define the shape and evolution of the 21-cm signal.
- Examples in all interpretation papers (The Hera Collaboration et al. 2022, Mertens et al. 2025, Trott et al. 2025)
- Challenges:
  - Source parametrisation
  - Simulation based



EoR simulation spotted in a cathedral in Sydney?

# How do we interpret the 21-cm power spectrum?

$$\Delta_{\delta T_b}^2(k, z) = A \frac{\left(\frac{k}{k_c}\right)^\gamma}{1 + \left(\frac{k}{k_0}\right)^\eta} \Delta_{\delta\delta}^2(k, z)$$



## Phenomenological interpretation

- Fit the features of the 21 cm power spectrum
- Example in Ghara et al. (2020) for single redshift ( $z=9.1$ ), see also Mirocha et al. (2022).
- Challenges:
  - Choice of priors?
  - **How to handle multi-redshift data?**

# How do we interpret the 21-cm power spectrum?



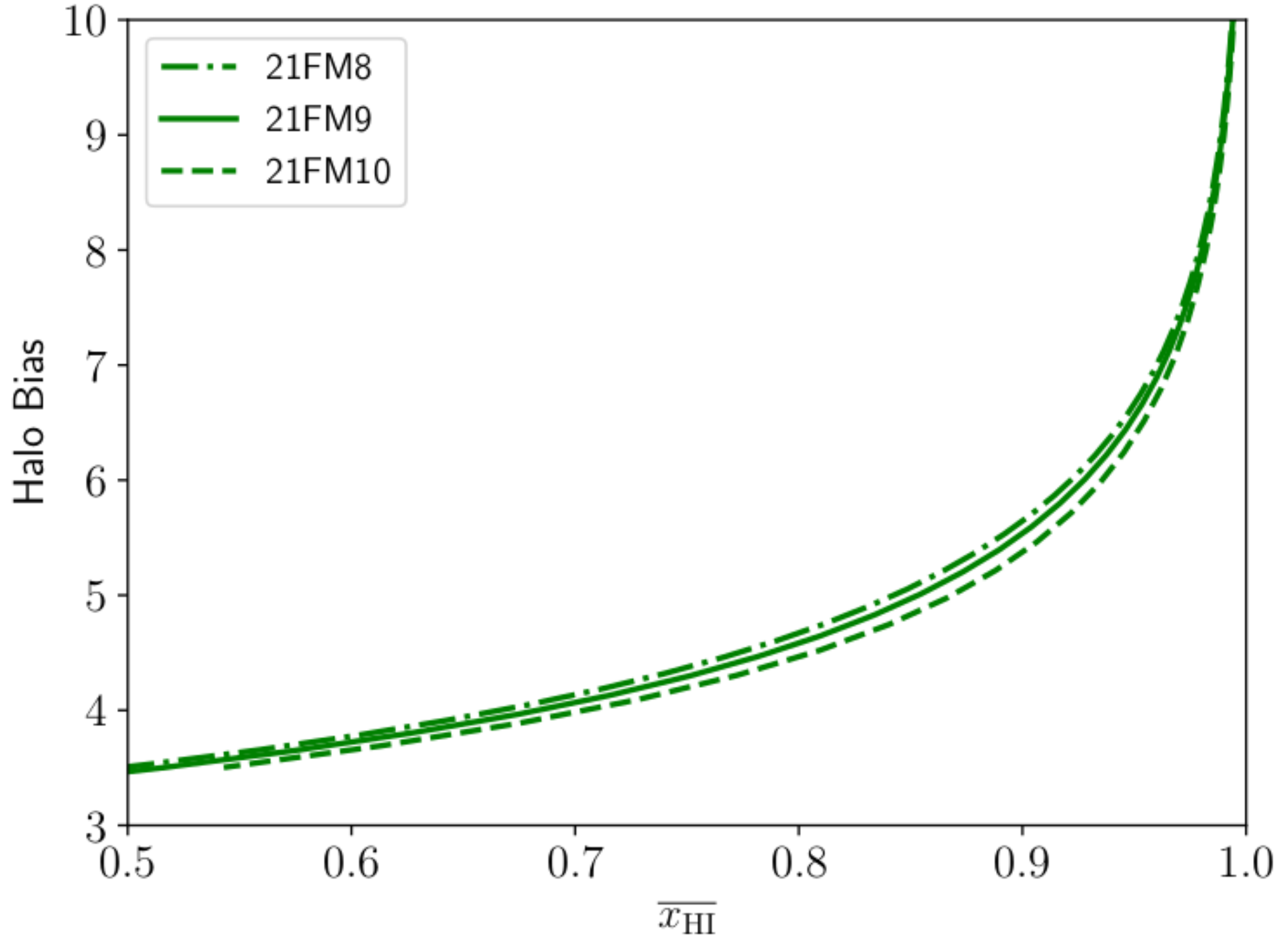
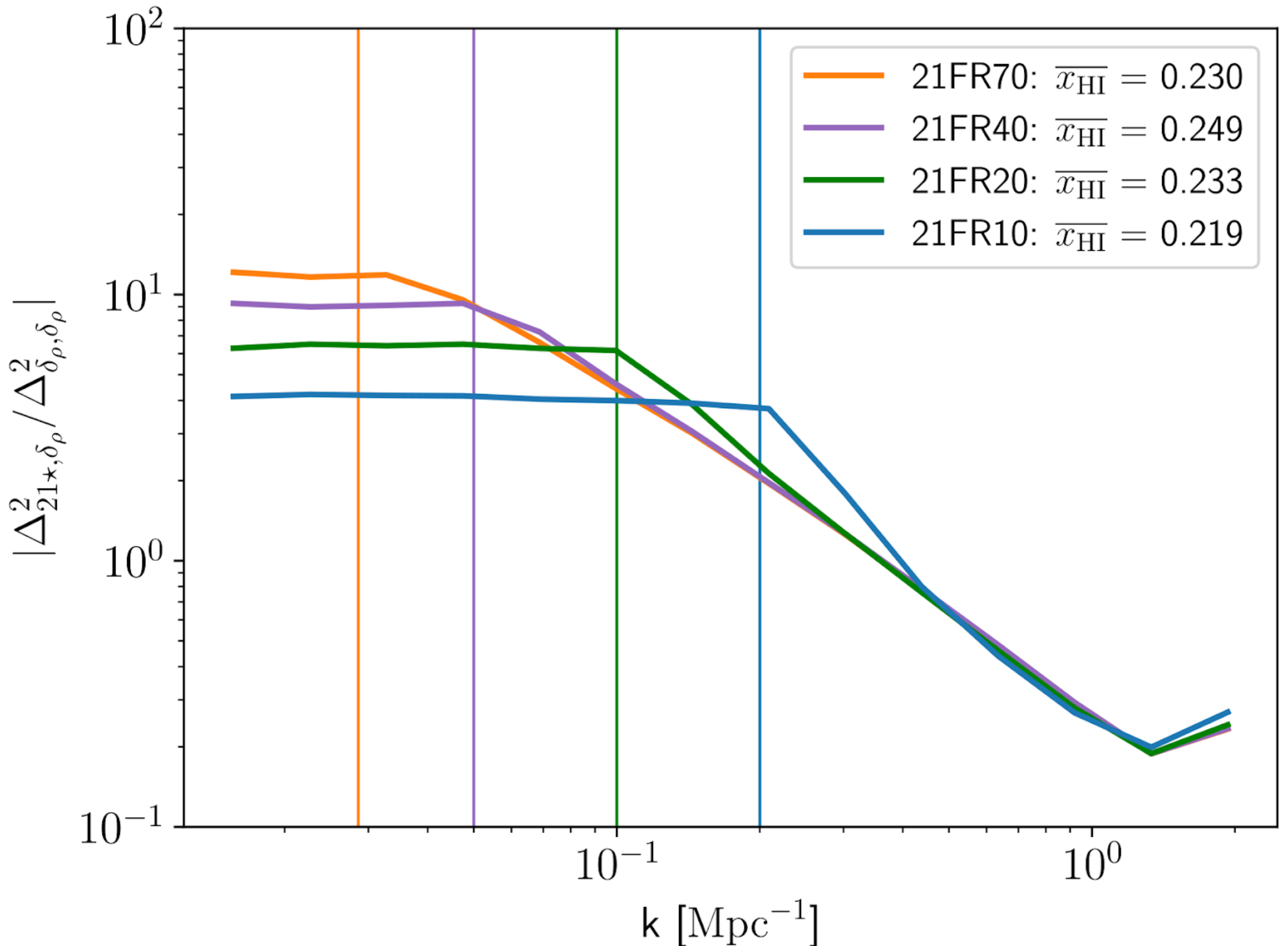
## IGM -driven interpretation

- 21-cm signal is a probe of the state of the IGM.
- Interpret the power spectrum through the properties of the intergalactic medium
- Arrive at a physical driven form which is physically informed and redshift dependent?

# Hints of meaning behind the parameters

$$\Delta_{\delta T_b}^2(k, z) = A \frac{\left(\frac{k}{k_c}\right)^\gamma}{1 + \left(\frac{k}{k_0}\right)^\eta} \Delta_{\delta\delta}^2(k, z)$$

Connection between the shape of the power spectrum and the mean free path of ionising photons as well as the closeting of ionising sources (see also McQuinn et al 2018)

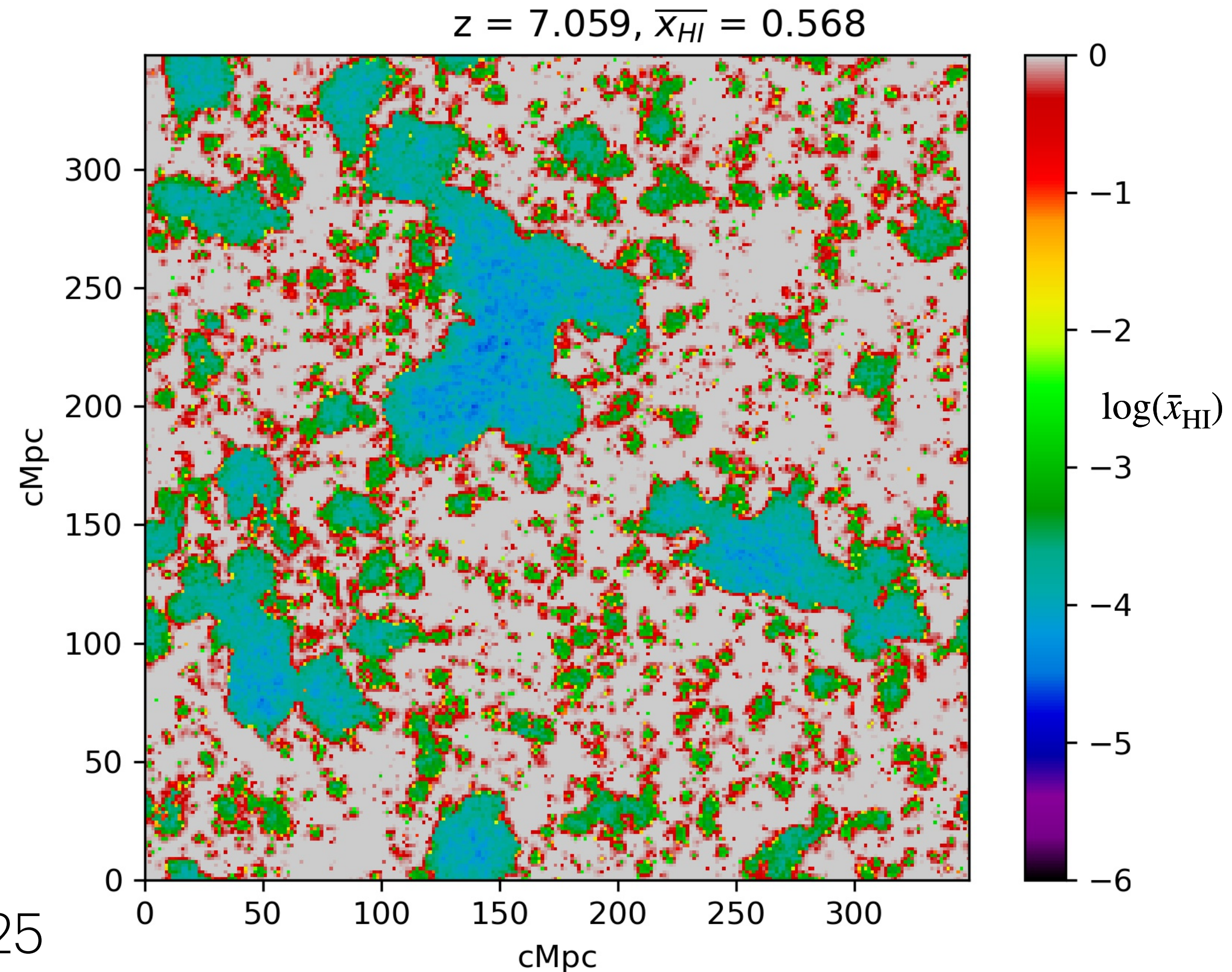


# IGM driven parametrisation (Georgiev in prep.)

$$P_{21cm} = T_0^2 \bar{x}_{\text{HI}}^2 \left( \frac{(1 + b_i(f + 1))^2}{\sqrt{(1 + (kR_i)^2)}} + \frac{1}{\sqrt{(1 + (kR_n)^2)}} \right) P_{\delta,\delta}$$

- $\bar{x}_{\text{HI}}$ : neutral fraction
- $b_s$ : Source biasing + mode coupling, linked to clustering and the halo bias, less important after the midpoint.
- $R_i$  &  $R_n$ : “Effective” sizes.
- $f(\bar{x}_{\text{HII}}, \bar{x}_{\text{HII}m})$ : Large-scale coupling between the ionisation and density fields.

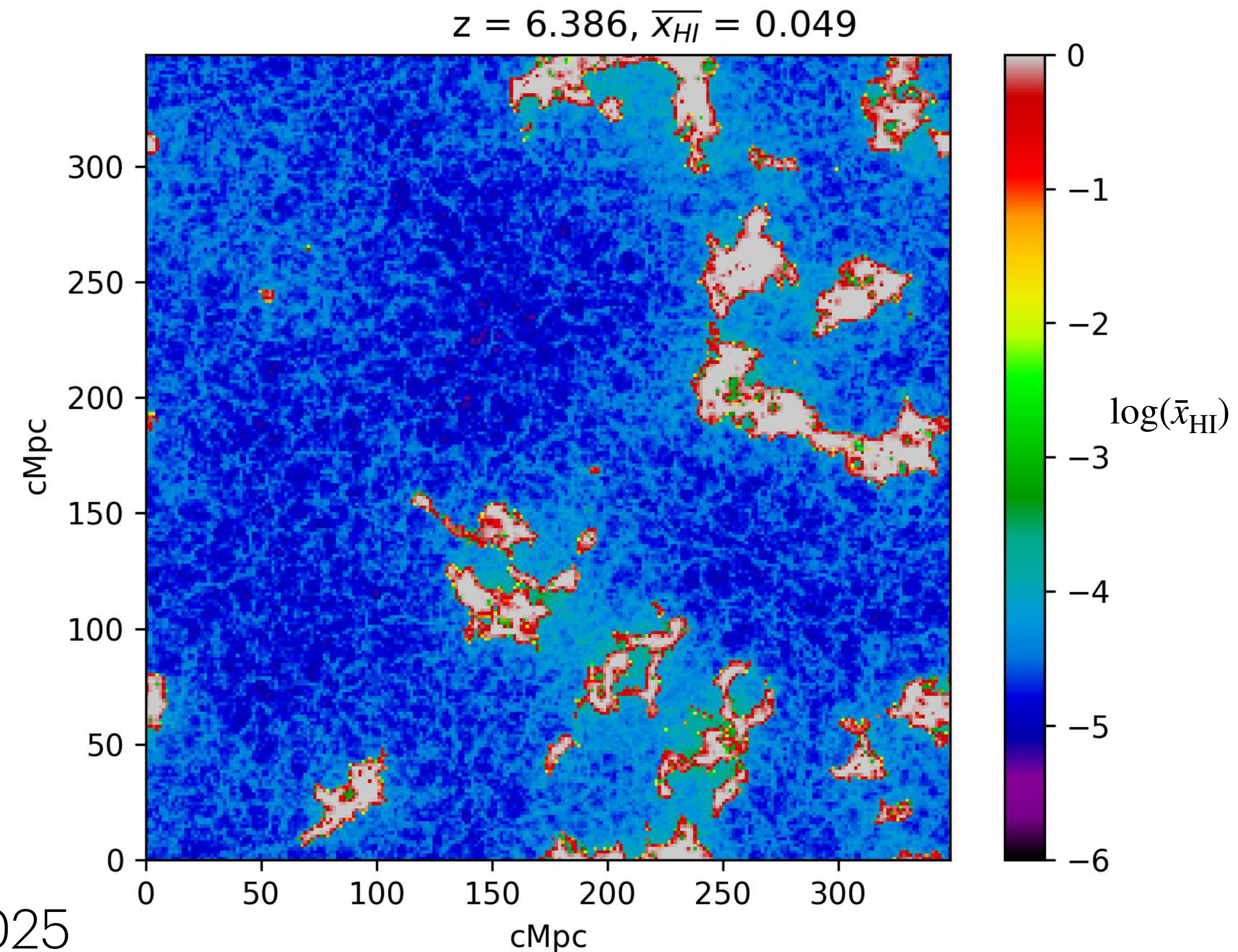
$$P_{21} = T_0^2 \bar{x}_{\text{HI}}^2 \left( P_{\delta\rho,\delta\rho} + P_{\delta_{x\text{HI}},\delta_{x\text{HI}}} + 2P_{\delta\rho,\delta_{x\text{HI}}} + 2P_{\delta\rho\delta_{x\text{HI}},\delta_{x\text{HI}}} + 2P_{\delta\rho\delta_{x\text{HI}},\delta\rho} + P_{\delta\rho\delta_{x\text{HI}},\delta\rho\delta_{x\text{HI}}} \right)$$



# IGM driven parametrisation (Georgiev in prep.)

$$P_{21cm} = T_0^2 \bar{x}_{\text{HI}}^2 \left( \frac{(1 + \underline{b}_i(f + 1))^2}{\sqrt{(1 + (\underline{k}R_i)^2)}} + \frac{1}{\sqrt{(1 + (\underline{k}R_n)^2)}} \right) P_{\delta,\delta}$$

- $\bar{x}_{\text{HI}}$  : neutral fraction
- $\underline{b}_s$  : Source biasing + mode coupling, linked to clustering and the halo bias, less important after the midpoint.
- $R_i$  &  $R_n$  : “Effective” sizes.
- $f(\bar{x}_{\text{HII}}, \bar{x}_{\text{HII}m})$  : Large-scale coupling between the ionisation and density fields.



Asymmetric EoR model from Douspis et al. 2015

$$\bar{x}_{\text{HII}} = \begin{cases} 0, & z \geq z_{\text{early}}, \\ 1, & z \leq z_{\text{end}}, \\ \left[ \frac{z_{\text{re}} - z}{z_{\text{re}} - z_{\text{end}}} \right]^{\alpha_{\text{EoR}}}, & \text{otherwise.} \end{cases}$$

Cluster and Correlation parameters (e.g. Tinker et al 2010):

$$b_h(M_{\text{min}})$$

$$\bar{x}_{\text{HII}m} = \bar{x}_{\text{HII}}^\gamma$$

Bubble parameters (pianissimo):

$$R_i = 10^{\alpha_i} e^{-\beta_i(1-\bar{x}_{\text{HII}})}$$

$$R_n = 10^{\alpha_n} (1 - \bar{x}_{\text{HII}})^{\beta_n}$$

# Asymmetric EoR model from Douspis et al. 2015

$$\bar{x}_{\text{HII}} = \begin{cases} 0, & z \geq z_{\text{early}}, \\ 1, & z \leq z_{\text{end}}, \\ \left[ \frac{z_{\text{re}} - z}{z_{\text{re}} - z_{\text{end}}} \right]^{\alpha_{\text{EoR}}}, & \text{otherwise.} \end{cases}$$

Cluster and Correlation parameters:

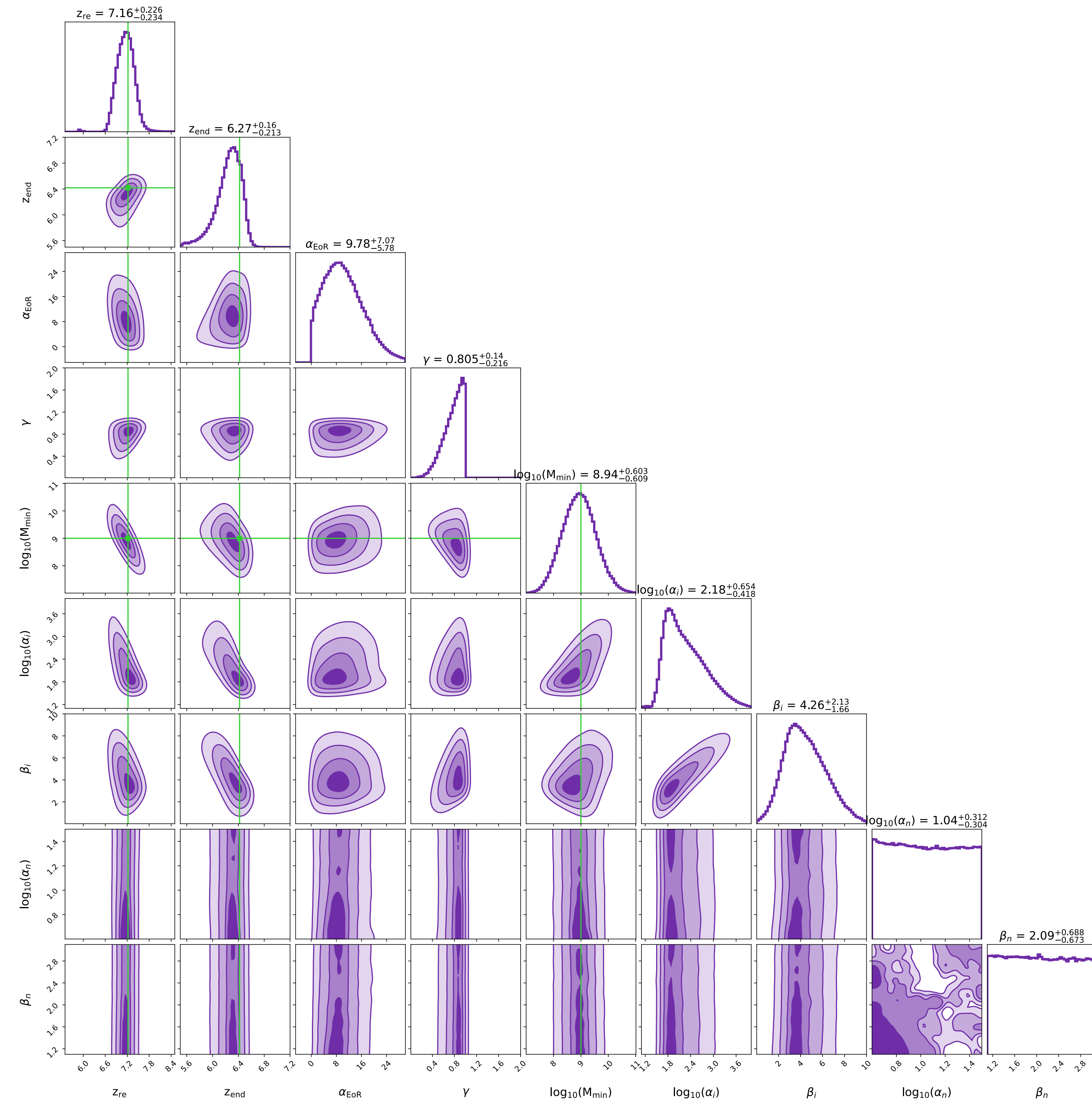
$$b_h(M_{\text{min}})$$

$$\bar{x}_{\text{HII}m} = \bar{x}_{\text{HII}}^\gamma$$

Bubble parameters  
(tuned to late EoR observables):

$$R_i = 10^{\alpha_i} e^{-\beta_i(1-\bar{x}_{\text{HII}})}$$

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Cluster and Correlation parameters:

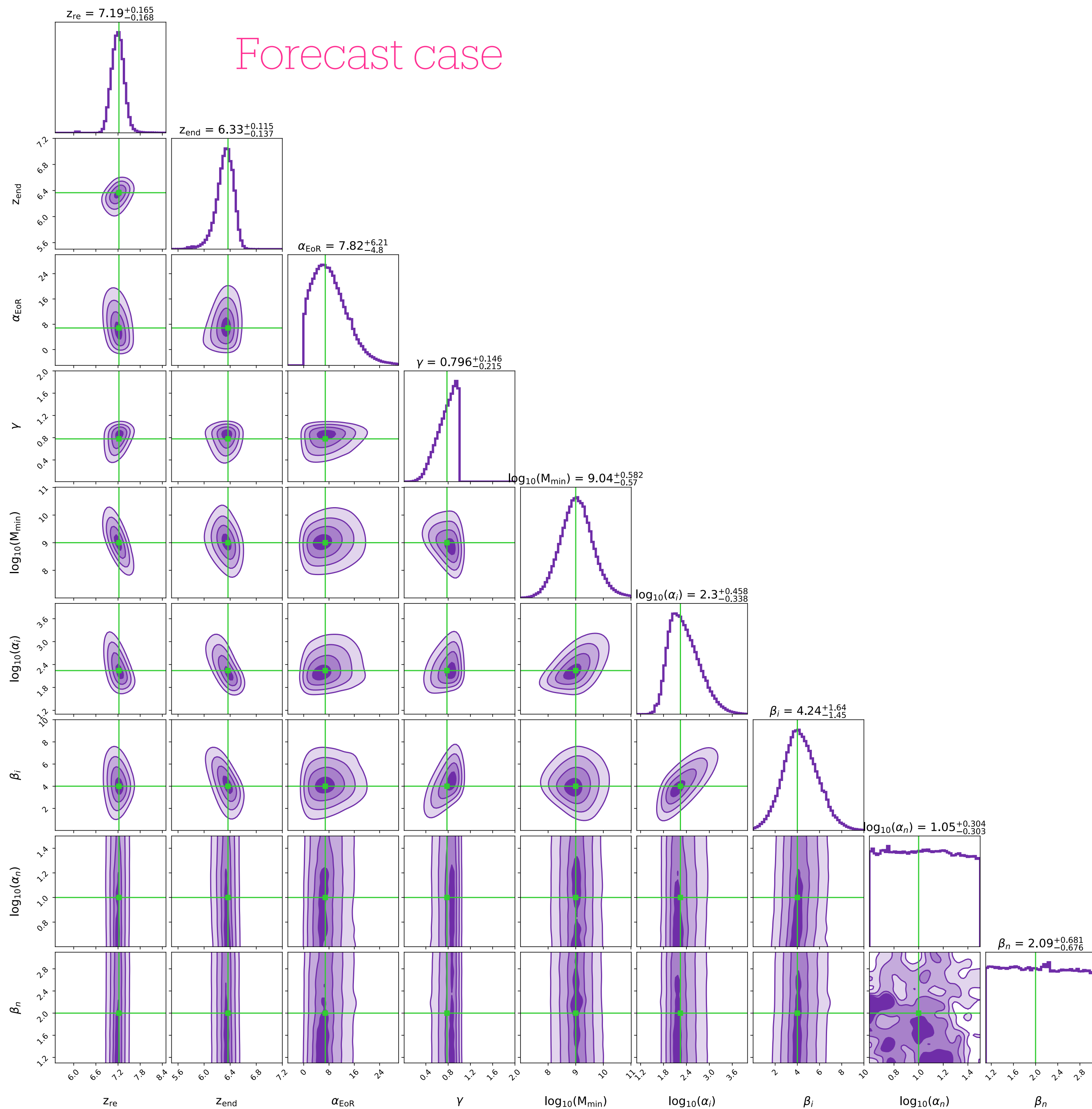
$$b_h(M_{\text{min}})$$

$$\bar{x}_{\text{HII}m} = \bar{x}_{\text{HII}}^\gamma$$

Bubble parameters  
(tuned to late EoR observables):

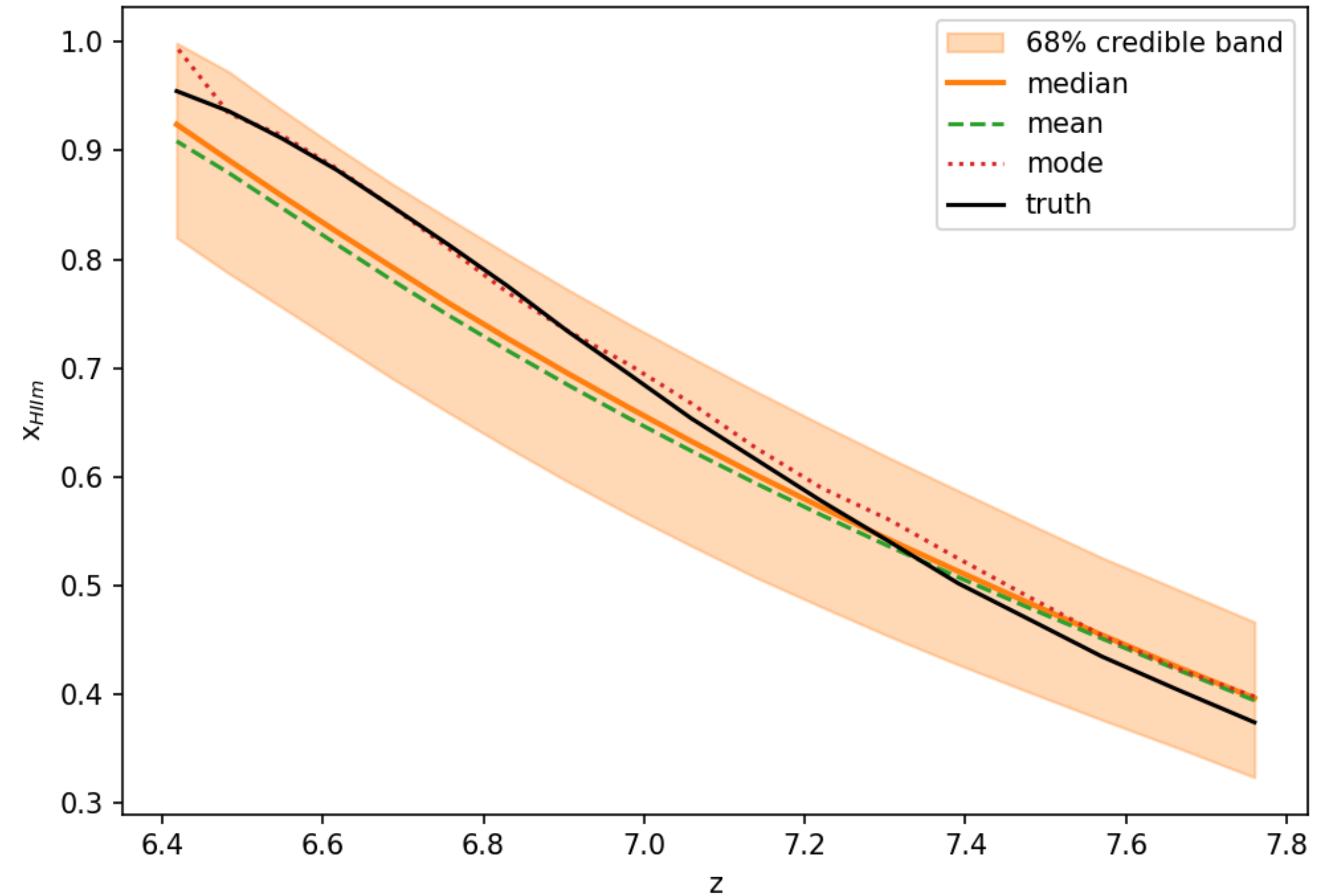
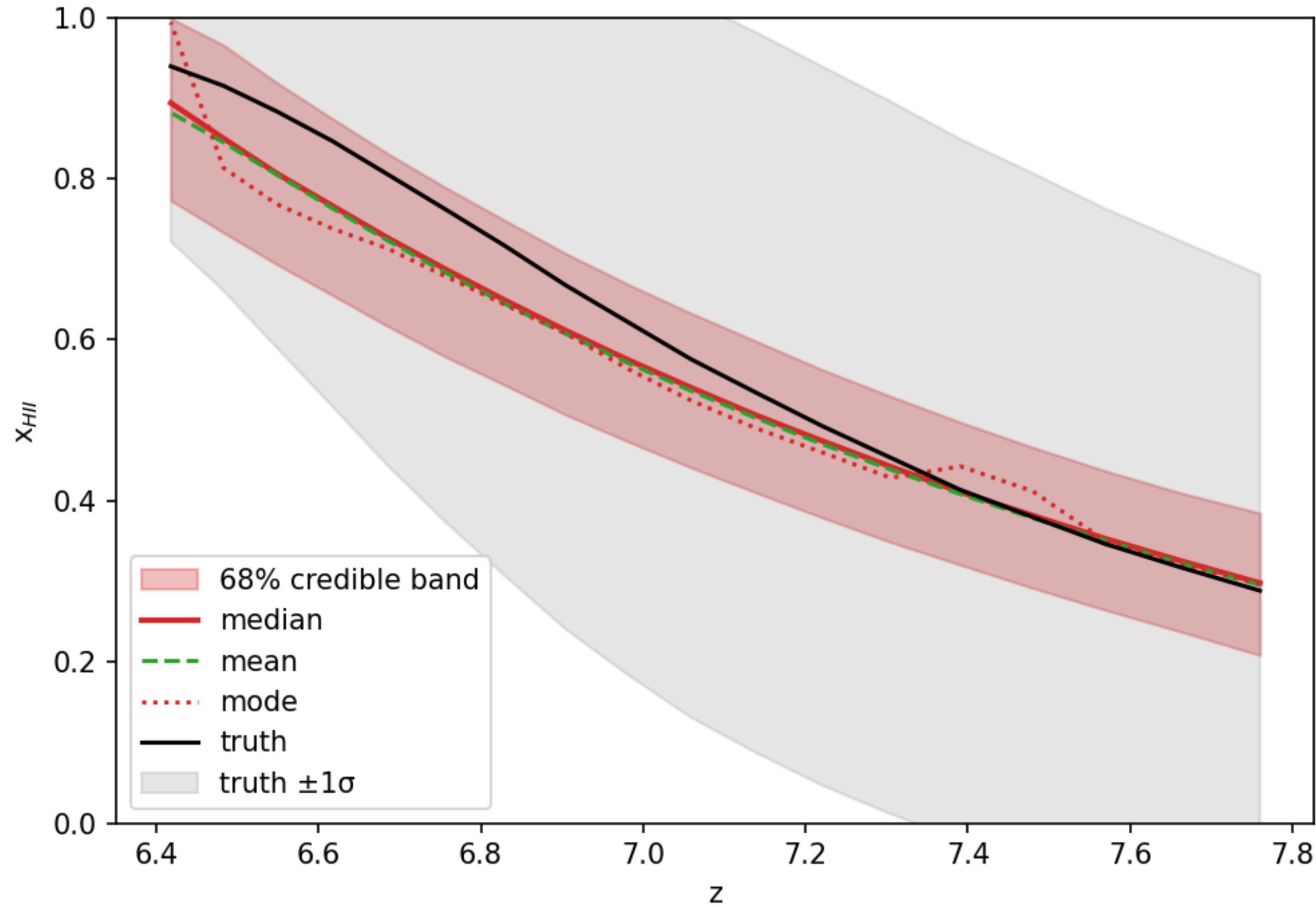
$$R_i = 10^{\alpha_i} e^{-\beta_i(1-\bar{x}_{\text{HII}})}$$

$$R_n = 10^{\alpha_n} (1 - \bar{x}_{\text{HII}})^{\beta_n}$$



# Modelling the EoR history

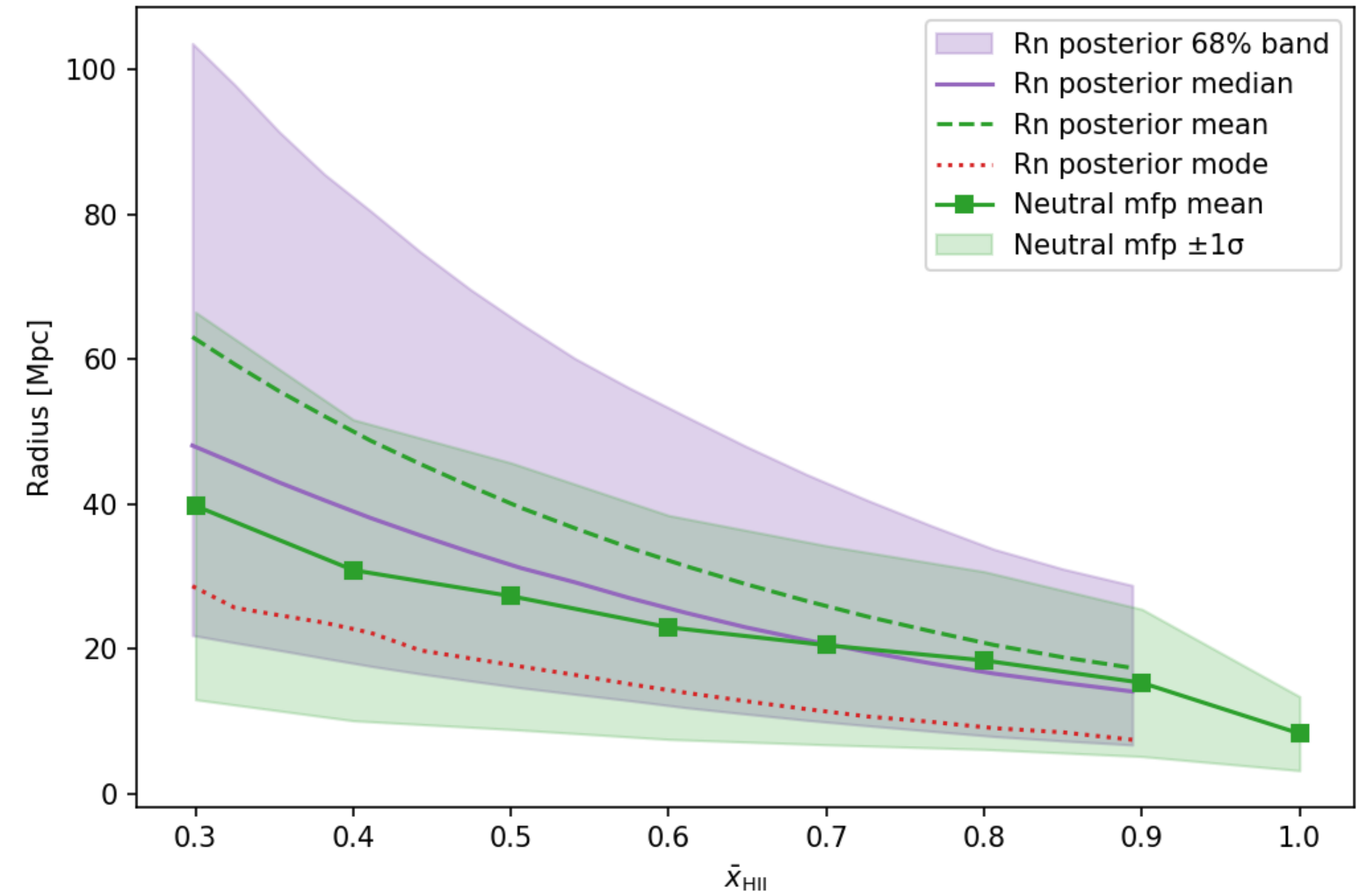
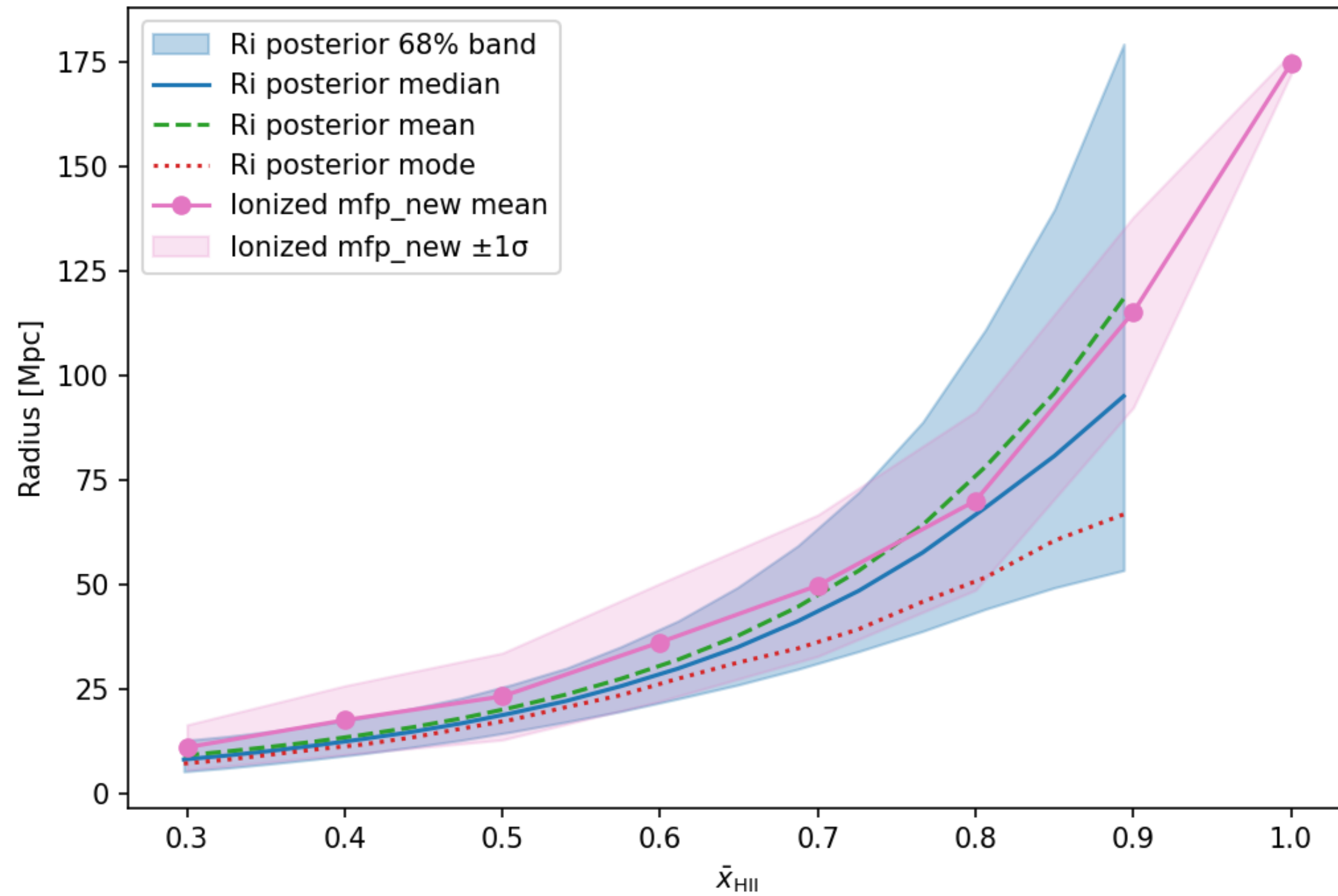
$$P_{21cm} = T_0^2 \bar{x}_{\text{HI}}^2 \left( \frac{(1 + b_i(f+1))^2}{\sqrt{(1 + (kR_i)^2)}} + \frac{1}{\sqrt{(1 + (kR_n)^2)}} \right) P_{\delta,\delta}$$



Model behaves well but slightly overestimate at  $\bar{x}_{\text{HI}} > 80\%$ . In this regime the EoR history is guided by the mean free path of small-scale absorbers (e.g. Georgiev et al 2025).

# Modelling the EoR Topology

$$P_{21cm} = T_0^2 \bar{x}_{\text{HI}}^2 \left( \frac{(1 + b_i(f + 1))^2}{\sqrt{(1 + (kR_i)^2)}} + \frac{1}{\sqrt{(1 + (kR_n)^2)}} \right) P_{\delta,\delta}$$

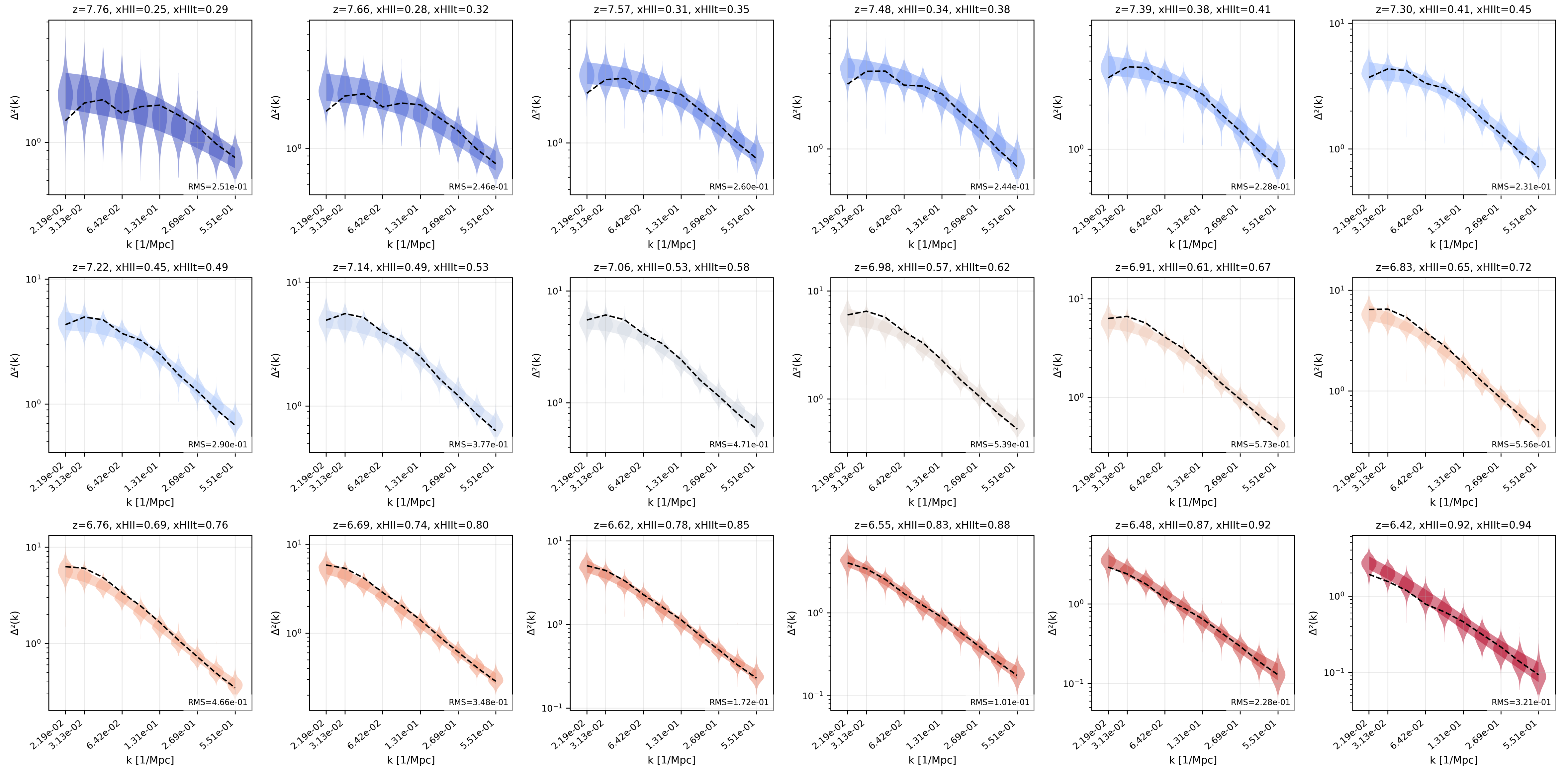


Growth of ionised/neutral regions consistent with methods such as the Bubble Size Mean Free Path Distribution like method from Messenger et al. 2007.

# Modelling the EoR Power Spectrum

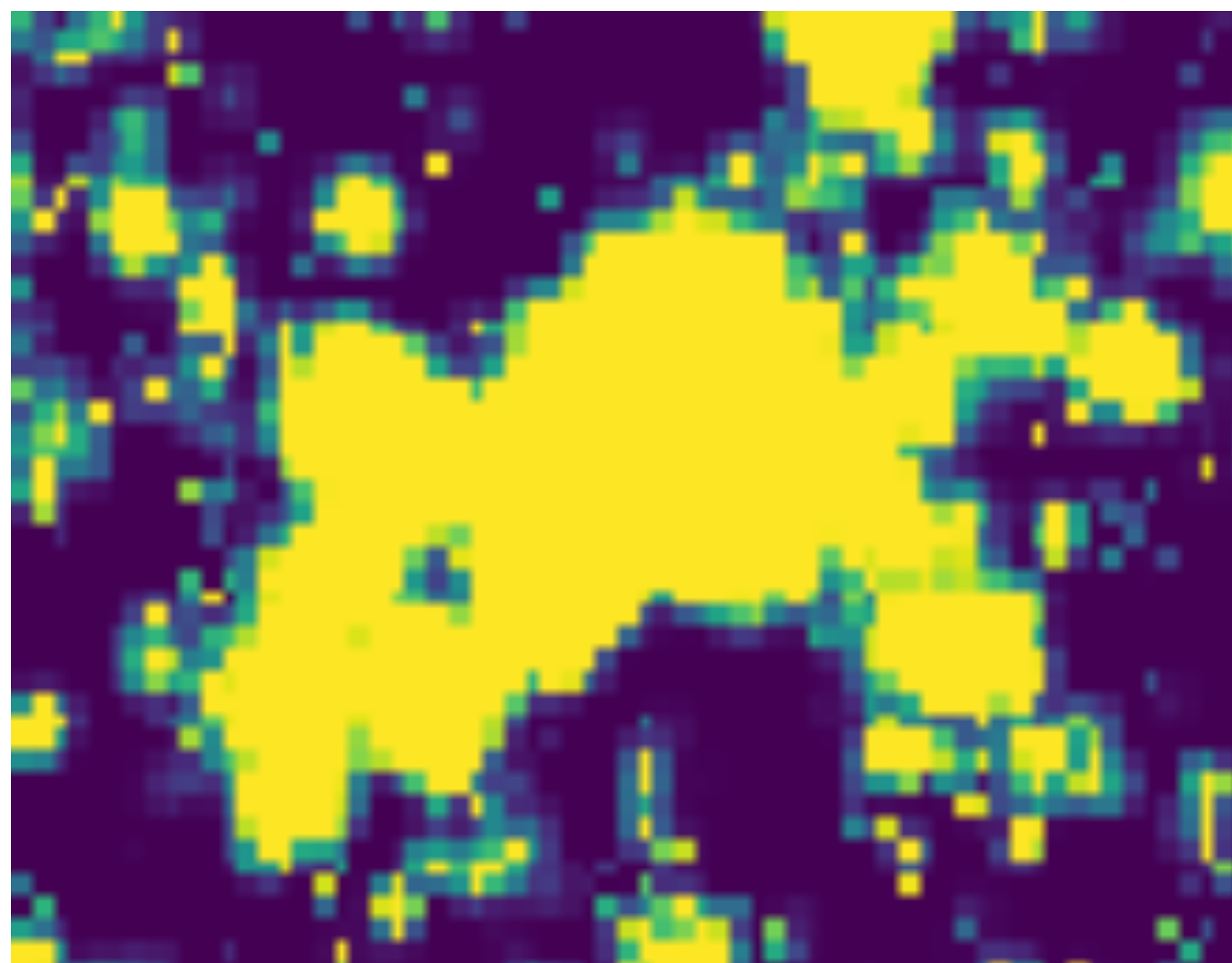
Georgiev et al. in prep

$$P_{21cm}/P_{\delta,\delta}$$

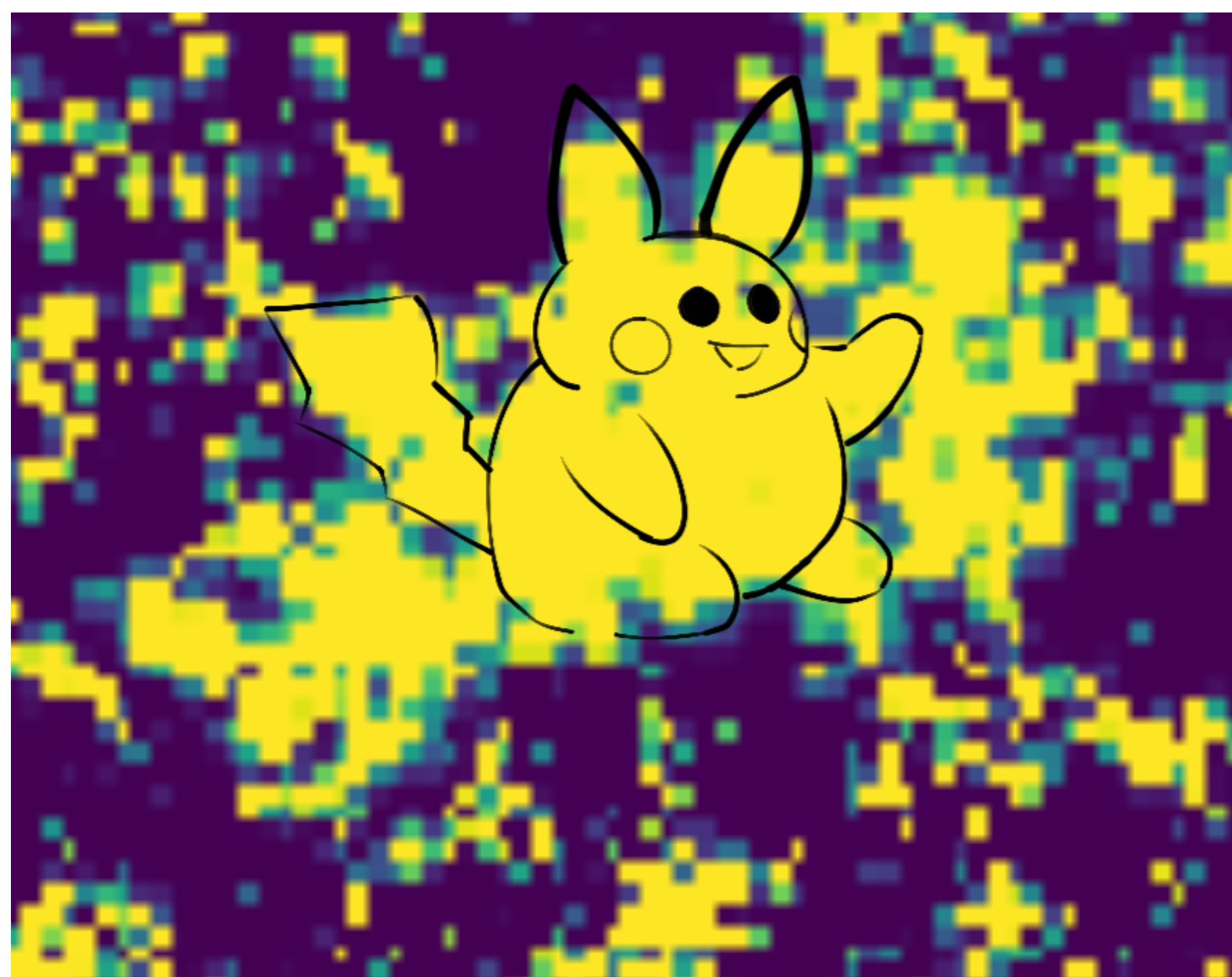




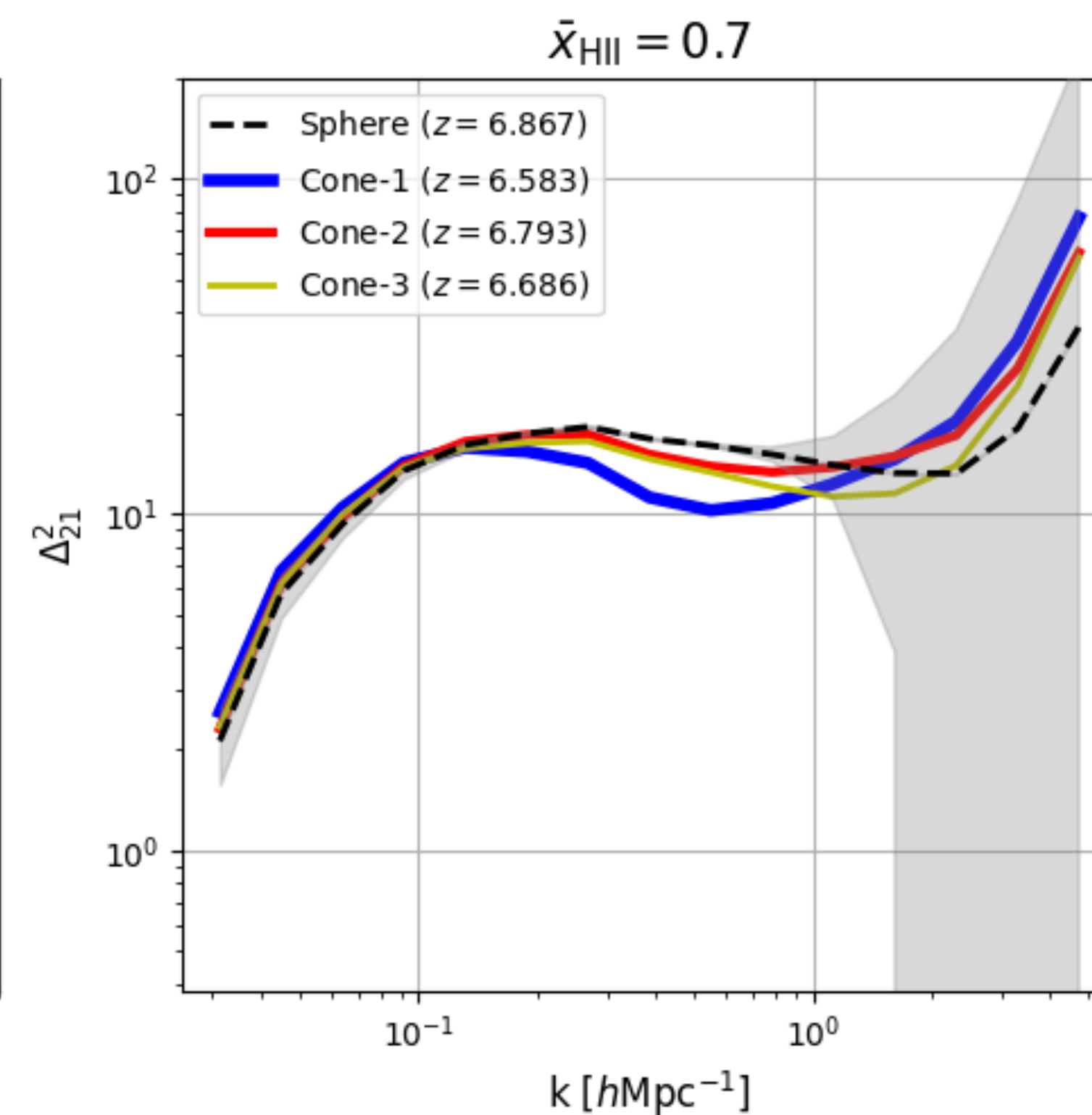
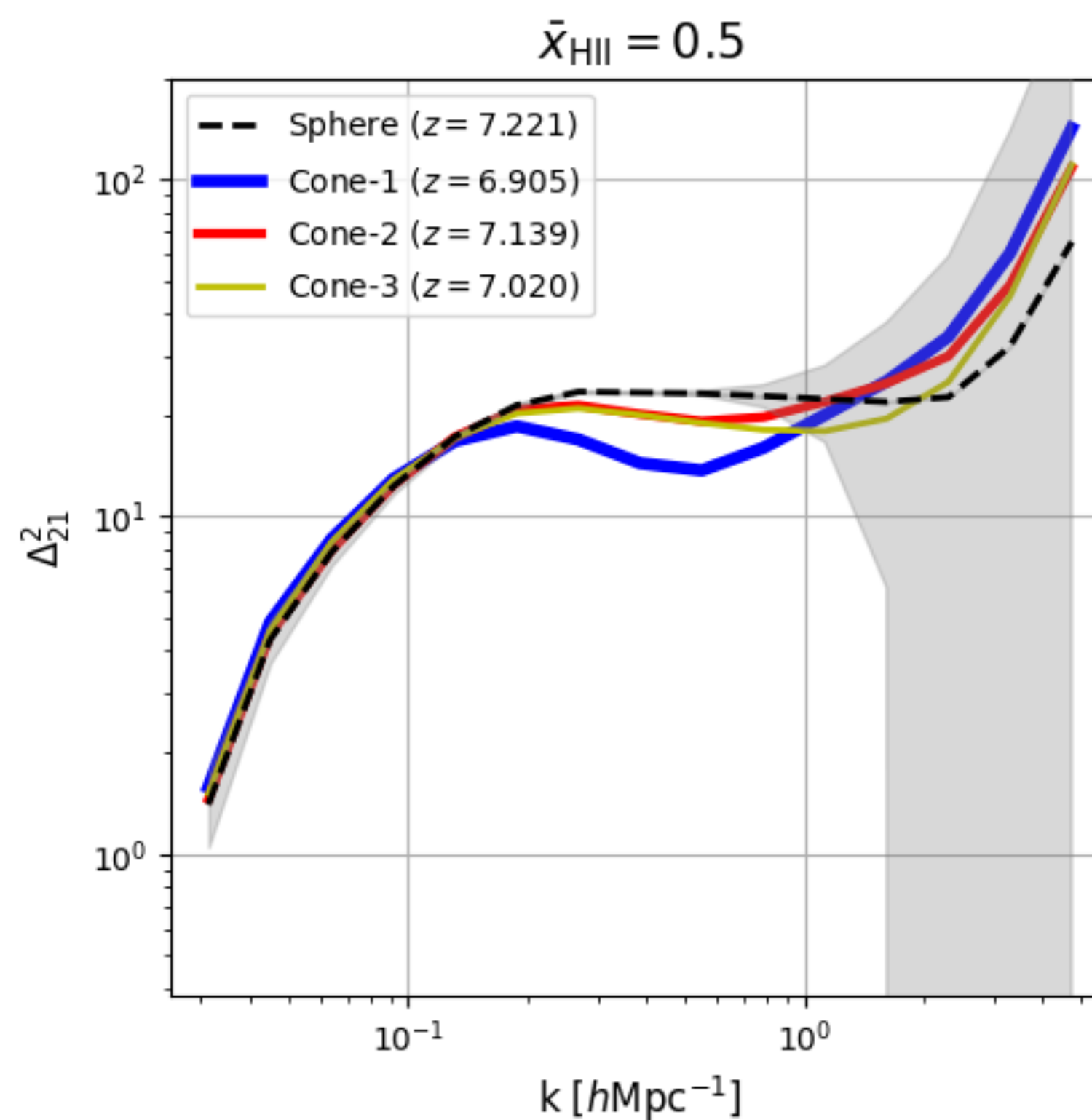
# Impact of anisotropic photon emission from sources during the epoch of Reionisation



Sphere case



Cone-1 case



Anisotropic emission from sources suppresses the 21-cm power spectrum by 10 - 40% for  $k \sim (0.1 - 1)$  hMpc<sup>-1</sup>

Thank you for your  
attention!



# IGM driven parametrisation (Georgiev in prep.)

$$P_{21cm} = T_0^2 \bar{x}_{\text{HI}}^2 \left( \frac{(1 + b_i(f + 1))^2}{\sqrt{(1 + (kR_i)^2)}} + \frac{1}{\sqrt{(1 + (kR_n)^2)}} \right) P_{\delta,\delta}$$

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